

FACTORIE: Probabilistic Programming with Imperatively Factor Graphs

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Joint work with Andrew McCallum, Sameer Singh, Michael Wick, Sebastian Riedel.

Outline

- Motivation + Some Basics
- Overview of Conditional Random Fields
- Probabilistic Programming
- FACTORIE
- Joint Model of Segmentation and Entity Resolution (and other results)
- Future Work

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- **Motivation + Some Basics**
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Motivation

- There are many problems that are too difficult to solve by hand or too expensive
 - E.g., document classification, genetic sequence alignment, object detection in images
- Most problems are high-dimensional with **a lot** of unknown variables, in addition to inherent ambiguity
 - E.g., images have thousands of pixels; some documents belong to several classes

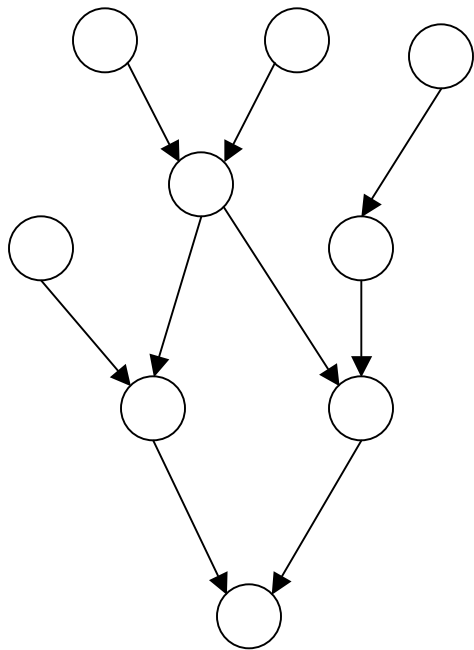
Motivation (cont.)

- We want methods that are applicable to a wide range of problems
- Probability Theory
 - Need a method that is flexible with regard to the types of probabilistic relations it can capture
 - We also want an easy and natural way to inject domain knowledge
- Graphical models to the rescue ...

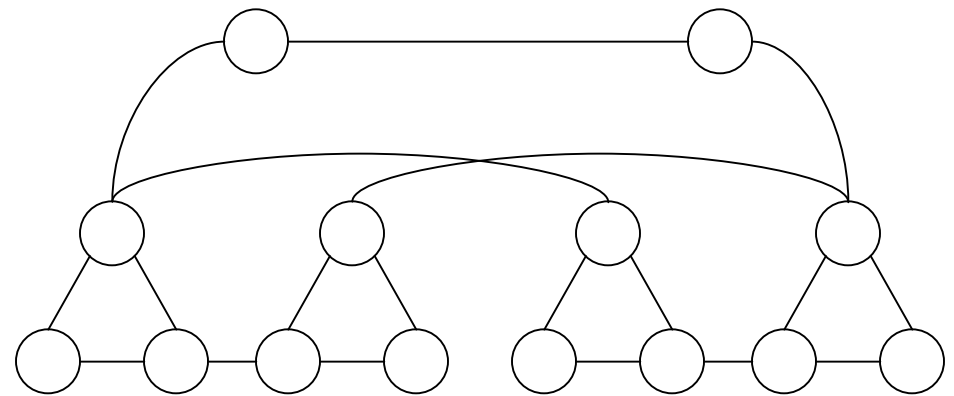
Graphical Models

- Basic framework:
 - A set of observed/input variables: $\mathbf{x}$
 - A set of predicted/output variables: $\mathbf{y}$
 - A set of edges connecting these variables to form a graphical structure
- Why a graph?
 - Many problems have are naturally represented as a graph
 - E.g., part-of-speech tagging, image segmentation
 - We can easily capture conditional independence!

Types of Graphical Models



Directed



Undirected

Recall: Conditional Independence

- x is conditionally independent of y given z

$$x \perp y|z \Leftrightarrow p(x|z) = p(x|y, z)$$

- This generalizes to sets of variables

$$\mathbf{x} \perp \mathbf{y}|\mathbf{z} \Leftrightarrow p(\mathbf{x}|\mathbf{z}) = p(\mathbf{x}|\mathbf{y}, \mathbf{z})$$

- We can get this information directly from the graphical structure

Why Conditional Independence?

- Reduces the space of probabilistic distributions that we will consider to model the data
 - Many computational advantages to this
- We often know, given a problem, which variables have dependencies and which are independent
 - snow today $\perp$ weather 2 week's ago | last 5 days
 - child genes $\perp$ grandparent's genes | parent's genes

Notation

- We are interested in modeling probability distributions over sets of random variables: $V = X \cup Y$
 - X are the input/observed variables
 - Y are the predicted/output variables
- An assignment to X is denoted by $\mathbf{x}$
- An assignment to a set $A \subset X$ by $\mathbf{x}_A$

Undirected Graphical Models

- Given a collection of subsets $A \subset X$ we define an *undirected graphical model* as the set of distributions that can be written as:

$$p(\mathbf{x}, \mathbf{y}) = \frac{1}{Z} \prod_A \Psi_A(\mathbf{x}_A, \mathbf{y}_A)$$

- Ψ_A is called a *factor*, and it computes a scalar value over its inputs $\mathbf{x}_A$ and $\mathbf{y}_A$
 - Often called *local* or *compatibility* functions

Undirected Graphical Models

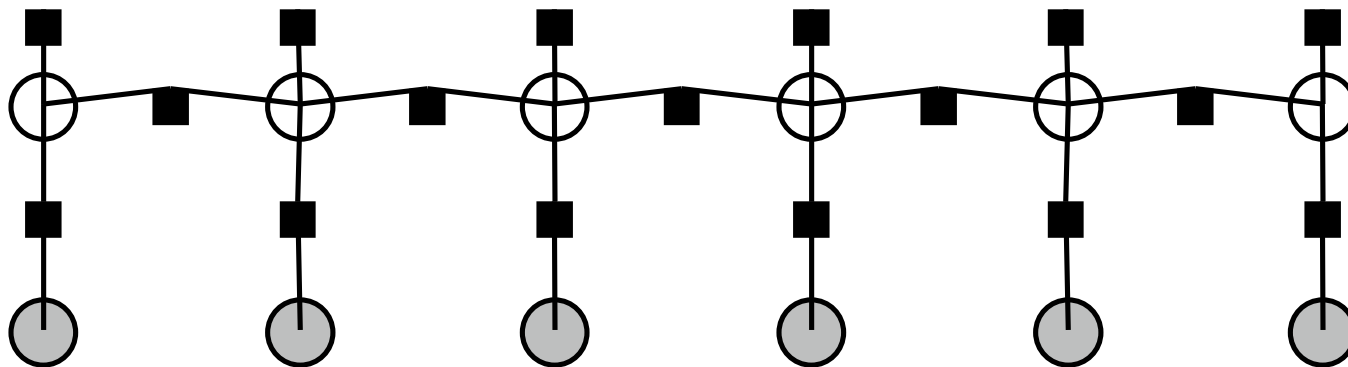
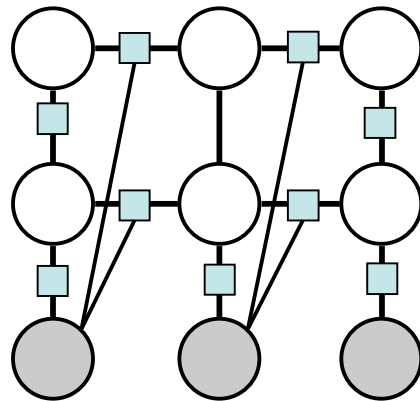
$$p(\mathbf{x}, \mathbf{y}) = \frac{1}{Z} \prod_A \Psi_A(\mathbf{x}_A, \mathbf{y}_A)$$

- The constant Z is called the normalization factor, and is defined as:

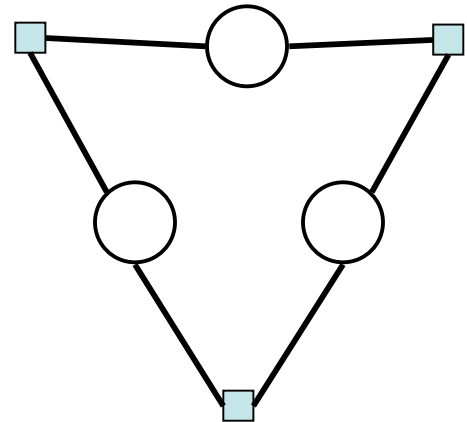
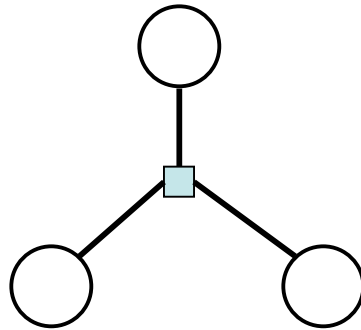
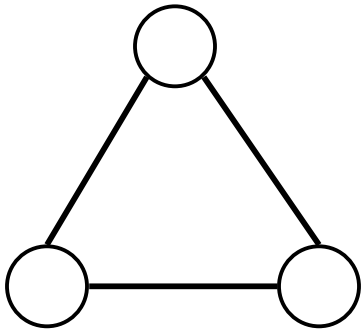
$$Z = \sum_{\mathbf{x}, \mathbf{y}} \prod_A \Psi_A(\mathbf{x}_A, \mathbf{y}_A)$$

- This guarantees that we have defined a valid probability distribution that sums to 1

Visualizing Factor Graphs



Technical Note: Factor Ambiguity in Undirected Graphs



Factors and Exponential Family

- We assume that factors have the form:

$$\Psi_A(\mathbf{x}_A, \mathbf{y}_A) = \exp \left\{ \sum_k \theta_{Ak} f_{Ak}(\mathbf{x}, \mathbf{y}) \right\}$$

- θ_{Ak} is a real-valued parameter vector
- $\{f_{Ak}\}$ is a set of *feature functions* or *sufficient statistics*

Factors and Exponential Family

$$\Psi_A(\mathbf{x}_A, \mathbf{y}_A) = \exp \left\{ \sum_k \theta_{Ak} f_{Ak}(\mathbf{x}, \mathbf{y}) \right\}$$

- Why this form?
 - Easier to parameterize the model according to relevant feature functions
 - often results in many less parameters, reducing computational complexity
 - We are guaranteed that the family of distributions which factorize over V , parameterized by θ , is an exponential family
 - Mathematically convenient for many reasons
 - Does not alter the representational power

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Conditional Random Fields (CRF)

- Traditionally graphical models have been used to represent the joint distribution $p(\mathbf{x}, \mathbf{y})$
- This is problematic because it requires knowledge of $p(\mathbf{x})$
 - E.g., if the task is named entity recognition, where we need features such as capitalization, prefixes, suffixes
 - We don't want to model these types of dependencies in $\mathbf{x}$
- Denominator of $p(\mathbf{x}, \mathbf{y})$ has a summation over $\mathbf{x}$
 - This translates into summing over all possible combinations of input variables

CRFs (cont.)

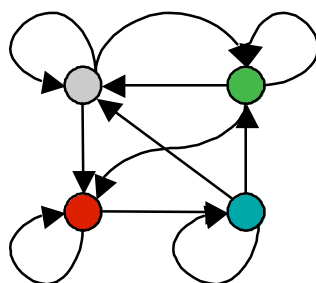
- CRFs address this by modeling the conditional distribution $p(\mathbf{y}|\mathbf{x})$ directly
- By modeling $p(\mathbf{y}|\mathbf{x})$ directly we are able to include a much richer set of features
 - This means our models can be much more complicated, without incurring the cost of calculating $p(\mathbf{x})$

(Linear Chain) Conditional Random Fields

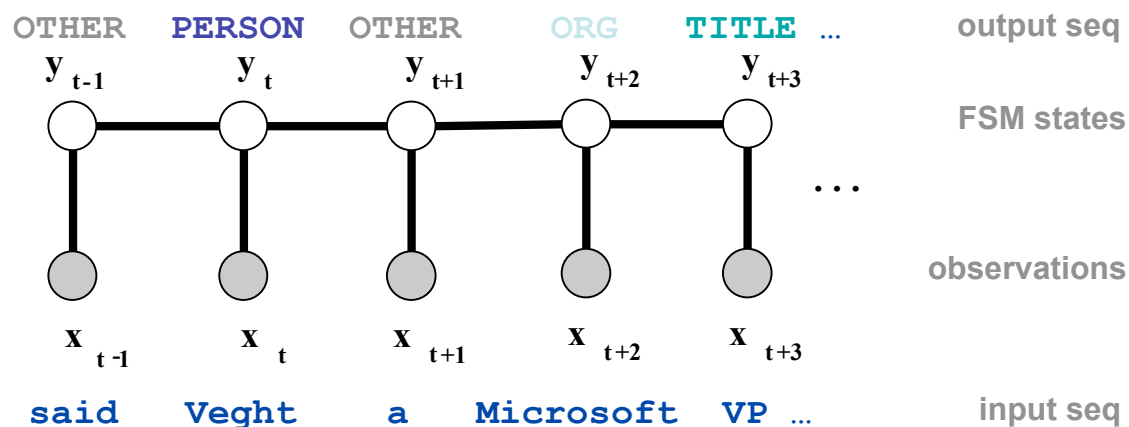
[Lafferty, McCallum, Pereira 2001]

Undirected graphical model,
trained to maximize conditional probability of outputs given inputs

FINITE STATE MACHINE



GRAPHICAL MODEL



$$p(y|x) = \frac{1}{Z(x)} \prod_{i=1}^T \psi_i(y_i, y_{i+1}, x) \quad \text{where} \quad \psi_i(y_i, y_{i+1}, x) = \exp\left\{\sum_k \lambda_k f_k(y_i, y_{i+1}, x)\right\}$$

Fast-growing, wide-spread interest, many positive experimental results.

Noun phrase, Named entity
Protein structure prediction
IE from Bioinformatics text

Asian word segmentation
IE from Research papers
Object classification in images

Factorial CRFs

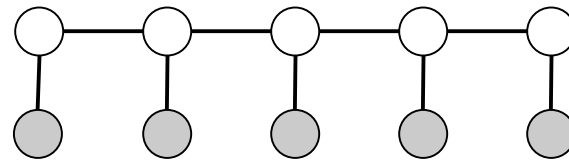
Jointly labeling cascaded sequences

Named-entity tag

Noun-phrase boundaries

Part-of-speech

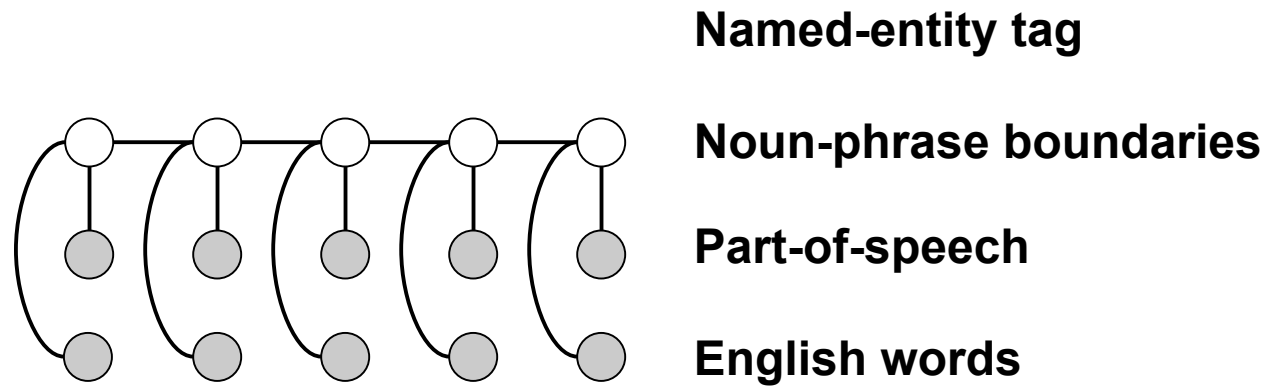
English words



[Sutton, Rohanimanesh, McCallum, 2004]

Factorial CRFs

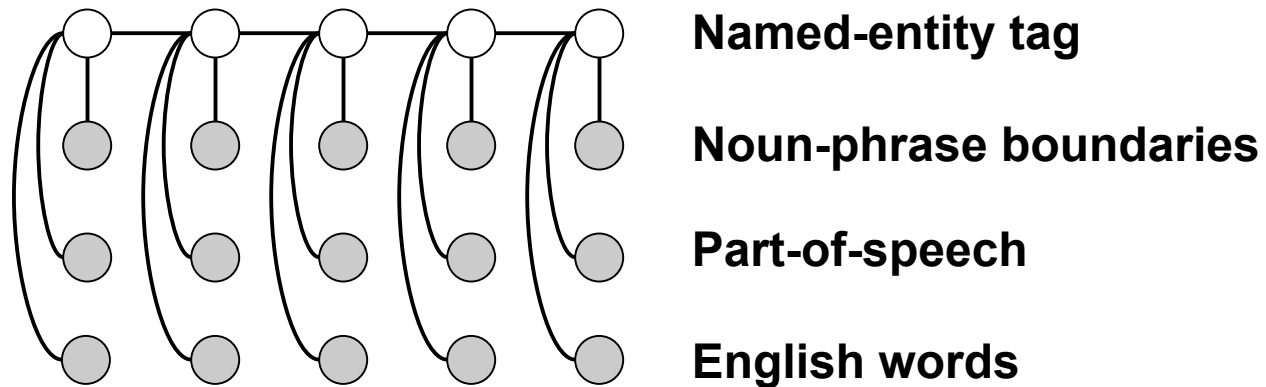
Jointly labeling cascaded sequences



[Sutton, Rohanimanesh, McCallum, 2004]

Factorial CRFs

Jointly labeling cascaded sequences

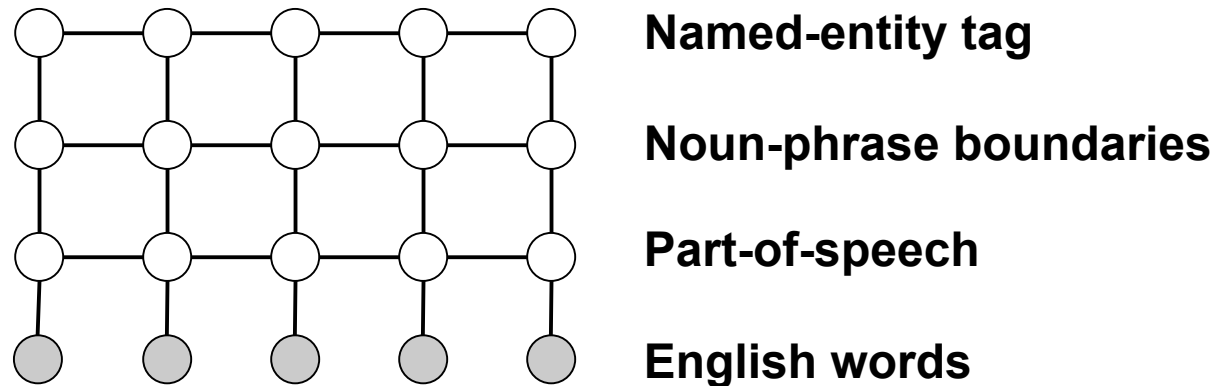


But errors cascade--must be perfect at every stage to do well.

