

## Code generation

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### Generating stack code

- simple expressions
- boolean expressions
- control flow

### Code for complex expressions

- procedures
- function calls
- mixed type expressions
- array references

### Storage

- local variables
- stack limit

## Generating stack code

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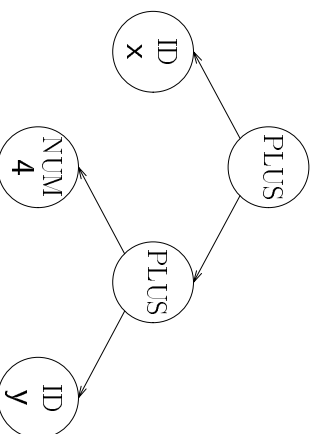
- make use of implicit stack
- still need variable addresses

### Simple expressions

```
expr ( node )  
  switch ( kind of node )  
    case PLUS:  
      if (node.type() == INT)  
        emit( iadd );  
      break;  
    case ID:  
      int offset = addr( node.str );  
      if (node.type() == INT)  
        emit( iload, offset );  
      break;  
    case NUM:  
      emit( ldc_int, node.val );  
      break;  
  return result
```

## Simple expressions

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iload 1	\$ push addr(x)	...: x
ldc_int, 4	\$ push constant 4	...: x, 4
iload 2	\$ push addr(y)	...: x, 4, y
iadd	\$ add 4 & y	...: x, 4+y
iadd	\$ add x & (4 + y)	...: x+(4+y)

## Boolean expressions

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### Algorithm

- evaluate expression
- leave 0 on top of stack if false, 1 if true

$E_1 == E_2$

```
E1  
E2  
if_impleq L1  
iconst_0  
goto L2  
L1:  
iconst_1  
L2:
```

$E_1 < E_2$

```
E1  
E2  
if_implet L1  
iconst_0  
goto L2  
L1:  
iconst_1  
L2:
```

## Boolean expressions

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$E_1 \&\& E_2$

$E_1$   
dup  
ifeq L1  
pop  
 $E_2$   
L1:

$E_1 \parallel E_2$

$E_1$   
dup  
ifne L1  
pop  
 $E_2$   
L1:

!  $E$

$E$   
ifeq L1  
iconst\_0  
goto L2  
L1:  
iconst\_1  
L2:

## Control structures

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$x = E$

$E$   
istore addr(x)

if (  $E$  )  $S$

$E$   
ifeq L  
 $S$   
L:

if (  $E$  )  $S_1$  else  $S_2$

$E$   
ifeq L1  
 $S_1$   
goto L2  
L1:  
 $S_2$   
L2:

while (  $E$  )  $S$

L1:  
 $E$   
ifeq L2  
 $S$   
goto L1  
L2:

## Procedure calls

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Code for procedure calls †

save registers extend basic frame find static data area initialize locals ... allocate child's frame evaluate & store params. store FP and RA set FP for child jump to child ...	<i>prolog code for local data if needed</i>
RA: copy return value restore params. free child's frame ... store return value unextend basic frame restore registers restore parent's FP jump to RA	<i>start of a call in child's frame may handle RA post-call code if needed epilog code hardware ret</i>

† FP is *frame pointer*, RA is *return address*

## Function calls

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How do we handle a function call in an expression?

Example:  $a + \text{foo}(1)$

*Treat it like a function call*

- set up the arguments
- generate the call and return sequence
- get the return value into a register

*Cautions*

- function may have side effects
- evaluation order is suddenly important
- register save-restore covers intermediate values

Example:  $a + \text{foo}(a,b) + b$

## Function calls

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How do we handle an expression in a function call?

Example: `foo(a + 1)`

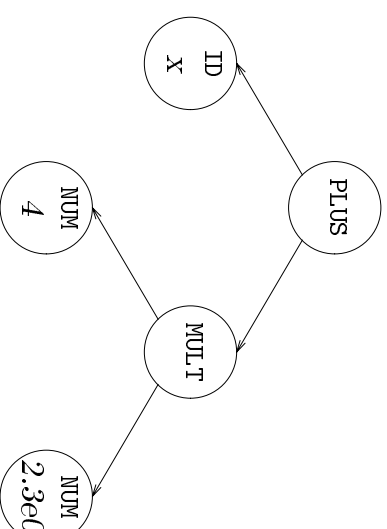
*It has no address.*

- allocate space for the result
  - *c-b-r*  $\Rightarrow$  treat as temporary
  - *c-b-v*  $\Rightarrow$  take parameter slot
- evaluate the expression (*evaluation order*)
  - may include other function calls
- store the value (*c-b-v* or *c-b-r*)
- store the address (*c-b-r*)
- redefinition in callee is lost to caller

*And, of course, the expression may contain function calls ...*

## Mixed type expressions

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Mixed type expressions:

- must have a clearly defined meaning
- typically
  1. convert operands to more general type
  2. perform operation
- generate complicated, machine dependent code

## Array references

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What about  $A[i, j]$ ?

First, we must agree to a storage scheme

*row-major order*

lay out as sequence of consecutive rows

rightmost subscript varies fastest

$A[1, 1], A[1, 2], A[1, 3], A[2, 1], A[2, 2], A[2, 3]$

*column-major order*

lay out as sequence of consecutive columns

leftmost subscript varies fastest

$A[1, 1], A[2, 1], A[1, 2], A[2, 2], A[1, 3], A[2, 3]$

*indirection vectors*      $A[v[i], w[j]]$

vector of pointers to pointers to ... to values

much more space

not amenable to analysis

## Array references

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integer  $A[1:10]$ ;

...

$x = A[i]$

How do we compute the address of an array element?

$A[i]$

$base + (i - 1) \times w$

where  $w$  is *sizeof(element)*

*in general:*  $base + (i - low) \times w$

*row-major order, two dimensions*

$base + ((i_1 - low_1) \times (high_2 - low_2 + 1) + i_2 - low_2) \times w$

*column-major order, two dimensions*

$base + ((i_2 - low_2) \times (high_1 - low_1 + 1) + i_1 - low_1) \times w$

This looks *expensive!*

Aho, Sethi, and Ullman, §8.3, pp. 481-482

## Array parameters

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What about arrays as actual parameters?

Example: `int A[100]; foo( A );`

- Call-by-reference ( $c-b-r$ ) — address of variable
- Call-by-value ( $c-b-v$ ) — value of variable

### *Whole arrays*

- need dimension information — *dope vectors*
- stuff in all the values in calling sequence
- pass the address of dope vector as parameter
- generate the complete address polynomial

*Some improvement is possible.*

- save  $n_i$  and  $low_i$
- pre-compute terms on entry to procedure (*if used*)

*Restricting the language can eliminate this problem*

## Array parameters

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What does `A[12]` mean as an actual parameter?

Example: `foo( A[12] )`

*If the corresponding formal is a scalar, it's easy*

Example: `foo( int X ) { ... }`

- simply pass the value or the address
- must know about arguments on both sides
- language must force this interpretation

*What if the corresponding formal is an array?*

Example: `foo( int X[100] ) { ... }`

- requires knowledge on both sides of call
- meaning must be well-defined and understood
- cross-procedural checking of conformability

## Memory management

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### Stack limit

- maximum height of stack during evaluation of an expression
- trace possible flows of control
- requires detailed knowledge of
  - code generated
  - virtual machine

### Local storage

- For each procedure
  - calculate total size of local variables
  - assign offset to all local variables on stack