Service Adaptation in Open Grid Platforms

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NFS NGS Support

Background

> High-end Network Services

- Data-rich && Compute-rich && End-client
 - image matching: "is this brain-scan cancer?"
 - genomics: "run BLAST on my target sequence DB"
 - parallel/distributed services (per request)

Public donation-based "Open" Grid infrastructures

- positives: cheap, scalable, fault tolerant
- <u>negatives</u>: uncertainty => best effort service

The Challenge

> Uncertainty at many levels service demand resource availability (CPU, network, storage) resource capacity resource integrity > Service must adapt to these uncertainties

The Challenge (cont'd)

Provide and maintain service quality despite uncertainty

Dimensions of quality

performance (latency, throughput, response)

BLAST

- availability/reliability
- accuracy
- •

> Today: minimizing service makespan



Problem

> Makespan challenges

Communication

 efficient data download despite network and data server behavior – variable latency, b/w, capacity

Reliable Computation

 efficient execution despite "imperfect" node behavior – slow, hacked, cheating

Context: System Model



RIDGE

Host services on BOINC
 Deployed on PlanetLab

 30-120 nodes

 Open Grid Emulation



Communication Makespan

> Worker nodes download data from replicated servers

- Worker nodes choose "servers" independently
- Minimize the maximum download time for all worker nodes (communication makespan)



Server Selection

Several possible factors

- Proximity (RTT)
- Network bandwidth
- Server capacity
- Server reliability





[Download Time vs. RTT - linear]



Heuristic Ranking Function

> Worker i, server j

- Cost function $f_{i,j} = \alpha_j * rtt_{i,j}$
- Weight $\alpha_j = exp(k_j / bw_j)$
- > k_i accounts for load/capacity
- Least cost server selected independently

> Three server selection heuristics that use k_i

- BW-ONLY: $k_i = 1$
- BW-LOAD: k_i = n-minute average server load (past)
- BW-CAND: k_j = # of candidate server responses in last m seconds (~ future load)

Performance Comparison



Parameters: Data: 2MB Replication: 10 Candidates: 5

Benefit of BW-CAND grows as query rate increases

Take away

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Bandwidth, proximity, load, and capacity all matter

Both heterogeneity and load balancing must be taken into account

Reliability

> Voluntary systems are not reliable node churn, cheating, untimely > Solution: replicate, compare answers, and vote > Ad-hoc redundancy wastes resources threatens correctness Idea: Use smarter redundancy to maximize efficiency

Reputation-based Scheduling

0.9

0.8

0.8

0.8

0.8

0.7

0.7

0.4

0.3

14

0.4

- Reputation rating R_i- degree of client reliability wrt correctness/timeliness
- Smarter redundancy dynamically size the redundancy based on R_i
- Adapt to changes in R_i

Scheduling Algorithms

Algorithm 3 Best-Fit (w worker-list, τ task-list, λ_{target} target LOC, R_{min} min-groupsize)

- 1: Sort the list w of all available workers on the basis of the reliability ratings r_i
- 2: while $|w| \ge R_{min}$ do
- 3: Select task τ_i from τ
- 4: Search for a set s of n workers w_n from w such that λ_s exceeds λ_{target} minimally
- 5: if such a set *s* is found then
- 6: Assign the w_n workers to G_i
- 7: else
- s: Select the set of *n* workers *s* for which $\lambda_{target} \lambda_s$ is minimized
- 9: Assign the w_n workers to G_i
- 10: end if
- 11: $w \leftarrow w w_n$
- 12: end while

Makespan: RIDGE vs. BOINC (task level)



Makespan Comparison (request level)



Summary

- Service hosting + Open Grids
- Request performance dependent on communication (to get data), computation (to process data)
- > Uncertainties impact makespan
- RIDGE is developing techniques to smooth out these uncertainties
- Papers: CCGrid07, ICDCS06, HPDC07, TPDS07
- > Website: ridge.cs.umn.edu

Questions?

Impact of Load



Non-stationarity

Nodes may suddenly shift gears

- deliberately malicious, virus, detach/rejoin
- underlying reliability distribution changes

Solution

- window-based rating
- adapt/learn λ_{target}

Experiment: blackout at round 300 (30% effected)



Adapting ...





Algorithm 1 UpdateTargetLOC (λ_{target} target LOC, α throughput-weight)	
1: Local variables: s state, d direction	
2:	
3: if (round % p) = 1 p -1 then	
 Update measures of mean normalized throughput xp and success rate sr 	
5: else	
6: if <i>s</i> = CONVERGING then	
7: if round = p then	
8: Set initial direction d based on mean client reliability	
9: $j \leftarrow 4$	
10: end if	
11: $G_{last} \leftarrow G$	
12: $\operatorname{Gain} G \leftarrow \alpha * xp + (1 - \alpha) * sr$ throughout	ess rate
13: if $G \mid G_{last} \geq delta_{mod}$ then	
14: $j \leftarrow j-1$	
15: Switch direction d	
16: if $j = 0$ then	
17: $s \leftarrow \text{STEADY-STATE}$ $G(\rho, s) = \rho \cdot \rho + (1 - \rho) \cdot s$	
18: end if $G(p, \sigma) = \alpha p + (\mathbf{I} - \alpha) \sigma$,	
19: else if $G > G_{avg}$ OR $G / G_{last} \le delta_{in}$ then	
20: if $d = \text{left then}$	
21: $\lambda_{target} \leftarrow \lambda_{target} - 0.01*j$	
22: else	
23: $\lambda_{target} \leftarrow \lambda_{target} + 0.01*j$	
24: end if	
25: else	
26: λ_{target} unchanged	
27: If λ_{target} unchanged for <i>maxrounds</i> rounds then	
28: $s \leftarrow \text{STEADY-STATE}$	
30: end II	
31: else C_{1} C_{2} C_{2} C_{2} C_{3} $C_{$	
32: Gail $G \leftarrow \alpha + \lambda p + (1-\alpha) + sr$ 32: if $C \mid C \rightarrow delta$, then	
35: If $G \mid G_{last} \geq detta_{sig}$ then 24: $f \in CONVERCINC$ is A	
$\begin{array}{ccc} \mathbf{34:} & 5 \leftarrow \mathrm{CONVERGING}, \mathbf{j} \leftarrow 4 \\ \mathbf{35:} & \text{ and if } \end{array}$	
36: $C \leftarrow weight + C + weight + C$	
30. $G_{avg} \leftarrow weight_{curr} + G + weight_{hist} + G_{avg}$	
38: end if	
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Reputation-based Scheduling Reputation rating

- Techniques for estimating client reliability based on past task executions
- Reputation-based scheduling algorithms
 Using reliabilities for allocating work
- Adaptive scheduling algorithms
 Dynamically tune system parameters in the presence of changing reliability conditions

Adaptive Algorithm



Fig. 9. Comparison of throughput/success rate achieved using adaptive algorithm with varying α

Experimental Result I – Throughput



Adaptive Algorithm

throughput

success rate

$$G(\rho, s) = \alpha \cdot \rho + (1 - \alpha) \cdot s,$$



Proximity – keep?



Pretty good, but can do better



Future Work

> Resource Collectives

Evaluation

> Baselines

- Fixed algorithm: statically sized equal groups uses no reliability information
- Random algorithm: forms groups by randomly assigning nodes until λ_{target} is reached
- Simulated a wide-variety of node reliability distributions

Comparison



Learning Rate



> Why open systems?

- Or why not provisioned properly with sharing built in?
- Lower TCO, not incompatible could have a cluster and a mix of voluntary resources (support diff. classes of users)
- > Bullet