[Sutton, Rohanimanesh, McCallum, 2004]

Factorial CRFs

Jointly labeling cascaded sequences

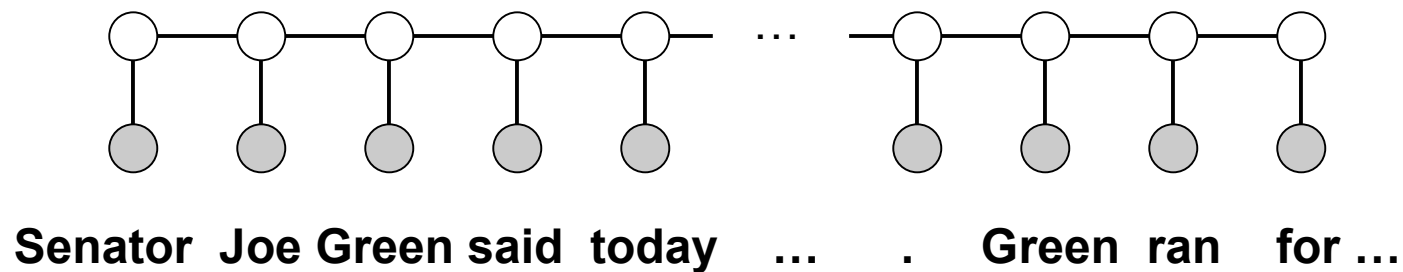


Joint prediction of part-of-speech and noun-phrase in newswire, matching accuracy with only 50% of the training data.

[Sutton, Rohanimanesh, McCallum, 2004]

Skip-chain CRFs

Jointly labeling distant mentions

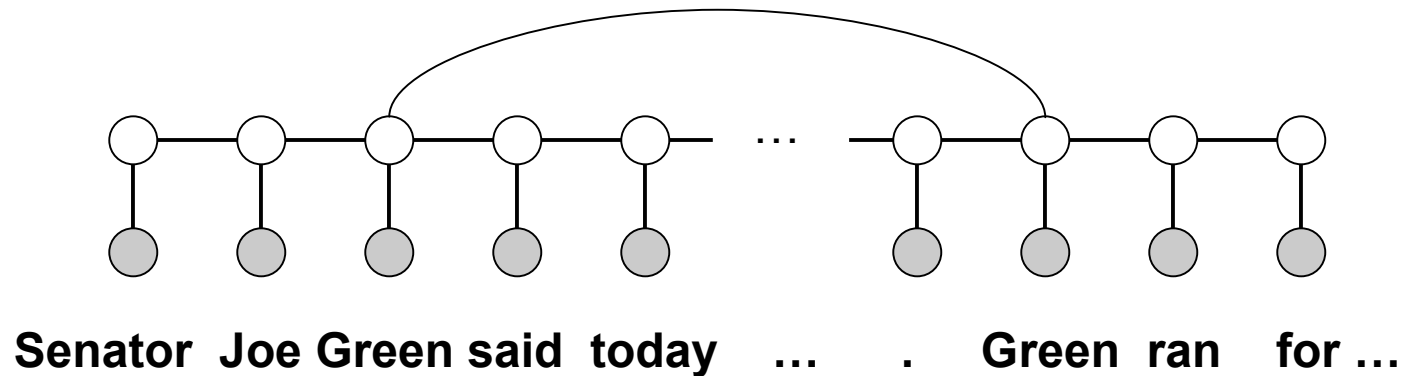


Dependency among similar, distant mentions ignored.

[Sutton & McCallum, 2004]

Skip-chain CRFs

Jointly labeling distant mentions

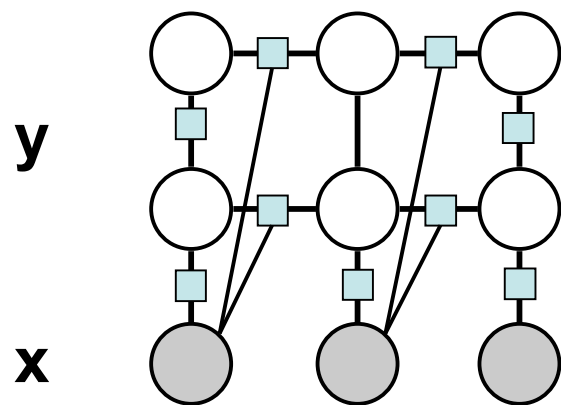


**14% reduction in error on most repeated field
in email seminar announcements.**

[Sutton & McCallum, 2004]

General CRFs

$$p(\mathbf{y}|\mathbf{x}) = \frac{1}{Z(\mathbf{x})} \prod_{\Psi_i \in G} \exp \left[\sum_{k=1}^{K_i} \theta_{ik} f_{ik}(\mathbf{x}_i, \mathbf{y}_i) \right]$$

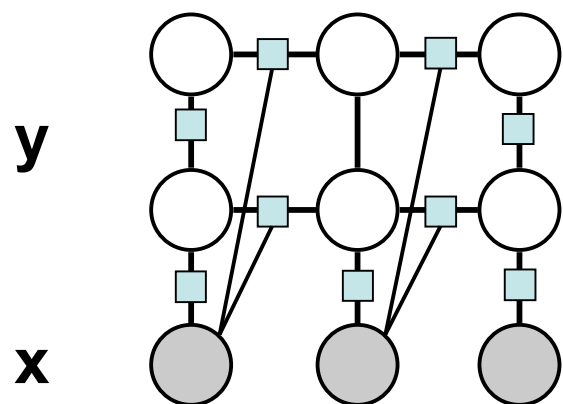


weights

features

General CRFs

$$p(\mathbf{y}|\mathbf{x}) = \frac{1}{Z(\mathbf{x})} \prod_{\Psi_i \in G} \exp \left[\sum_{k=1}^{K_i} \theta_{ik} f_{ik}(\mathbf{x}_i, \mathbf{y}_i) \right]$$



Train to maximize $\ell(\theta) = \log p(\mathbf{y}|\mathbf{x})$

$$\frac{\partial \ell}{\partial \theta_i} = f(\mathbf{x}_i, \mathbf{y}_i) - \sum_{\mathbf{y}_i} p(\mathbf{y}_i|\mathbf{x}_i; \theta) f(\mathbf{x}_i, \mathbf{y}_i)$$

Parameter Estimation

- Optimization problem
 - E.g., maximize the log likelihood
- Perceptron style
 - Make a prediction, adjust parameters as necessary to agree
 - Most similar to Factorie's SampleRank

Inference in CRFs

- Exact Inference
 - Variable elimination
 - Message passing in trees (or poly-trees)
- Optimization Based Methods
 - Message passing in loopy graphs
 - Approximating distributions
- Particle Methods
 - Gibbs sampling
 - Importance sampling
 - Markov Chain Monte Carlo
 - Metropolis Hastings

Parameter Tying in CRFs

- Often the same parameters are used for several factors
 - Factor template T_j ; parameters $\{f_{jk}\}$; sufficient statistics functions $\{\theta_{jk}\}$; and a description of what variables tuples $\{(\mathbf{x}_i, \mathbf{y}_i)\}$ fulfill the arbitrary relationship the factor template represents
 - E.g., in practice the same weights are used for each time step in a linear-chain CRF

$$p(\mathbf{y}|\mathbf{x}) = \frac{1}{Z(\mathbf{x})} \prod_{T_j \in \mathcal{T}} \prod_{(\mathbf{x}_i, \mathbf{y}_i) \in T_j} \exp \left[\sum_{k=1}^{K_j} \theta_{jk} f_{jk}(\mathbf{x}_i, \mathbf{y}_i) \right]$$

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Probabilistic Modeling in the Last Few Years

- Models ever growing in richness and variety
 - hierarchical
 - recursive
 - spatio-temporal
 - relational
 - infinite
- Developing the representation, reasoning and learning for a new model is a significant task.

Probabilistic Programming Languages

- Make it easy to represent rich, complex models, using the full power of programming languages
 - data structures
 - control mechanisms
 - abstraction
- Inference and learning come for free (or sort of)
- Gives you a language to think of and create new models

Small Sampling of Probabilistic Programming Languages

- Logic-based
 - Markov logic, BLOG, PRISM
- Functional
 - IBAL, Church
- Object Oriented
 - Figaro

Markov Logic

First-Order Logic as a Template to Define CRF Parameters

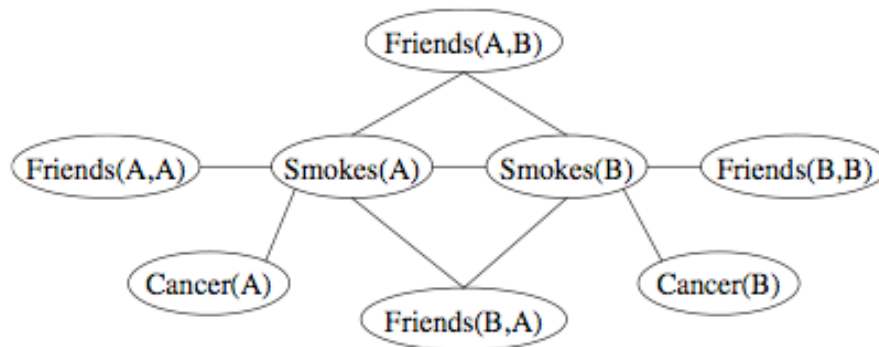
[Richardson & Domingos 2005]

[Paskin & Russell 2002]

[Taskar et al 2003]

English	First-Order Logic	Clausal Form	Weight
Friends of friends are friends.	$\forall x \forall y \forall z \text{Fr}(x, y) \wedge \text{Fr}(y, z) \Rightarrow \text{Fr}(x, z)$	$\neg \text{Fr}(x, y) \vee \neg \text{Fr}(y, z) \vee \text{Fr}(x, z)$	0.7
Friendless people smoke.	$\forall x (\neg(\exists y \text{Fr}(x, y)) \Rightarrow \text{Sm}(x))$	$\text{Fr}(x, g(x)) \vee \text{Sm}(x)$	2.3
Smoking causes cancer.	$\forall x \text{Sm}(x) \Rightarrow \text{Ca}(x)$	$\neg \text{Sm}(x) \vee \text{Ca}(x)$	1.5
If two people are friends, either both smoke or neither does.	$\forall x \forall y \text{Fr}(x, y) \Rightarrow (\text{Sm}(x) \Leftrightarrow \text{Sm}(y))$	$\neg \text{Fr}(x, y) \vee \text{Sm}(x) \vee \neg \text{Sm}(y),$ $\neg \text{Fr}(x, y) \vee \neg \text{Sm}(x) \vee \text{Sm}(y)$	1.1

ground Markov network $P(X = x) = \frac{1}{Z} \exp \left(\sum w_i n_i(x) \right)$



**grounding Markov network
requires space $O(n^r)$
 n = number constants
 r = highest clause arity**

BLOG

[Milch et al, 2005]

- Generative model of objects and relations.
- Handles unknown number of objects
- Inference by MCMC.

```
#Researcher ~ NumResearchersPrior();
Name(r) ~ NamePrior();
#Paper ~ NumPapersPrior();
FirstAuthor(p) ~ Uniform({Researcher r});
Title(p) ~ TitlePrior();
PubCited(c) ~ Uniform({Paper p});
Text(c) ~ NoisyCitationGrammar
          (Name(FirstAuthor(PubCited(c))), Title(PubCited(c)));
```

Figaro

[Pfeffer, 2009]

- Generative model of objects and relations.
- Object oriented (also in Scala!)
 - “Models” are basic building block, composed of other models, derived by inheritance.
 - Models are objects with conditions, constraints and relations to other objects.
 - Model = data + factors; they are highly intertwined.

Figaro

[Pfeffer, 2009]

- People smoke with probability 0.6:

• Smoke(x)	1.5
----------------	-----

- Friends are 3 times as likely to have the same smoking habit than different:

• $\leftarrow \text{Friends}(x,y) \vee \leftarrow \text{Smoke}(x) \vee \text{Smoke}(y)$	3
---	---

• $\leftarrow \text{Friends}(x,y) \vee \text{Smoke}(x) \vee \leftarrow \text{Smoke}(y)$	3
---	---

```
class Person { val smokes = Flip(0.6) }  
val alice, bob, clara = new Person  
alice.smokes.condition(true)  
val friends = List((alice, bob), (bob, clara))  
def constraint(pair: (Boolean, Boolean)) =  
  if (pair._1 == pair._2) 3.0; else 1.0  
for { (p1,p2) ← friends }  
  Pair(p1.smokes, p2.smokes).constrain(constraint)
```

Church

[Goodman, Mansinghka, Roy, Tenenbaum, 2009]

- Tell generative story-line in Scheme.
- Do MCMC inference over execution paths.

```
(define (DP alpha proc)
  (let ((sticks (mem (lambda x (beta 1.0 alpha))))
        (atoms (mem (lambda x (proc))))))
    (lambda () (atoms (pick-a-stick sticks 1)))))

(define (pick-a-stick sticks J)
  (if (< (random) (sticks J))
      J
      (pick-a-stick sticks (+ J 1))))

(define (DPmem alpha proc)
  (let ((dps (mem (lambda args
                    (DP alpha (lambda () (apply proc args))
                    )))))
    (lambda (argsin) ((apply dps argsin))) ))
```

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Factorie Approach

- We want a single framework for combining declarative and procedural domain knowledge
 - By leveraging imperative constructs (snippets of procedural code)
- A model written as an IDF is a factor graph with all the traditional semantics of factor graphs
 - E.g., factors, variables, possible worlds, scores, partition functions

Logic + Probability

- Significant interest in this combination
 - Poole, Muggleton, DeRaedt, Sato, Domingos,...
- We now hypothesize that in much of this previous work the “*logic*” aspect is not crucial to the ultimate goal of accurate and expressive modeling
 - Power: repeated relational structures and tied parameters
 - Logic is one way to specify these structures, but not the only one, and perhaps not the best (problems with sets, graph reachability).
 - In deterministic programming, Prolog replaced by imperative lang's
 - programmers have to keep imperative solver in mind afterall
 - much domain knowledge is procedural anyway
 - Logical inference replaced by probabilistic inference.

Declarative Model Specification

- One of biggest advances in AI & ML
- Gone too far?
Much domain knowledge is also procedural.
- Logic + Probability $\rightarrow$ Imperative + Probability
 - Rising interest: Church, Csoft,...
- Our approach
 - Preserve the *declarative* statistical semantics of factor graphs
 - Provide *imperative* hooks to define structure, parameterization, inference, learning. Efficient. Easy-to-use.
 - ***“Imperatively-Defined Factor Graphs” (IDFs)***

Our Design Goals

- Represent factor graphs
 - emphasis on discriminative undirected models
- Scalability
 - input data, output configuration, factors, tree-width
 - observed data that cannot fit in memory
 - exponential number of factors
- Efficient discriminative parameter estimation
 - sensitive to the expense of inference
- Leverage object-oriented benefits
 - Modularity, encapsulation, inheritance,...
- Integrate declarative & procedural knowledge
 - natural, easy-to-use
 - upcoming slides:
 - 4 examples of injecting imperativ-ism into factor graphs

FACTORIE

- Factor Graphs, Imperative, Extensible
- Implemented as a library in *Scala* [Martin Odersky]
 - object oriented & functional
 - type inference
 - lazy evaluation
 - everything an object (int, float,...)
 - nice syntax for creating “domain-specific languages”
 - runs in JVM (complete interoperation with Java)
 - “Haskell++ in a Java style”
- Library, not new “little language”
 - all familiar Java constructs & libraries available to you
 - integrate data pre-processing & eval. w/ model spec
 - Scala makes syntax not too bad.
 - But not as compact as a dedicated language (BLOG, MLN)

Stages of Factorie Programming

1. Identify a natural representation of the data (variables)
 - Use data structures just like in deterministic programming.
 - Only special requirement: provide “undo” capability for changes.
2. Create factor templates to capture dependencies between variables
 - Distinct from above data representation; makes it easy to modify model scores independently.
 - Use & transform data’s natural relations to define factors’ relations.
 - Design your set of features (parameterization)
3. Optionally, define MCMC proposal functions that leverage domain knowledge.

