

TESTING SOME CITATIONS

Ajtai [1]

Boas [8]

Brightwell & Winkler [2]

Micciancio [7]

Haviv & Regev [6]

Downey et al. [5]

1 Further Results

1.1 Graph Problems

The FEEDBACK VERTEX SET PROBLEM: Given a graph G , find a set of k vertices whose removal leaves a graph without cycles. k is the parameter. It was open to determine if this problem is FPT. Chen [3] showed this problem is FPT.

1.2 Restrictions on Graphs

Some graph problems are in FPT if the graphs are restricted. Courcelle [4],

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