# BILL AND NATHAN RECORD LECTURE!!!!

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- 4. What you Cannot Bring A calculator or similar. You won't need it.

I list topics below; however, note that some questions may span areas.

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- 4. Decidable theories: WS1S. NOTE: No questions on  $(\mathbb{Q}, <)$ .
- 5. Undecidable: HALT is undecideable (not the proof), Hilbert's tenth problem and Diophantine sets.  $\Sigma_1$  sets.

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- 2. While the exam is cumulative the EMPHASIS will be on P, NP, DEC, UNDEC.

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