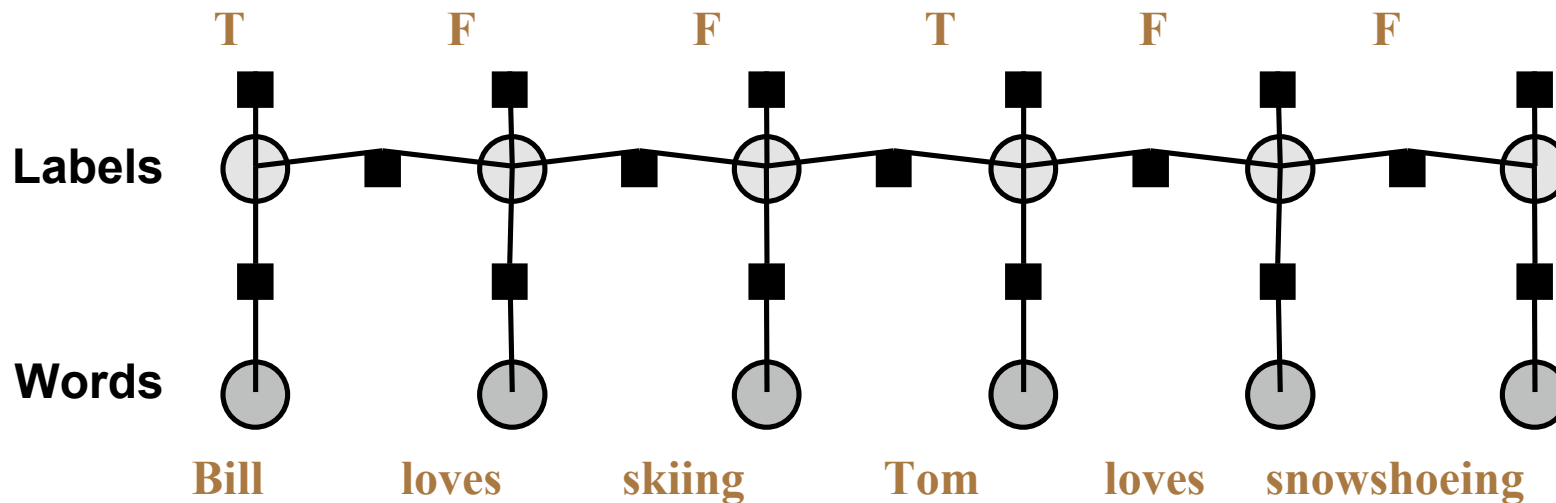
Scala

- New variable
`var myHometown : String`
`var myAltitude = 10523.2`
- New constant
`val myName = "Karl"`
- New method
`def climb(increment:double) = myAltitude += increment`
- New class
`class Skier extends Person`
- New trait (like Java interface with implementations)
`trait FirstAid { def applyBandage = ... }`
- New class with trait
`class BackcountrySkier extends Skier with FirstAid`
- New static object [generic]
`object GlobalSkierTable extends ArrayList[Skier]`

Example: Linear-Chain CRF for Segmentation

```
class Label(isBeg:boolean) extends Bool(isBeg)
```

```
class Token(word:String) extends EnumVariable(word)
```

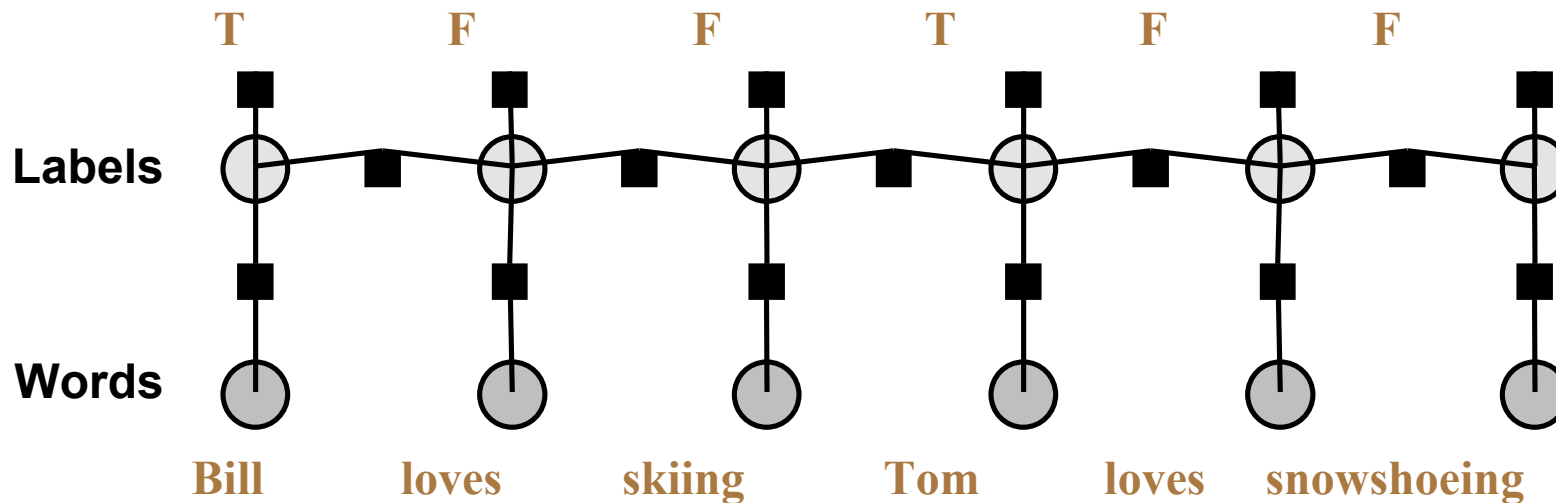


Example: Linear-Chain CRF for Segmentation

```
class Label(isBeg:boolean) extends Bool(isBeg) with VarSeq
```

```
class Token(word:String) extends EnumVariable(word) with VarSeq
```

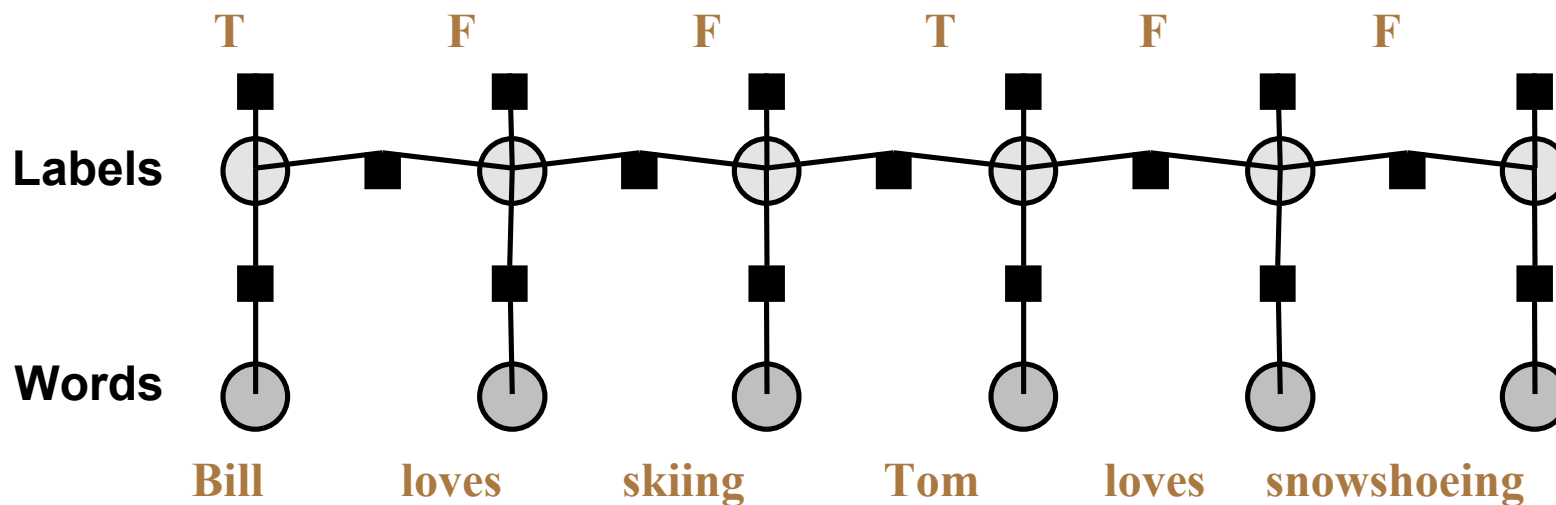
```
label.prev  
label.next
```



Example: Linear-Chain CRF for Segmentation

```
class Label(isBeg:boolean) extends Bool(isBeg) with VarSeq
```

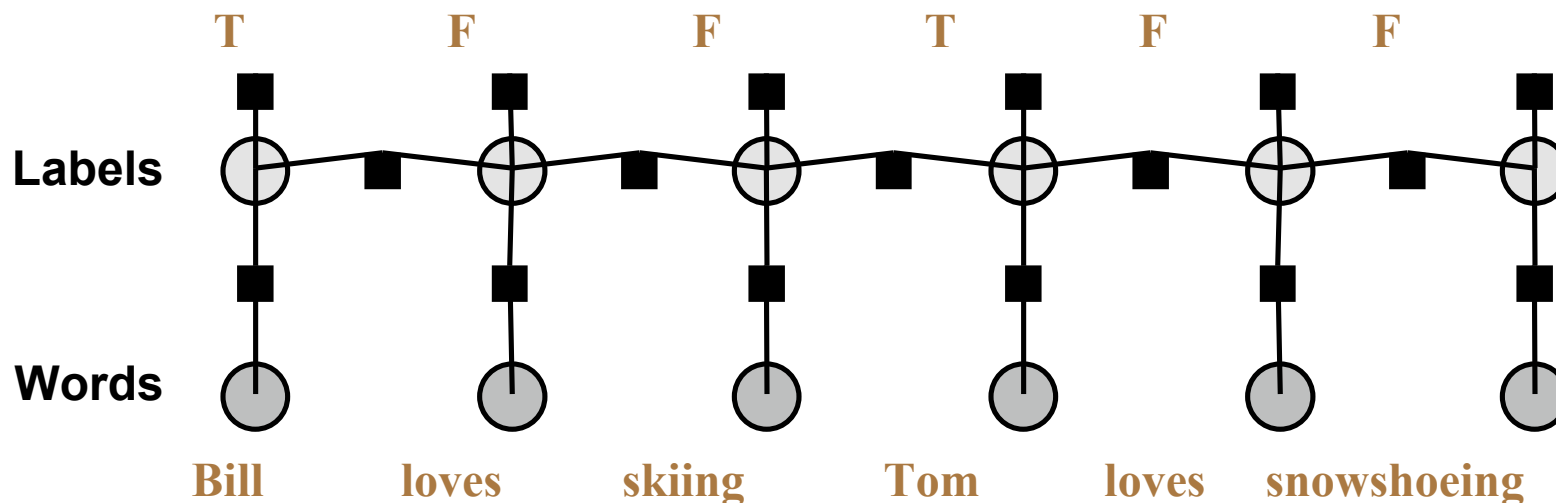
```
class Token(word:String) extends EnumVariable(word) with VarSeq
```



Example: Linear-Chain CRF for Segmentation

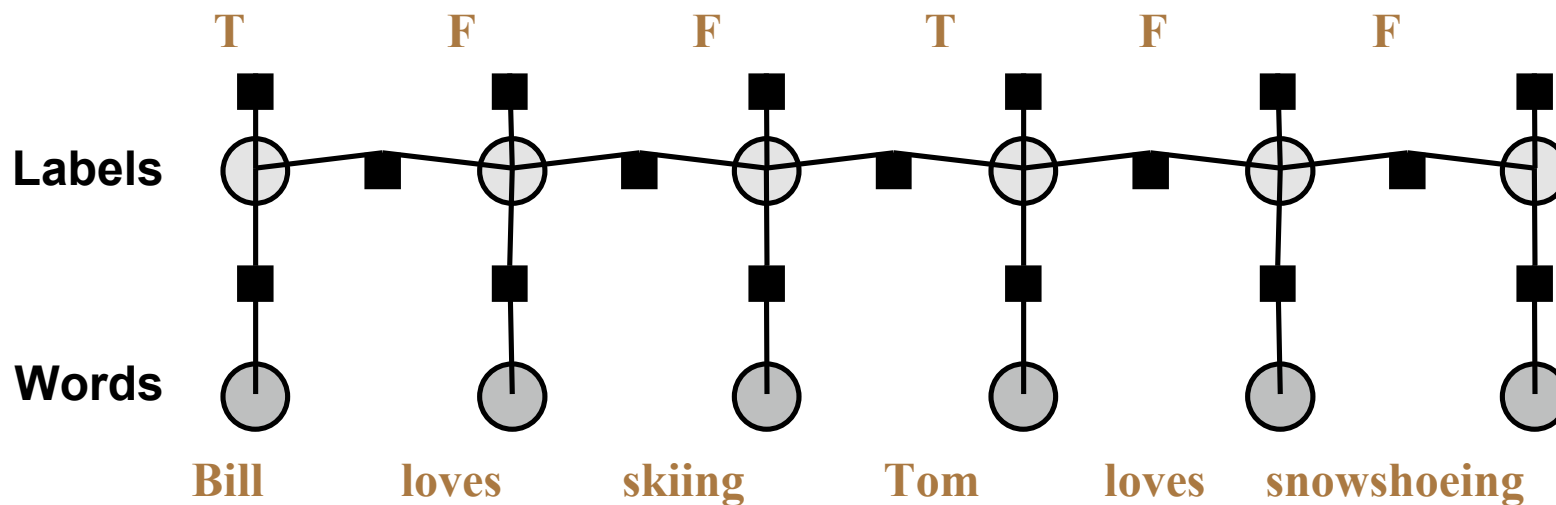
```
class Label(isBeg:boolean) extends Bool(isBeg) with VarSeq {  
  val token : Token  
}  
class Token(word:String) extends EnumVariable(word) with VarSeq {  
  val label : Label  
}
```

Avoid representing relations by indices.
Do it directly with members, pointers... arbitrary data structure.



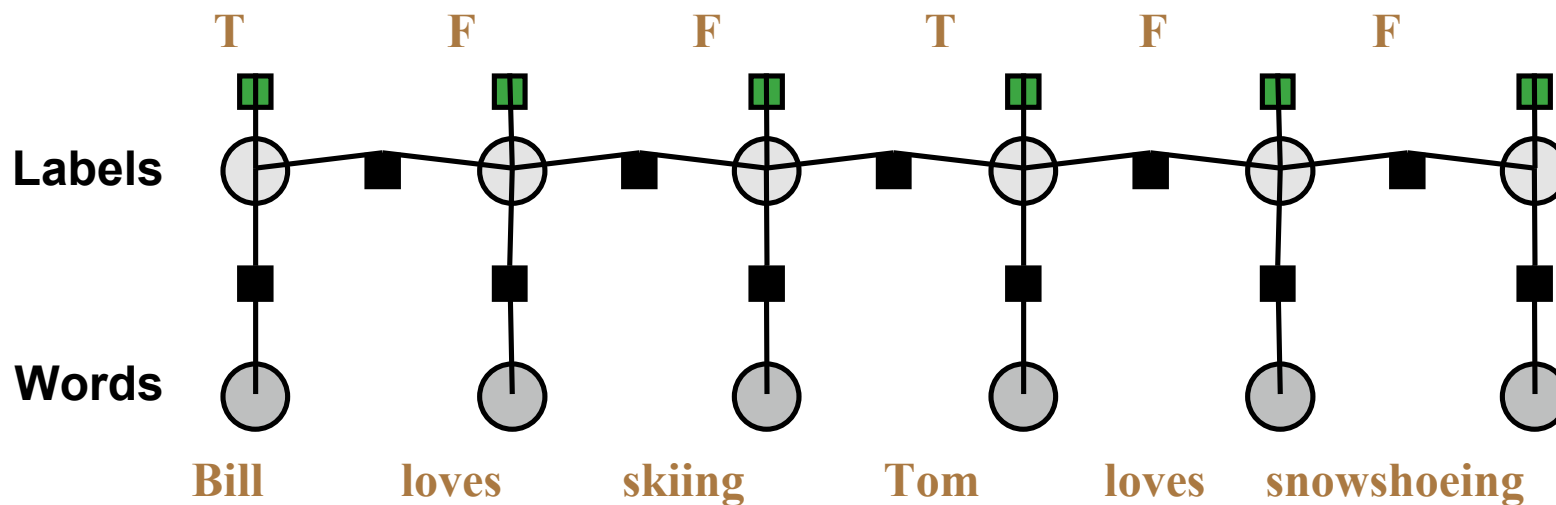
Example: Linear-Chain CRF for Segmentation

```
class Label(isBeg:boolean) extends Bool(isBeg) with VarSeq {  
  val token : Token  
}  
class Token(word:String) extends EnumVariable(word) with VarSeq {  
  val label : Label  
  def longerThanSix = word.length > 6  
}
```



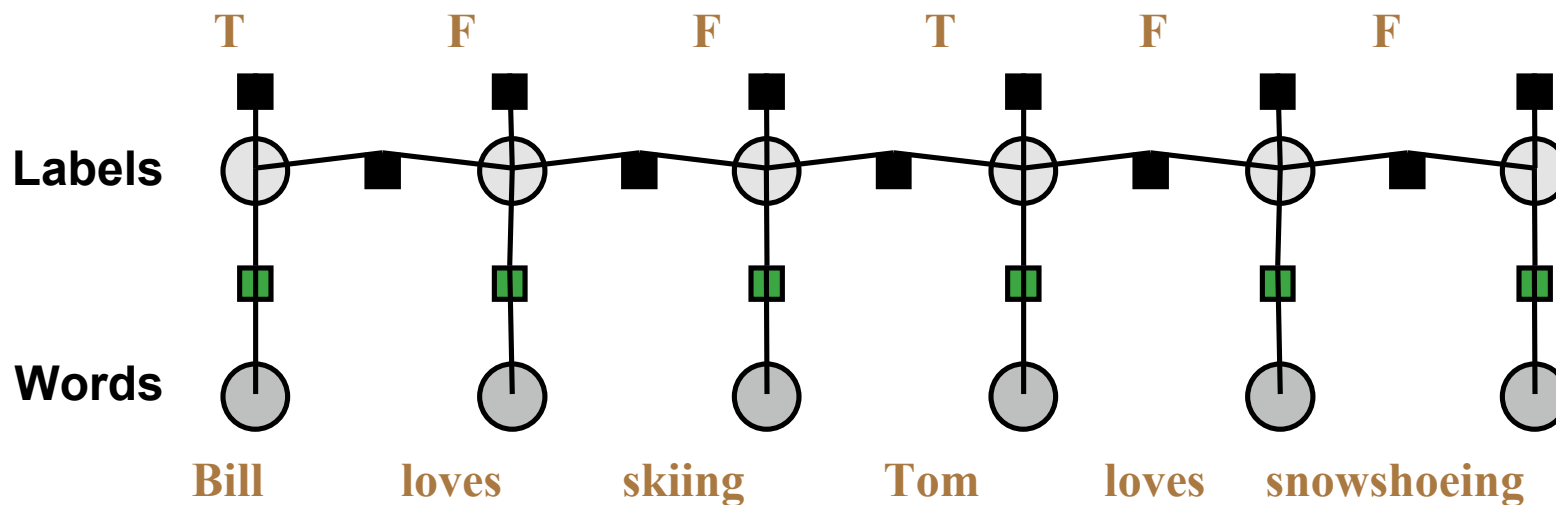
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  val token : Token  
}  
class Token(word:String) extends EnumVariable(word) with VarSeq {  
  val label : Label  
  def longerThanSix = word.length > 6  
}  
  
