

Neural sequence-to-sequence models for machine translation

CMSC 470

Marine Carpuat

Machine Translation

- Translation system
 - Input: source sentence F
 - Output: target sentence E
 - Can be viewed as a function

 $\hat{E} = \operatorname{mt}(F)$

Modern machine translation systems

$$\hat{E} = \underset{E}{\operatorname{argmax}} P(E \mid F; \theta)$$

• 3 problems

- Modeling
 - how to define P(.)?
- Training/Learning
 - how to estimate parameters from parallel corpora?
- Search
 - How to solve argmax efficiently?

Neural Machine Translation

- Neural language models review
- Sequence to sequence models for MT
 - Encoder-Decoder
 - Sampling and search (greedy vs beam search)
 - Training
 - Practical tricks
- Sequence to sequence models for other NLP tasks

A feedforward neural 3-gram model



$$m = \operatorname{concat}(M_{\cdot,e_{t-2}}, M_{\cdot,e_{t-1}})$$
$$h = \tanh(W_{mh}m + b_h)$$
$$s = W_{hs}h + b_s$$
$$p = \operatorname{softmax}(s)$$

A recurrent language model



$$\begin{split} \boldsymbol{m}_t &= M_{\cdot,e_{t-1}} \\ \boldsymbol{h}_t &= \begin{cases} \tanh(W_{mh}\boldsymbol{m}_t + W_{hh}\boldsymbol{h}_{t-1} + \boldsymbol{b}_h) & t \geq 1 \\ \boldsymbol{0} & \text{otherwise.} \end{cases} \\ \boldsymbol{p}_t &= \operatorname{softmax}(W_{hs}\boldsymbol{h}_t + b_s). \end{split}$$

A recurrent language model



$$m_t = M_{\cdot,e_{t-1}}$$

$$h_t = \text{RNN}(m_t, h_{t-1})$$

$$p_t = \text{softmax}(W_{hs}h_t + b_s).$$

Neural Machine Translation

- Neural language models review
- Sequence to sequence models for MT
 - Encoder-Decoder
 - Sampling and search (greedy vs beam search)
 - Practical tricks
- Sequence to sequence models for other NLP tasks

P(E|F) as an encoder-decoder model



P(E|F) as an encoder-decoder model

$$\begin{split} \boldsymbol{m}_{t}^{(f)} &= M_{\cdot,f_{t}}^{(f)} \\ \boldsymbol{h}_{t}^{(f)} &= \begin{cases} \text{RNN}^{(f)}(\boldsymbol{m}_{t}^{(f)}, \boldsymbol{h}_{t-1}^{(f)}) & t \geq 1, \\ \boldsymbol{0} & \text{otherwise.} \end{cases} \\ \boldsymbol{m}_{t}^{(e)} &= M_{\cdot,e_{t-1}}^{(e)} \\ \boldsymbol{h}_{t}^{(e)} &= \begin{cases} \text{RNN}^{(e)}(\boldsymbol{m}_{t}^{(e)}, \boldsymbol{h}_{t-1}^{(e)}) & t \geq 1, \\ \boldsymbol{h}_{|F|}^{(f)} & \text{otherwise.} \end{cases} \\ \boldsymbol{p}_{t}^{(e)} &= \text{softmax}(W_{hs}\boldsymbol{h}_{t}^{(e)} + b_{s}) \end{split}$$



Generating Output

- We have a model P(E|F), how can we generate translations?
- 2 methods
 - **Sampling**: generate a random sentence according to probability distribution
 - Argmax: generate sentence with highest probability

Ancestral Sampling

While
$$e_{j-1}! = e_j \sim P(e_j | F, e_1, ..., e_{j-1})$$

- Randomly generate words one by one
- Until end of sentence symbol
- Done!

Greedy search

While
$$e_{j-1}! = \langle s \rangle$$

 $e_j = \operatorname{argmax} P(e_j | F, e_1, \dots, e_{j-1})$

- One by one, pick single highest probability word
- Problems
 - Often generates easy words first
 - Often prefers multiple common words to rare words

Greedy Search Example

Consider this complete search graph for a model with vocabulary {a,b,</s>}

What sequence does greedy search produces?

What is the best scoring sequence in the search space?



Greedy Search Example

Consider this complete search graph for a model with vocabulary {a,b,</s>}

Here greedy search fails to discover the best scoring output!



Beam Search

Idea: consider b top hypotheses at each time step

At each time step:

- Expand the b hypotheses for all words in the vocabulary
- Prune down to the top b hypotheses
- Move to next step



Example beam search with b = 2

Neural Machine Translation

- Neural language models review
- Sequence to sequence models for MT
 - Encoder-Decoder
 - Sampling and search (greedy vs beam search)
 - Training
 - Practical tricks
- Sequence to sequence models for other NLP tasks