// Factor templates  
object StateTemplate extends Template1[Label]
```



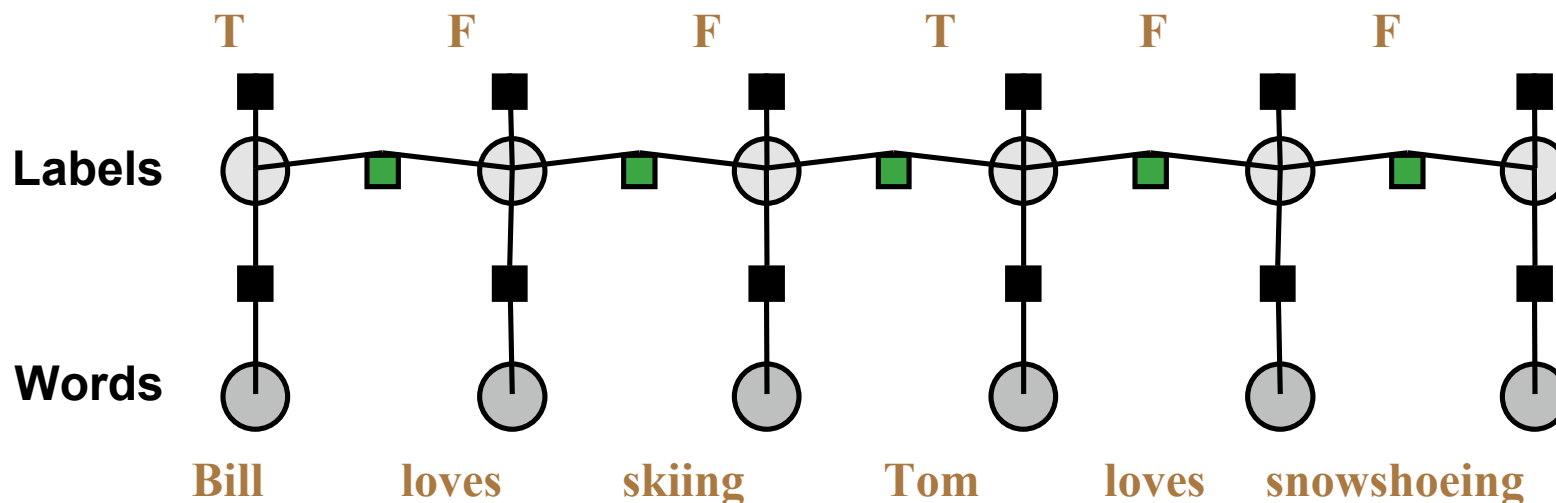
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class Label(isBeg:boolean) extends Bool(isBeg) with VarSeq {  
  val token : Token  
}  
class Token(word:String) extends EnumVariable(word) with VarSeq {  
  val label : Label  
  def longerThanSix = word.length > 6  
}  
  
// Factor templates  
object StateTemplate extends Template1[Label]  
object StateTokenTemplate extends Template2[Label,Token]
```



Example: Linear-Chain CRF for Segmentation

```
class Label(isBeg:boolean) extends Bool(isBeg) with VarSeq {  
  val token : Token  
}  
class Token(word:String) extends EnumVariable(word) with VarSeq {  
  val label : Label  
  def longerThanSix = word.length > 6  
}  
  
// Factor templates  
object StateTemplate extends Template1[Label]  
object StateTokenTemplate extends Template2[Label,Token]  
object StateTransitionTemplate extends Template2[Label,Label]
```

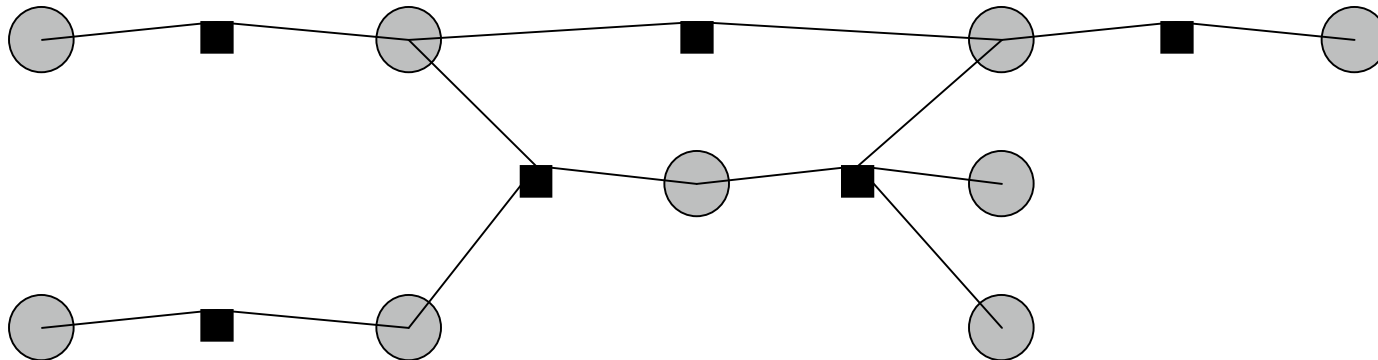


Markov Chain Monte Carlo

- Only represent one configuration of the variables at a time
- Use a stochastic proposal distribution (“jump function”) to generate new samples
- Allows us to avoid unrolling the entire network
 - Can therefore have much more complicated models

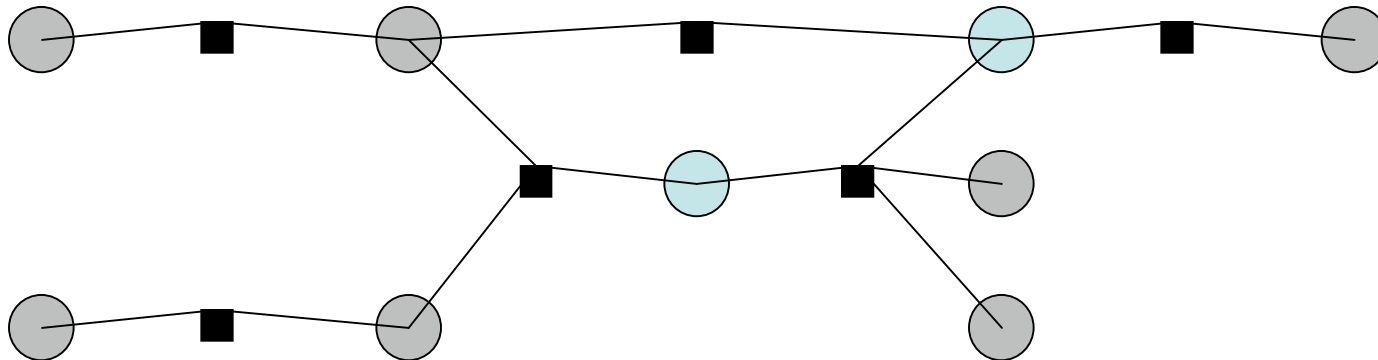
Key Operation: Scoring a Proposal

- Acceptance probability $\sim$ ratio of model scores. Scores of factors that didn't change cancel.
- To efficiently score:
 - Proposal method runs.



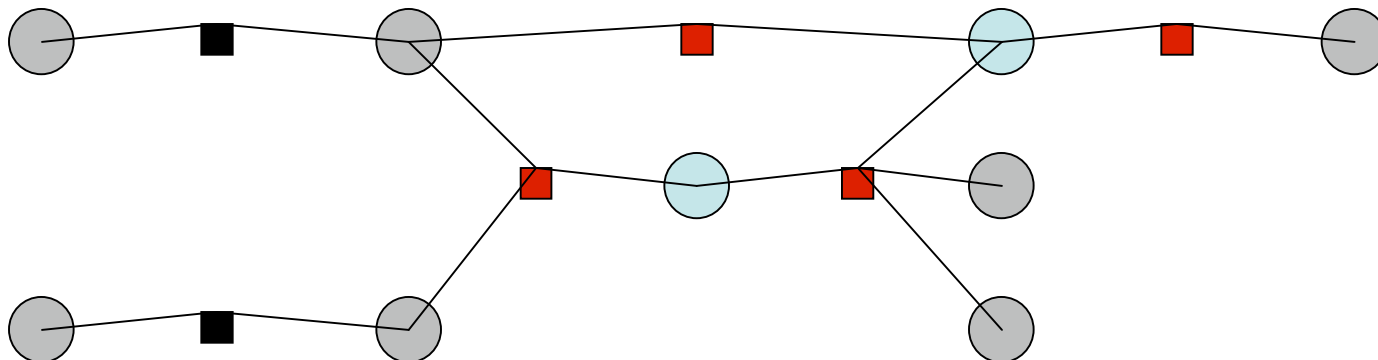
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 - Automatically build a list of variables that changed.



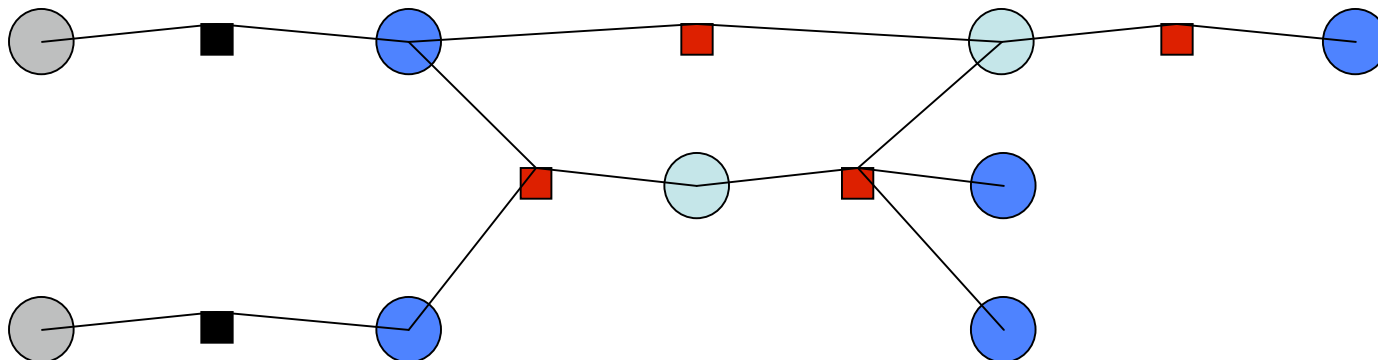
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 - Find other (unchanged) variables needed to calculate those factors' scores



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- To efficiently score:
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 - Automatically build a list of variables that changed.
 - Find factors that touch changed variables
 - Find other (unchanged) variables needed to calculate those factors' scores
- How to find factors from variables & vice versa?
 - In BLOG, rich, highly-indexed data structure stores mapping variables $\longleftrightarrow$ factors
 - But complex to maintain as structure changes

Imperativ-ism #1: Jump Function

- Proposal “jump function”
 - Make changes to world state
- Sometimes simple, sometimes not
 - Sample Gaussian with mean at old value
 - Sample cluster to split,
run stochastic greedy agglomerative clustering
- Gibbs sampling, one variable at a time
 - poor mixing
- Rich jump function
 - Natural place to embed domain knowledge about what variables should change in concert.

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 - poor mixing
- Rich jump function
 - Natural place to embed domain knowledge about what variables should change in concert.
 - Avoid some expensive deterministic factors with *property-preserving jump functions* (e.g. coref transitivity, dependency parsing projectivity)

Imperativ-ism #2: Variable Coordination

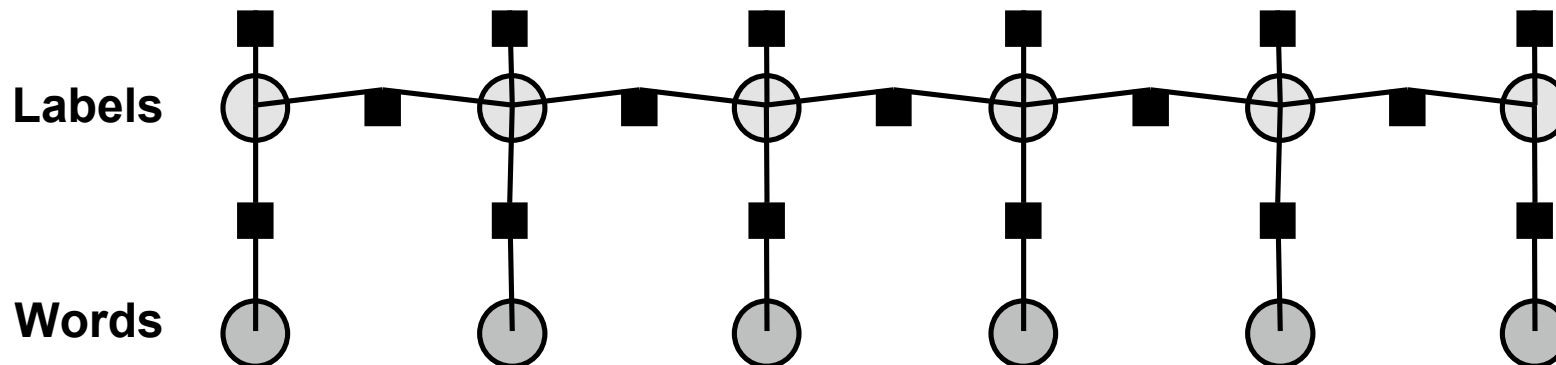
- Given the set of variables that change as a result of a proposal by the jump function
 - Can generate a 2nd set of variables that should change in concert with the first set
 - Model authors can provide this imperatively via the `set()` method in variable class declaration
- Helps reshape the feasible region by automatically making changes rather than relying on sampling to discover the valid configurations
- Examples:
 - Given a named-entity label change, coreferent mentions should change as well
 - Recalculating canonical values in a set-based variable

Imperativ-ism #3: Model Structure

- Maintain a map structure between factors and variables
- Finding factors is easy. Usually # instantiations < 50.
- *Primitive operation:*
Given factor template and one changed variable, find other variables
- In factor Template object, define *imperative methods* that do this.
 - **unroll1(v1)** returns (v1,v2,v3)
 - **unroll2(v2)** returns (v1,v2,v3)
 - **unroll3(v3)** returns (v1,v2,v3)
 - I.e., use Turing-complete language to determine structure on the fly.
 - If you want to use a data structure instead, access it in the method.
 - If you want a higher-level language for specifying structure, write it terms of this primitive.
- Other nice attribute
 - Easy to do value-conditioned structure. Case Factor Diagrams, etc.
 - Not only avoid unrolling, don't even allocate all factors for current config.
 - Avoid object look-up by index! (Hairy when objects created/destroyed)

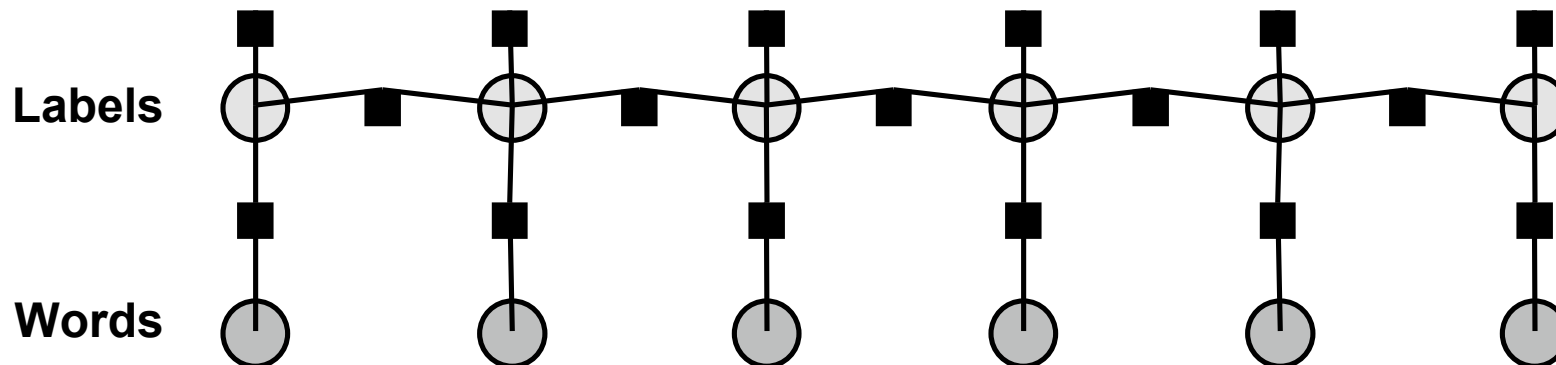
Example: Linear-Chain CRF for Segmentation

```
class Label(isBeg:boolean) extends Bool(isBeg) with VarSeq {  
  val token : Token  
}  
class Token(word:String) extends EnumVariable(word) with VarSeq {  
  val label : Label  
  def longerThanSix = word.length > 6  
}  
  
// Factor templates  
object StateTemplate extends Template1[Label]  
object StateTokenTemplate extends Template2[Label,Token]  
object StateTransitionTemplate extends Template2[Label,Label]
```



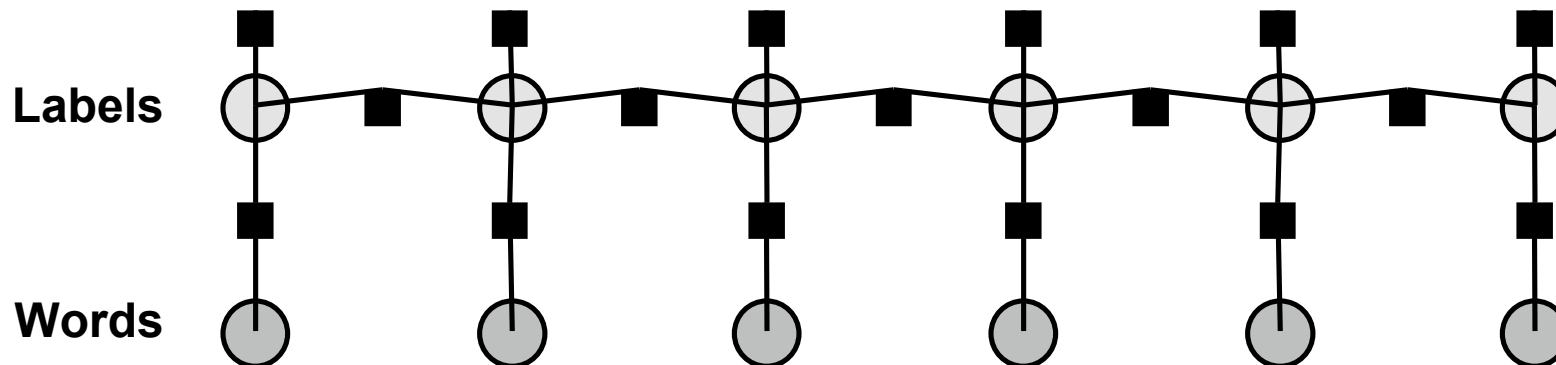
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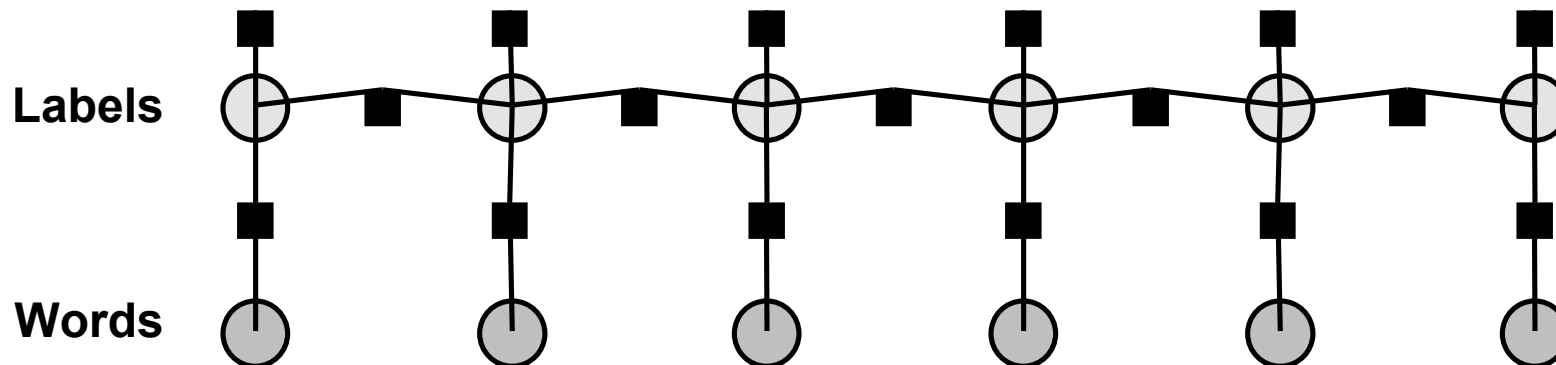
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}  
object StateTransitionTemplate extends Template2[Label,Label]
```



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}
object StateTransitionTemplate extends Template2[Label,Label] {
  def unroll1(label:Label) = Factor(label, label.next)
}
```

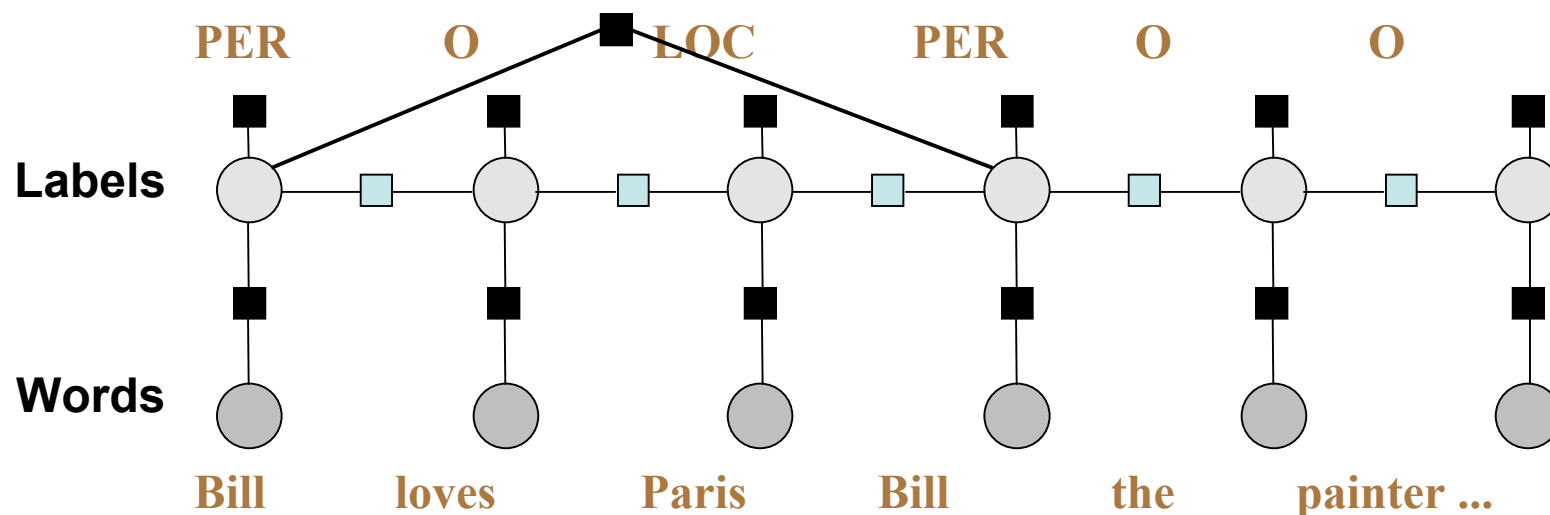
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}
object StateTransitionTemplate extends Template2[Label,Label] {
  def unroll1(label:Label) = Factor(label, label.next)
  def unroll2(label:Label) = Factor(label.prev, label)
}
```

Imperativ-ism #4: Neighbor-Sufficient Map

- “*Neighbor Variables*” of a factor
 - Variables touching the factor
- “*Sufficient Statistics*” of a factor
 - Vector, dot product with weights of log-linear factor $\rightarrow$ factor’s score
- Usually confounded. Separate them.
- Skip-chain NER. Instead of 5x5 parameters, just 2.
(label1, label2) $\rightarrow$ label1 == label2



Example: Linear-Chain CRF for Segmentation

```
class Label(isBeg:boolean) extends Bool(isBeg) with VarSeq {
  val token : Token
}
class Token(word:String) extends EnumVariable(word) with VarSeq {
  val label : Label
  def longerThanSix = word.length > 6
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object StateTemplate extends Template1[Label]
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  def unroll1(label:Label) = Factor(label, label.token)
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}
object StateTransitionTemplate extends Template2[Label,Label] {
  def unroll1(label:Label) = Factor(label, label.next)
  def unroll2(label:Label) = Factor(label.prev, label)
}
```

Example: Skip-Chain CRF for Segmentation

```
class Label(isBeg:boolean) extends Bool(isBeg) with VarSeq {
  val token : Token
}
class Token(word:String) extends EnumVariable(word) with VarSeq {
  val label : Label
  def longerThanSix = word.length > 6
}

// Factor templates
object StateTemplate extends TemplateWithStatistics1[Label]
object StateTokenTemplate extends TemplateWithStatistics2[Label,Token] {
  def unroll1(label:Label) = Factor(label, label.token)
  def unroll2(token:Token) = new Error // Tokens shouldn't change
}
object StateTransitionTemplate extends TemplateWithStatistics2[Label,Label] {
  def unroll1(label:Label) = Factor(label, label.next)
  def unroll2(label:Label) = Factor(label.prev, label)
}
object SkipTemplate extends Template1[Label,Label] with Statistics1[Bool]
```

Example: Skip-Chain CRF for Segmentation

```
class Label(isBeg:boolean) extends Bool(isBeg) with VarSeq {
  val token : Token
}
class Token(word:String) extends EnumVariable(word) with VarSeq {
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  def unroll1(label:Label) = Factor(label, label.token)
  def unroll2(token:Token) = new Error // Tokens shouldn't change
}
object StateTransitionTemplate extends TemplateWithStatistics2[Label,Label] {
  def unroll1(label:Label) = Factor(label, label.next)
  def unroll2(label:Label) = Factor(label.prev, label)
}
object SkipTemplate extends Template1[Label,Label] with Statistics1[Bool]{
  def unroll1(label:Label) = for (other <- label.seq)
    if (label.token == other.token)) yield Factor (label,other)
}
```

Example: Skip-Chain CRF for Segmentation

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class Label(isBeg:boolean) extends Bool(isBeg) with VarSeq {
  val token : Token
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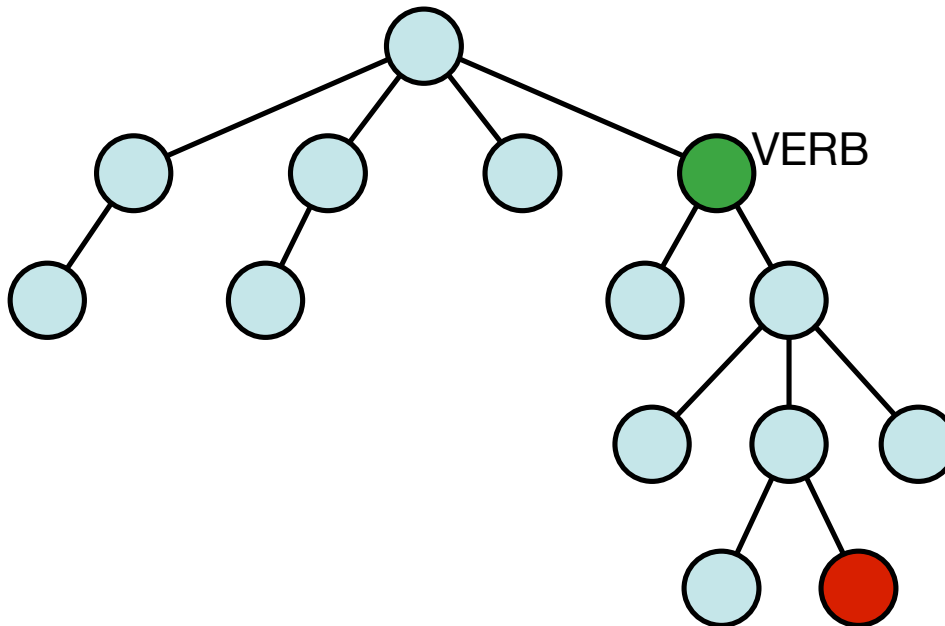
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  def unroll2(label:Label) = Factor(label.prev, label)
}
object SkipTemplate extends Template2[Label,Label] with Statistics1[Bool]{
  def unroll1(label:Label) = for (other <- label.seq;
    if (label.token == other.token)) yield Factor (label,other)
  def statistics(label1:Label,label2:Label) = Stat(label1 == label2)
}
```

Example: Dependency Parsing

```
class Word(str:String) extends EnumVariable(word)
class Node(word:Word, parent:Node) extends PrimitiveVariable(parent)

object ChildParentTemplate extends Template1[Node] with Statistics2[Word,Word] {
  def statistics(n:Node) = Stat(n.word, n.parent.word)
}

object NearestVerbTemplate extends Template1[Node] with Statistics2[Word,Word] {
  def statistics(n:Node) = Stat(n.word, closestVerb(n).word)
  def closestVerb(n:Node) = if (isVerb(n.word)) n else closestVerb(n.parent)
  def unroll1(n:Node) = n.selfAndDescendants
}
```



SampleRank: Learning by Ranking

How do we make one million updates?

IDEA: rank configuration during a random walk

Each jump produces a config pair $y \rightarrow y'$

Objective signal (Ω) yields score for all y in F (e.g. B^3

F1-score in a clustering problem)

WANT: model to agree with signal

SOLUTION: set θ to rank (y, y') in same order as signal

SampleRank (algorithm)

Input:

1. Factor graph $G_\theta = \langle X, Y, \Psi \rangle$
2. Proposal distribution $Q : Y \times Y \rightarrow [0, 1]$
3. Preference function $P(y, y') = 1$ if y is preferred over y' , 0 otherwise

1. Initialize $y = y_0$ in F
2. Propose a change $y' \sim Q(-|y)$
3. Compute gradient: $\nabla = \phi(y') - \phi(y)$
4. Update if misranked: $\theta = \theta + \eta \nabla$
5. Probabilistically accept: $y = y'$
6. Repeat steps 2-5

Output:

Parameters θ

SampleRank

Length is magnitude of score

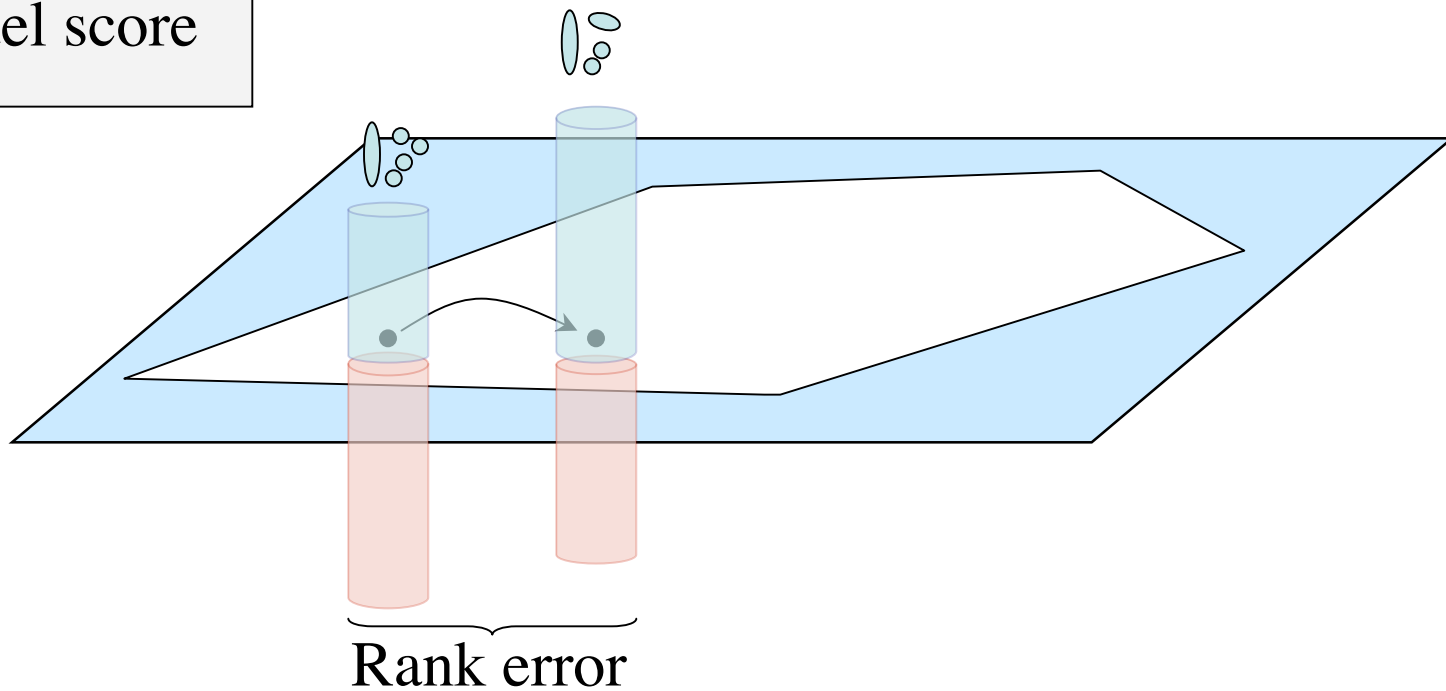
model's preferences should agree with signal's preferences.



Truth signal



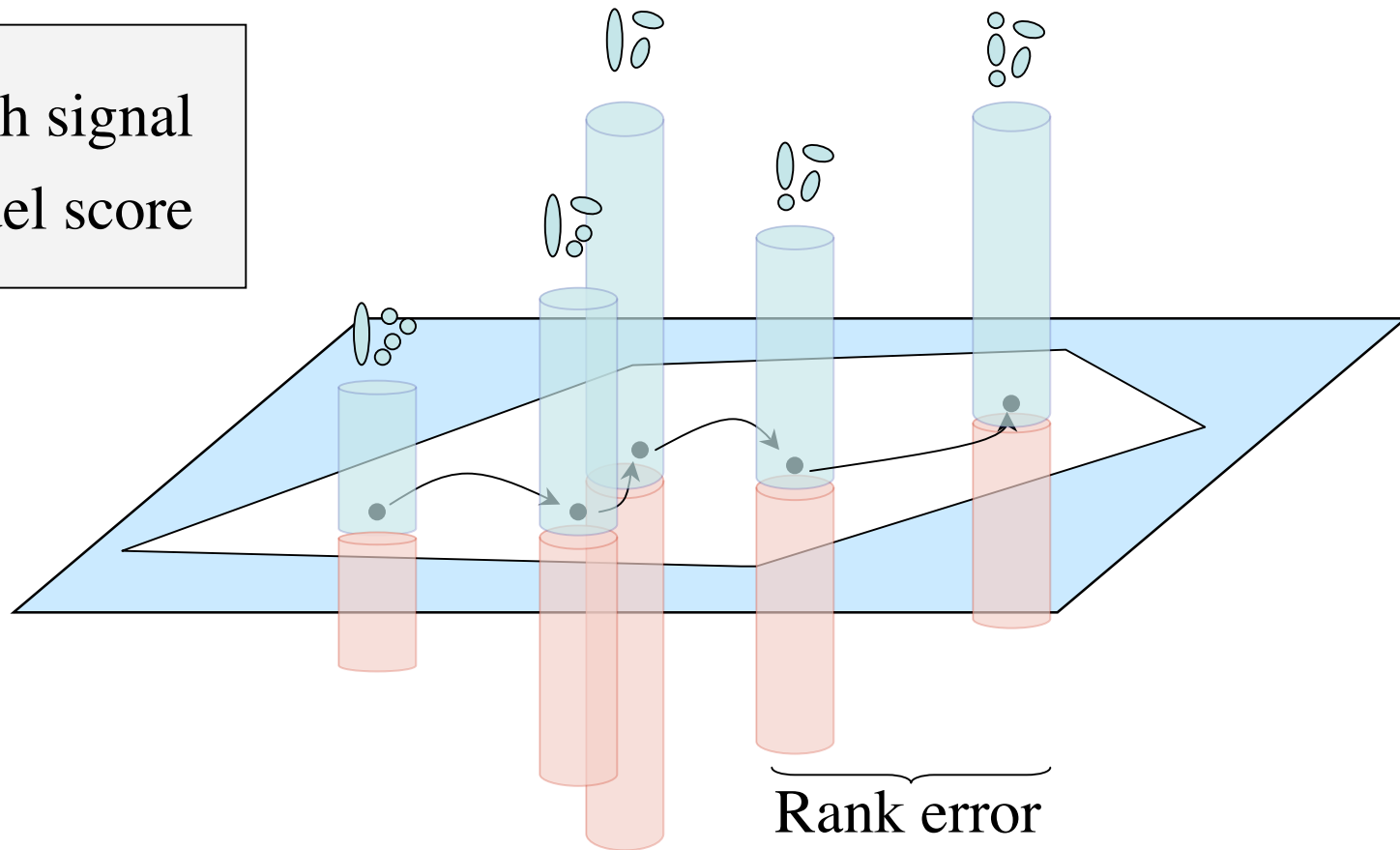
model score



$$\text{Correction: } \theta_{t+1} = \theta_t + \eta_t (\phi(\text{light blue cluster}) - \phi(\text{light red cluster}))$$

SampleRank

 Truth signal
 model score

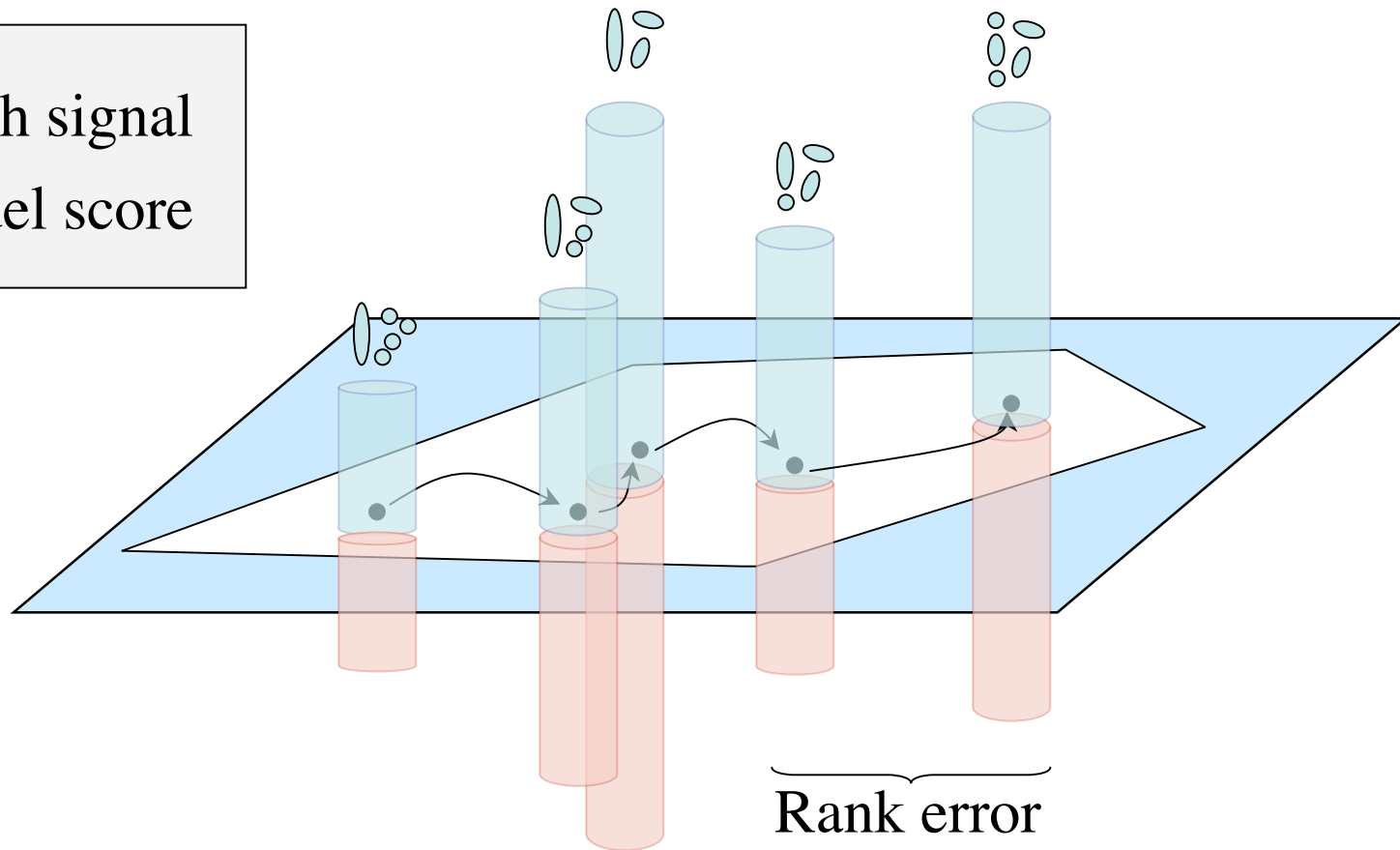


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SampleRank

 Truth signal
 model score



$$\text{Correction: } \theta_{t+1} = \theta_t + \eta_t (\phi(\text{truth signal}) - \phi(\text{model score}))$$

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FACTORIE Summary

<http://factorie.googlecode.com/>

- **Factor graphs,**
- **...object-oriented**
 - data types and factor template types, with inheritance
- **...scalable**
 - factors created on demand, only score diffs
- **...with imperative hooks**
 - jump function, override `variable.set()` for coordination
 - model structure
 - neighbor variables → sufficient statistics
- **...discriminative**
 - efficient online training by *SampleRank*
- Combine declarative & procedural knowledge

Extensibility

- Many variables types provided:
 - boolean, int, float, String, categorical,...
- Create new ones!
 - set-valued variable
 - finite-state machine as a variable [JHU]
- Create new factor types
 - Poisson, Dirichlet,...

Factorie: In-Progress

- Support for first-order logic
- Belief propagation
- Generative modeling

Conclusion: Some Reasons To Use Probabilistic Programming

- Simple
 - Save time & avoid debugging complex, hand-built ML code.
 - Say exactly what you want in the way you want to say it.
- Flexible
 - Encourage research exploration by making it easier to try new modeling ideas
 - The language provides the right “hinge-points” to provide the flexibility you want, without the underlying craft.
- Glue that binds many reasoning paradigms together.
- Allows probabilistic modeling to be integrated with all the other traditional deterministic programming.

Some of this text from Pfeffer

Key Questions for Probabilistic Programming

- What are good design patterns for probabilistic programming?
- What are the skills required to be an effective probabilistic programmer?
- How can probabilistic programmers work well with domain experts and end users?
- What kind of tools can we develop to support probabilistic programming (debuggers, profilers etc.)?
- How can probabilistic programs be learned (especially structure)?
- How can we make inference more efficient (especially memory) to scale up to even large domains?

Some of this text from Pfeffer

Outline

- Motivation + Some Basics
- Overview of Conditional Random Fields
- Probabilistic Programming
- FACTORIE
- Joint Model of Segmentation and Entity Resolution (and other results)
- Future Work

Citation Data

- drucker h., schapire r., and simard r. improving performance in neural networks using a boosting algorithm. advances in neural information processing systems 5, san mateo, ca. morgan kaufmann.1993 pages 42-49, in hanson, s. j., cowan, j. d., and giles, c. l., editors,
- yoavfreund, and robert e. schapire. experiments with a new boosting algorithm. in proceedings of the 13th international conference on machine learning. morgan kaufmann, 1996
- freund y., schapire r.e. experiments with a new boosting algorithm, in saitta l.(ed.), proc of the thirteenth international conference on machine learning, san francisco, ca, pp.148-156, morgan kauf-mann, 1996
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Segmentation

- drucker h., schapire r., and simard r. improving performance in neural networks using a boosting algorithm . advances in neural information processing systems 5 , san mateo, ca. morgan kaufmann.1993 pages 42-49, in hanson, s. j., cowan, j. d., and giles, c. l., editors.
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Pipeline Approach

- Each of the tasks can be solved independently

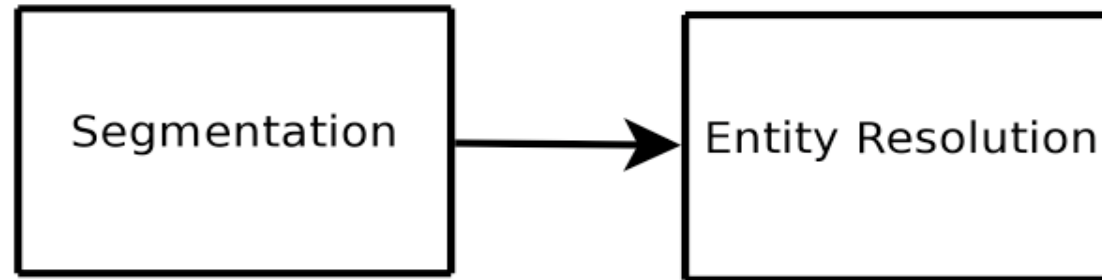
Pipeline Approach

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- Thus, entity resolution should use segmentation

Pipeline Approach

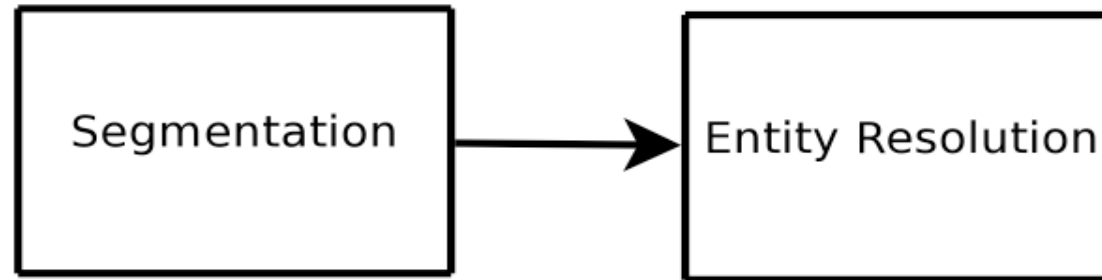


- Cascading error through the stages
 - Can be reduced by using N-best lists*, or sampling†

*Sutton & McCallum CoNLL 2005

†Finkel *et.al.* EMNLP 2006

Pipeline Approach

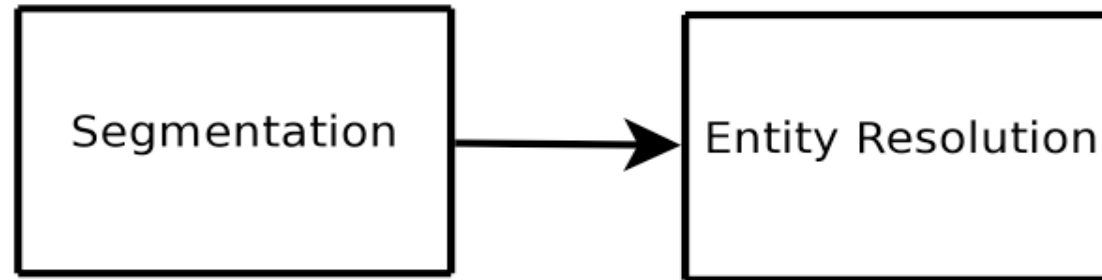


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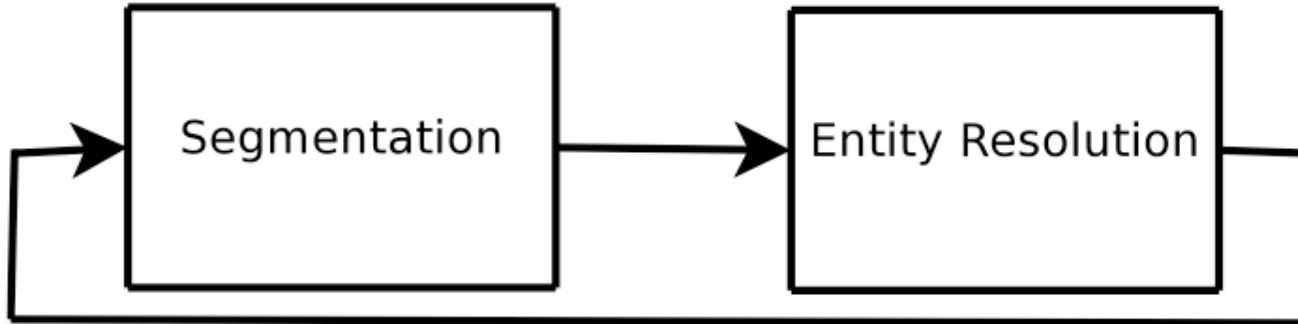


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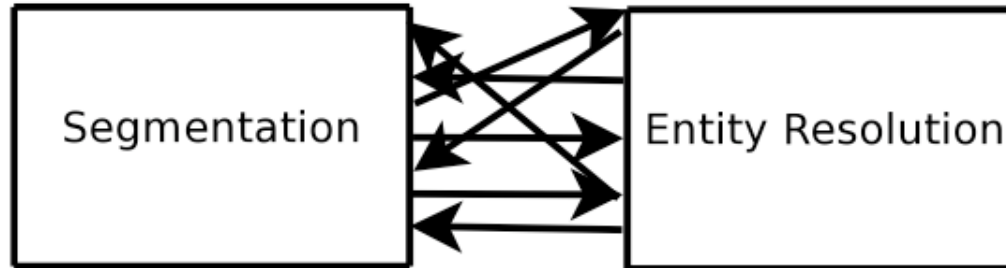
Iterated Pipeline Approach



- Close the loop of the pipeline
 - Both tasks use information from each other
- Reduces cascading error
 - However, still not eliminated
 - N-best lists can be used to further reduce this error[‡]

[‡]Wellner *et.al.* UAI 2004

Our Approach to Joint Inference



Integrate models in a single, unified, “fully-joint” factor graph

- To **decrease cascading error** inference is performed simultaneously over both tasks
- **Increased complexity** is handled efficiently by using procedural hooks in model specification and inference

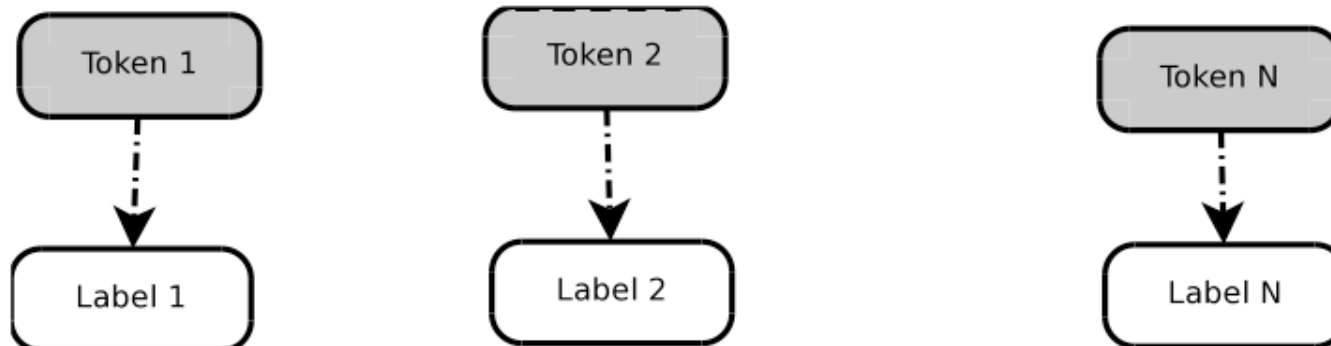
Bi-directional Joint Inference for Segmentation and Entity Resolution

- Objective:
 - **Input:** a set of mention strings (e.g., bibliographic citations)
 - **Output:**
 - A set of fields for each mention string (*segmentation*)
 - A clustering of the mention strings (*entity resolution*)
- Separate factor graphs are created for each task
- A unified factor graph is created to model both tasks
 - Contains variables for both tasks
 - Contains *joint factors*
 - Neighbor variables of different tasks
 - Capture dependencies between the tasks

Segmentation

- **Variables**

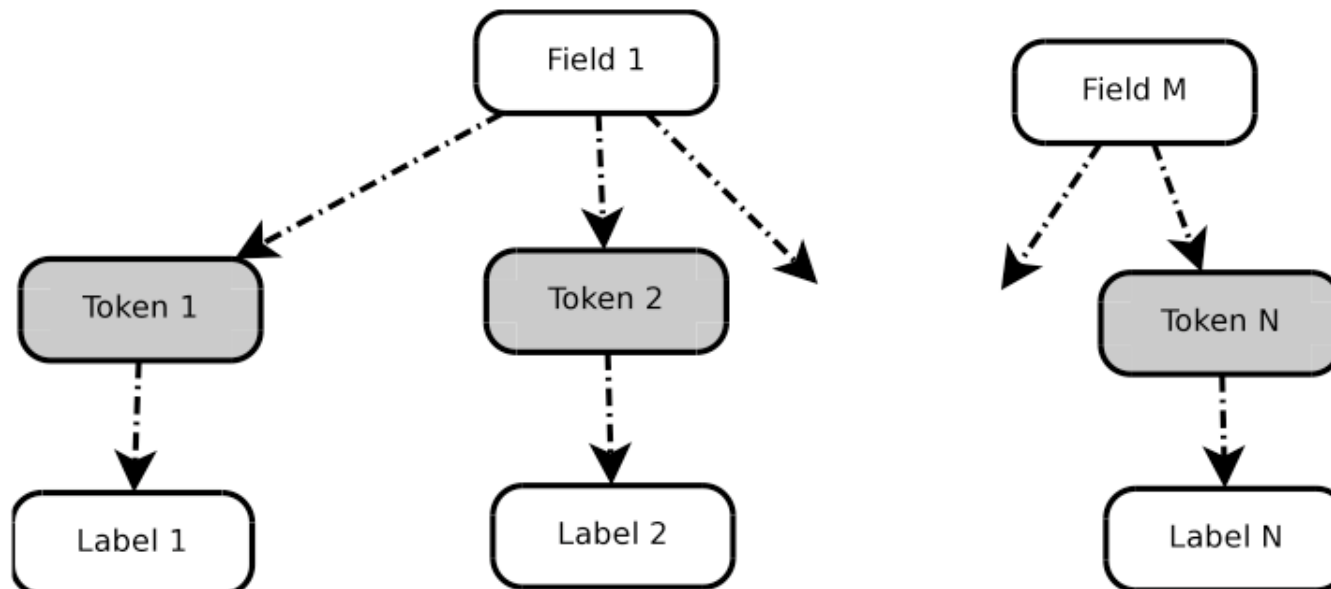
- **Token**: Observed variable representing a word in the mention
- **Label**: Variable that can take any of the field types as a value



Segmentation

- **Variables**

- **Token**: Observed variable representing a word in the mention
- **Label**: Variable that can take any of the field types as a value
- **Field**: Consecutive Tokens that have the same label type

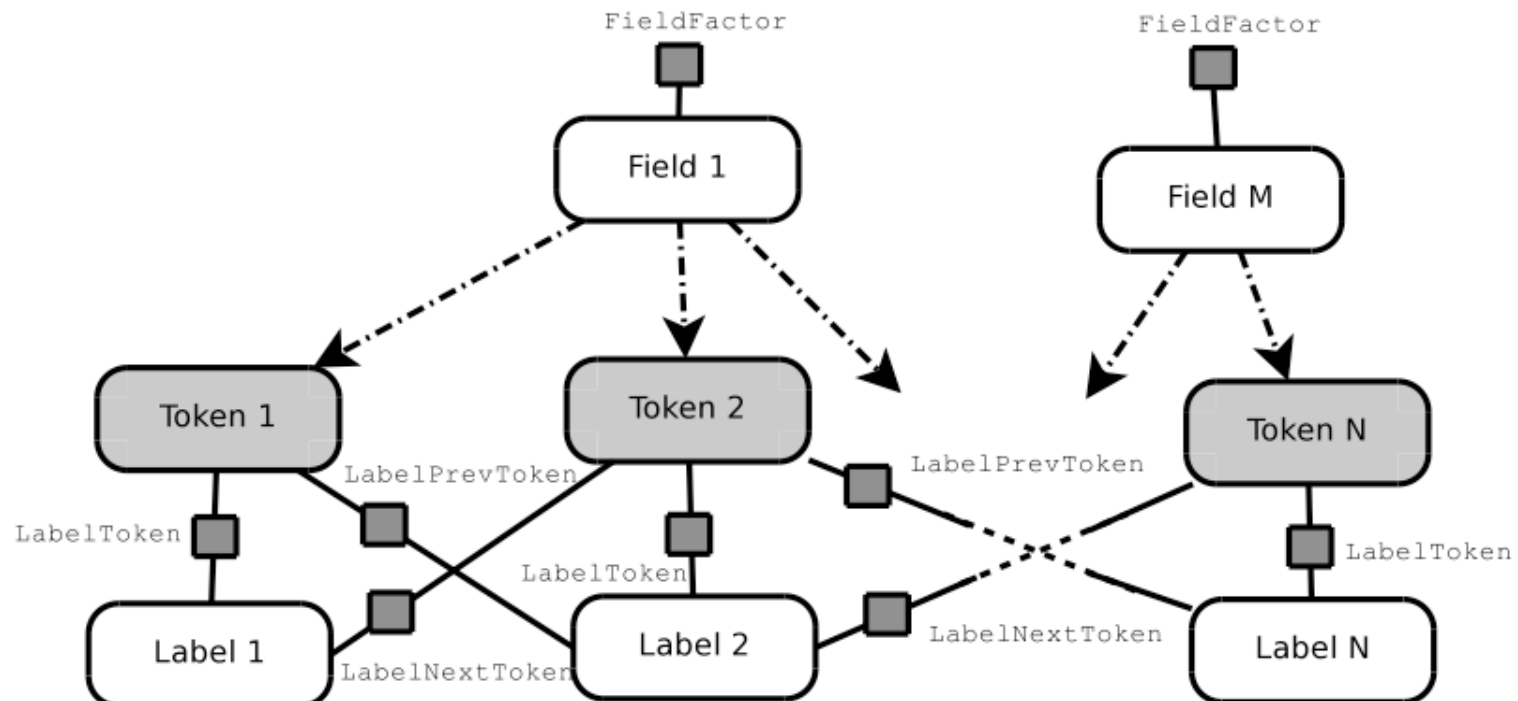


Segmentation

- **Variables**

- Token: Observed variable representing a word in the mention
- Label: Variable that can take any of the field types as a value
- Field: Consecutive Tokens that have the same label type

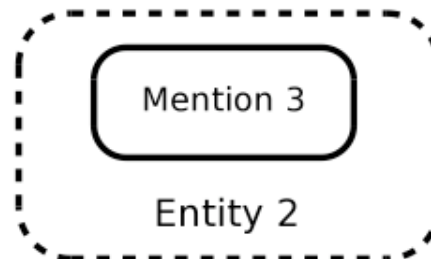
- **Factors:** LabelToken, LabelPrev/NextToken, FieldFactor



- **Variables**

Entity Resolution

- **Mention**: Variable that takes a single **Entity** as its value
- **Entity**: Set of **Mentions** that are coreferent

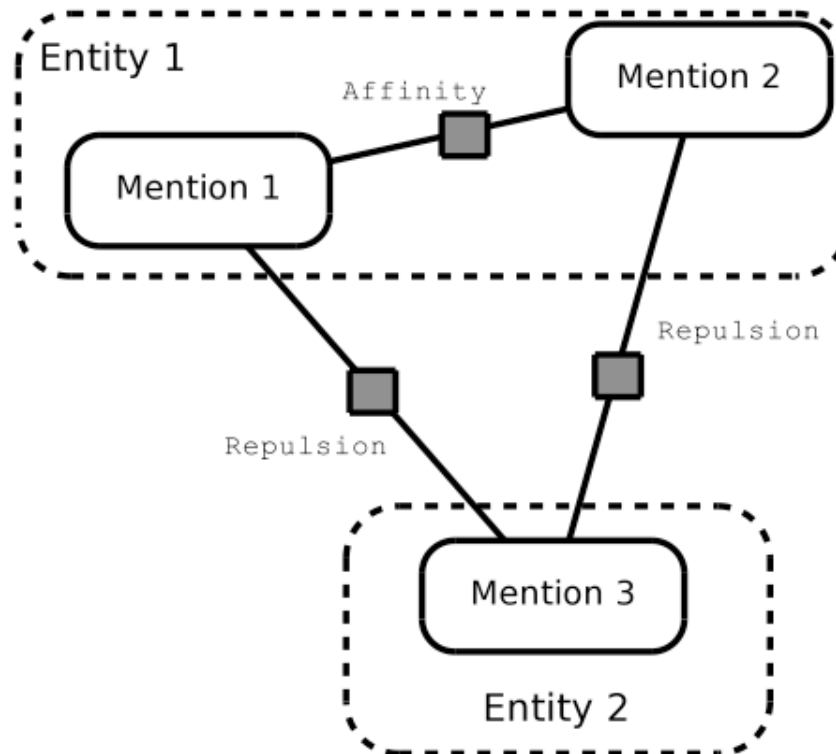


- **Variables**

Entity Resolution

- **Mention:** Variable that takes a single Entity as its value
- **Entity:** Set of Mentions that are coreferent

- **Factors:** Affinity and Repulsion



Integrating the Two Tasks

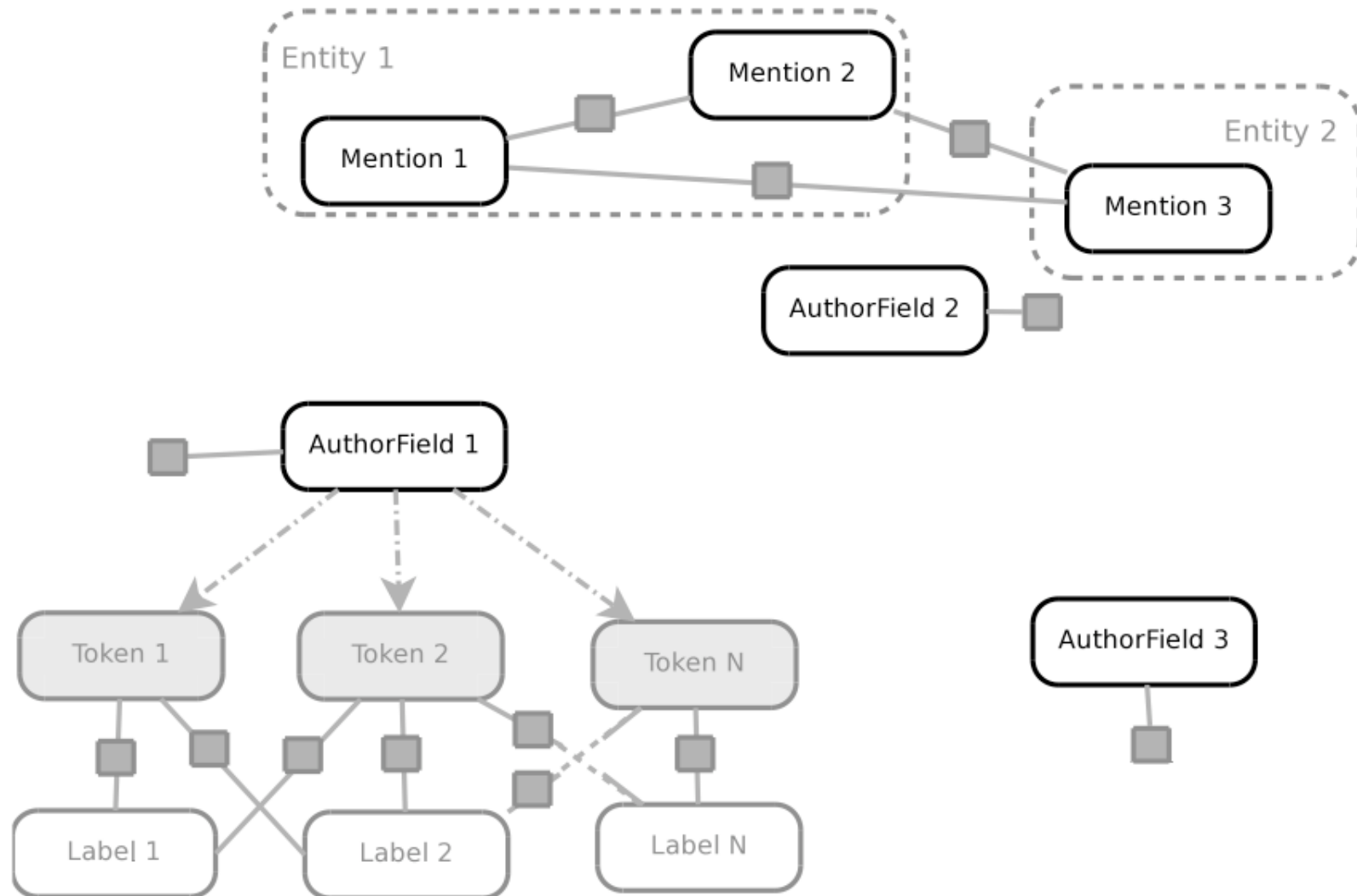
- **Variables**

- No additional variables are required
- `Field` variables are added as members of `Mention` variables

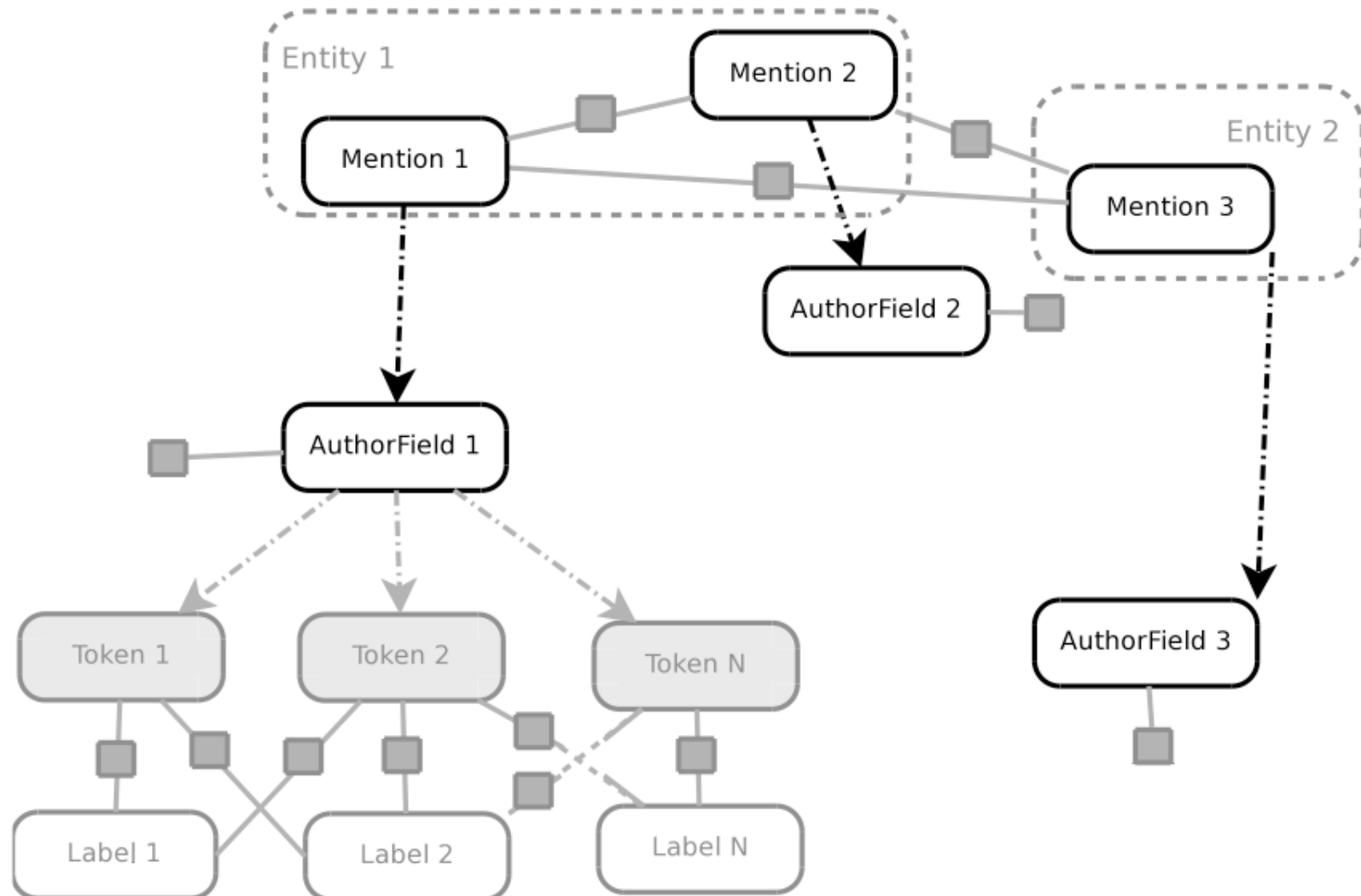
- **Joint Factors:** connect variables of different tasks

- `JointInfBased`:
 - Connect identical trigrams of `Tokens` between two `Mentions` where the trigram is preceded by punctuation in only one of the `Mentions`[¶]
 - Forms a weak connection between the tasks since it is sparse, and does not take the entire predicted `Field` into account
- `JointAffinity`, `JointRepulsion`:
 - Connect corresponding `Fields` between pairs of `Mentions`
 - Utilize features computed over the full predicted `Fields` between `Mention` pairs (e.g., string similarity, number of matching `Tokens`)

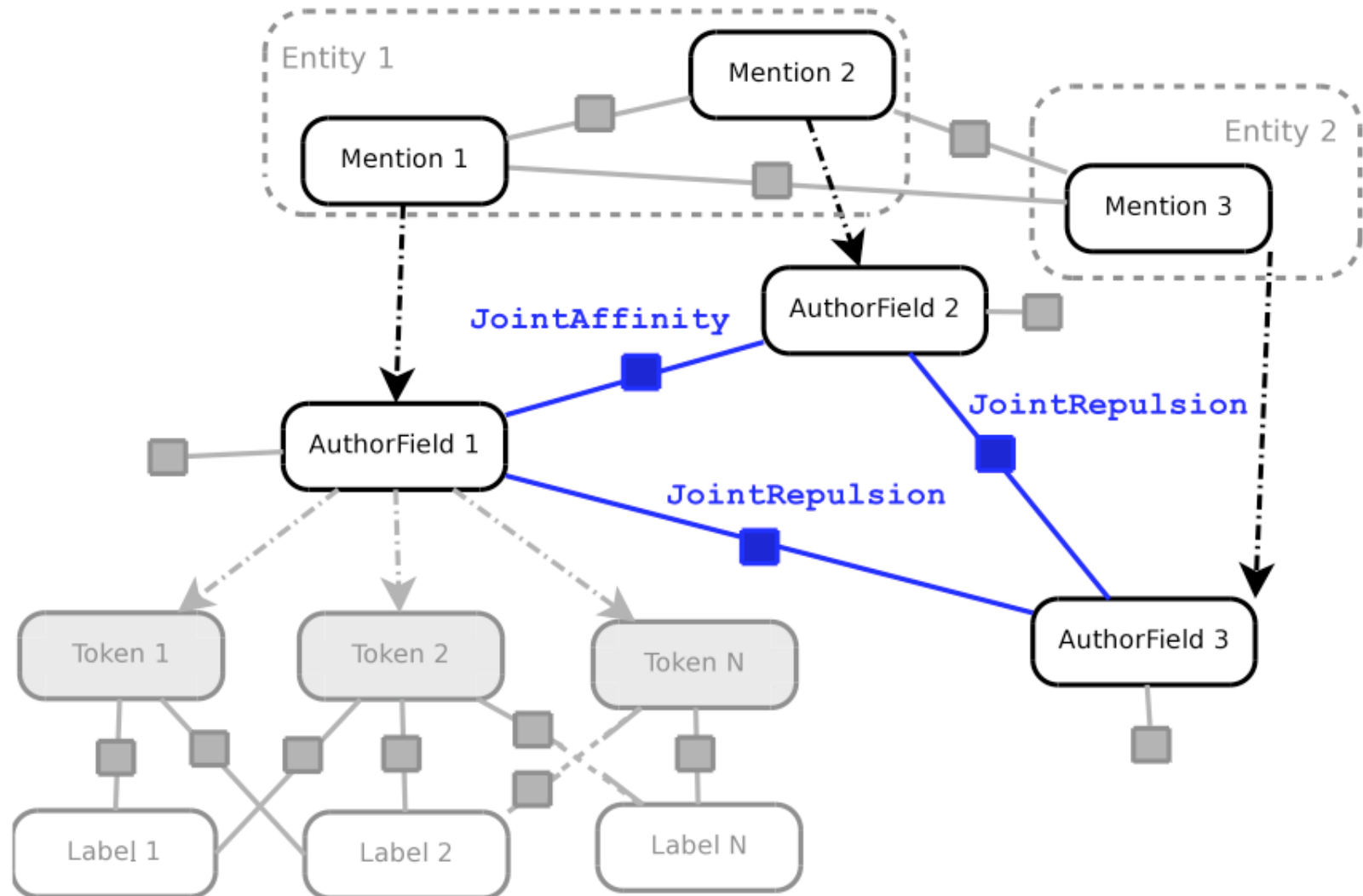
Example Model



Example Model



Example Model



The Advantages of IDFs

- 1 Joint factor templates can make inference intractable
 - `JointAffinity` and `JointRepulsion` factor templates have $O(m^2 n^4)$ ^{||} instances in a fully unrolled graph

^{||} m = number of mentions, n = number of tokens in a mention

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- ② The proposal function utilizes domain knowledge to implicitly define and efficiently explore the feasible region
- ③ Factor templates leverage the flexible separation of data representation and parameterization provided by IDFs
 - E.g., a `Field` is most naturally represented as a range over `Tokens`, and the compatibility between `Field` pairs is easily parameterized by a `JointAffinity` factor

^{||} m = number of mentions, n = number of tokens in a mention

Experimental Setup

- Cora citation dataset**
 - 1,295 mentions, 134 clusters, 36,487 tokens
 - Evaluated using three-fold cross-validation
- **Isolated Models**
 - Each task is completely independent of the other
 - Learn with 5 loops of 100,000 MCMC samples each
 - Inference for 300,000 MCMC samples per task
- **Joint Models**
 - Single model over both the tasks
 - Learn with 5 loops of 250,000 MCMC samples each
 - Inference for 750,000 MCMC samples
- Results are compared to Poon and Domingos' previous state-of-the-art isolated and joint Markov logic networks

** Available at <http://alchemy.cs.washington.edu/papers/poon07>

Model Performance

Table: Cora Entity Resolution: Pairwise F1 and Cluster Recall

Method	Prec/Recall	F1	Cluster Rec.
Fellegi-Sunter	78.0/97.7	86.7	62.7
Joint MLN	94.3/97.0	95.6	78.1
Isolated IDF	97.09/95.42	96.22	86.01
Joint IDF	95.34/98.25	96.71	94.62

25.2%

Table: Cora Segmentation: Tokenwise F1

Method	Author	Title	Venue	Total
Isolated MLN	99.3	97.3	98.2	98.2
Joint MLN	99.5	97.6	98.3	98.4
Isolated IDF	99.35	97.63	98.58	98.51
Joint IDF	99.42	97.99	98.78	98.72

20.0%

Model Performance

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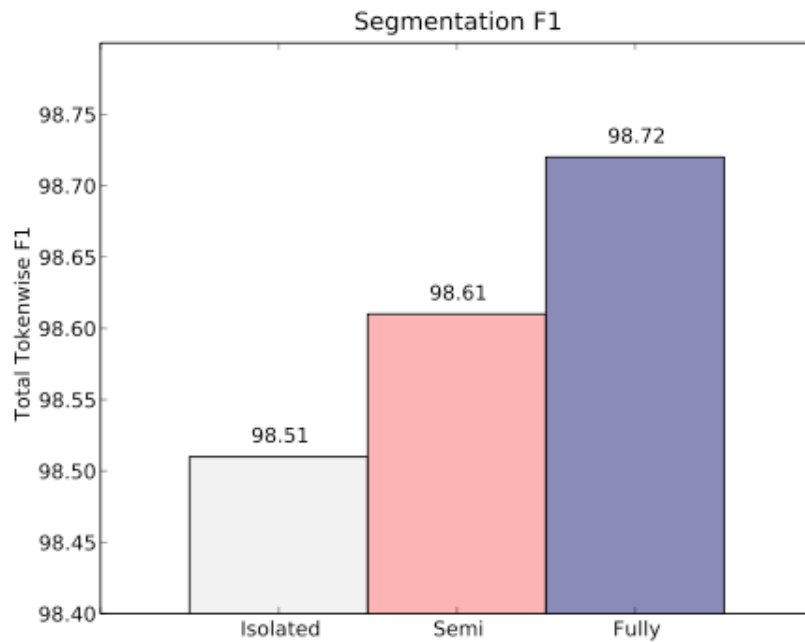
50-90 mins
~3 mins
~18 mins

Table: Cora Segmentation: Tokenwise F1

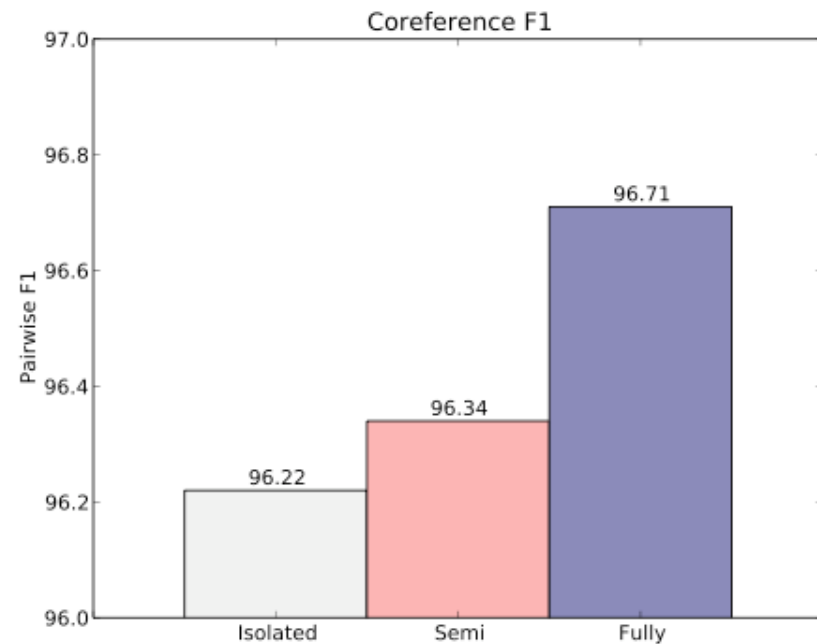
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~3 mins
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Bidirectionality



(a) Segmentation F1

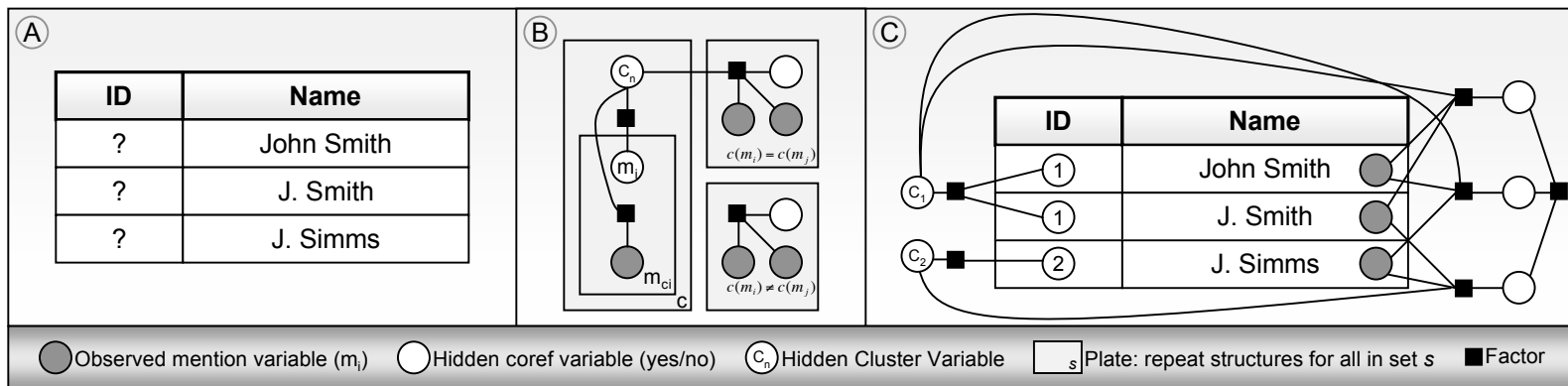


(b) Entity Resolution F1

Figure: F1 of the joint model as different types of factors are added, starting with the base model containing only isolated model factors. “Semi-Joint” refers to the model containing *weakly* joint factors while the “Fully-Joint” model consists of bi-directional highly-coupled factors.

Coreference in a PDB

Who's who?



A: *incomplete* relational database

B: templated factor graph for coreference

C: graph unrolled on data

Query Evaluation Problem

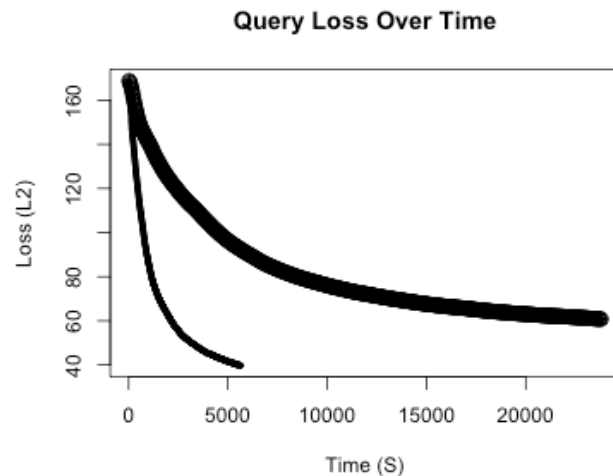
- Have: Query Q , Database D
- Want: probability of tuple t being in $Q(D)$

Problem: each sample requires executing query over entire D

Solution: run modified query Q' on the tuples that have changed

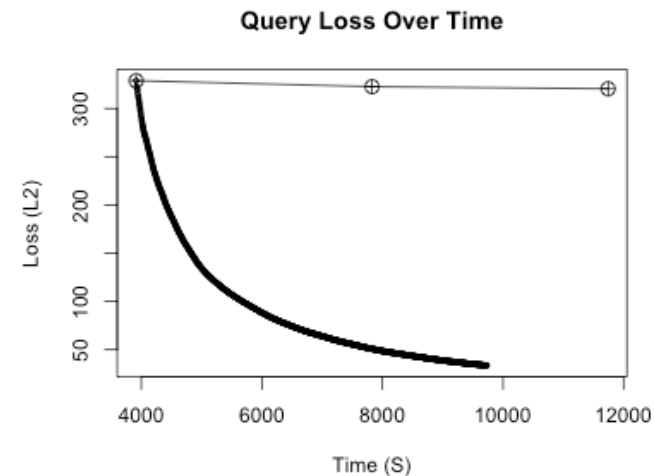
Similar to materialized view maintenance (Blakely et al.)

Results



Query 1: print tokens whose strings are the same, but labels are different (restrict to same doc)

```
SELECT t.string
FROM TOKEN t, TOKEN t2
WHERE t.string=t2.string AND t.label<>t2.label
      AND t.label<>'O' AND t2.label<>'O'
      AND t.doc_id=t2.doc_id
```



Query 2: print tokens whose strings are the same, but labels are different

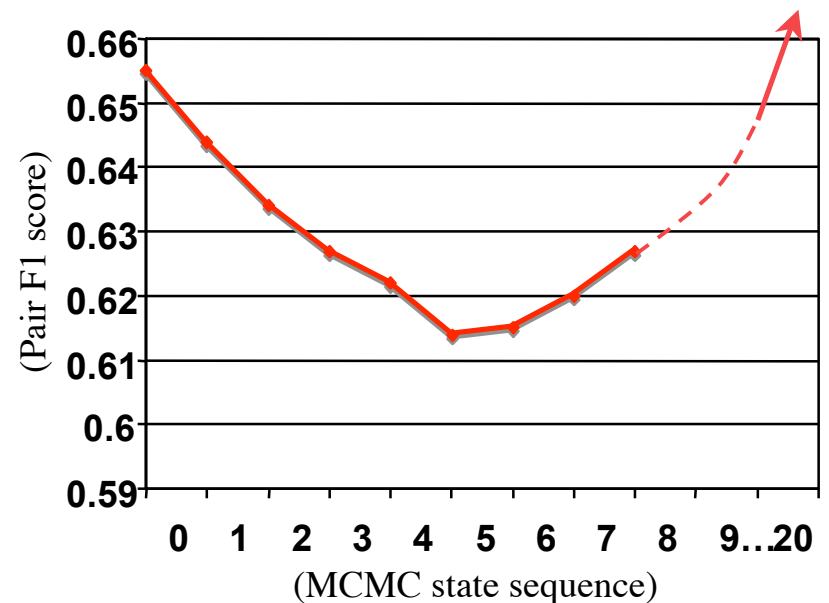
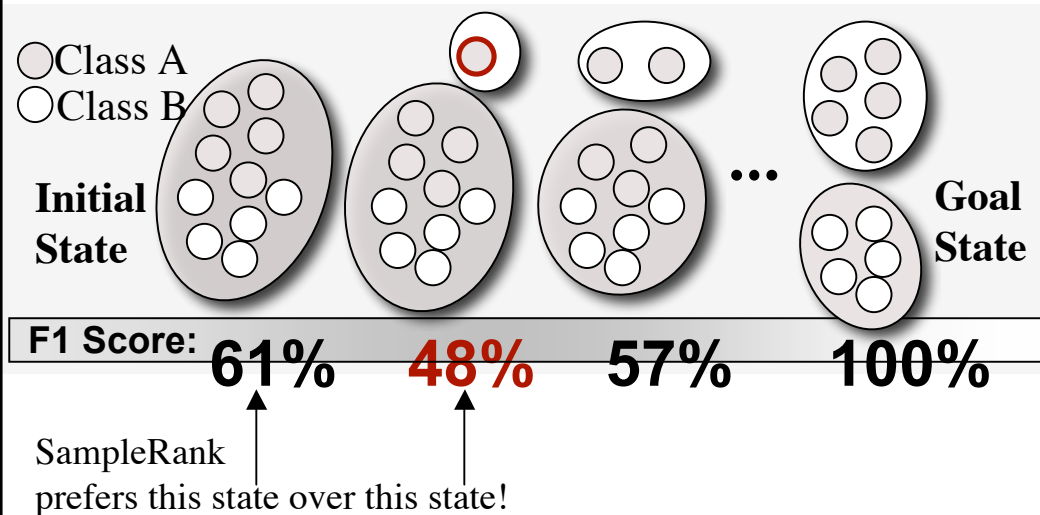
```
SELECT t.string
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WHERE t.string=t2.string AND t.label<>t2.label
      AND t.label<>'O' AND t2.label<>'O'
```

TOKEN = $\langle doc_id, sent_id, sent_pos, string, label \rangle$. |TOKEN|=168,000.

Reinforcement Learning

MOTIVATION

Problem: delayed credit assignment



Solution: train factor graph with $Q(\lambda)$ [Wick, Rohanimanesh, Singh, McCallum 2008, 2009]
Temporal difference (TD) has same diff-structure as SampleRank!

Results

ConLL NER results (NEW in FACTORIE!!)

	F1 Test A
Reinforcement Learning	89.5
SampleRank	89.0
Max Likelihood	88.5

Ontology alignment: ISIA data (taxonomy trees)

	Course Catalog			Company Profile		
	F1	P	R	F1	P	R
RL	94.3	96.1	92.6	84.5	84.5	84.5
MH-CD1	94.3	78.0	57.0	64.7	64.7	64.7
MH-SR	76.9	88.9	76.3	81.5	88.0	75.9
GA-PW	92.0	100	81.5	81.5	88.0	75.9
GLUE	80	80	80	80	80	80

[Wick, Rohanimanesh, Singh, McCallum 2008,2009]

RL: train with reinforcement learning, test by following policy

MH-CD1: train with contrastive divergence (1) and test with Metropolis-Hastings

MH-SR: train with SampleRank and test with Metropolis-Hastings

GA-PW: train with piecewise test with greedy agglomerative clustering

GLUE: Doan et al. 2002 baseline system (1:1 assumption means P=R=F1)

Outline

- Motivation + Some Basics
- Overview of Conditional Random Fields
- Probabilistic Programming
- FACTORIE
- Joint Model of Segmentation and Entity Resolution (and other results)
- **Future Work**

Future Work

- Adding more methods for learning and inference
- Better support for generative models
- Joint models for more than two tasks
- Semi-supervised/unsupervised learning

Thanks!

<http://factorie.googlecode.com/>

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