



# Coordination of Data Movement with Computation Scheduling on a Cluster

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#### **Outline**

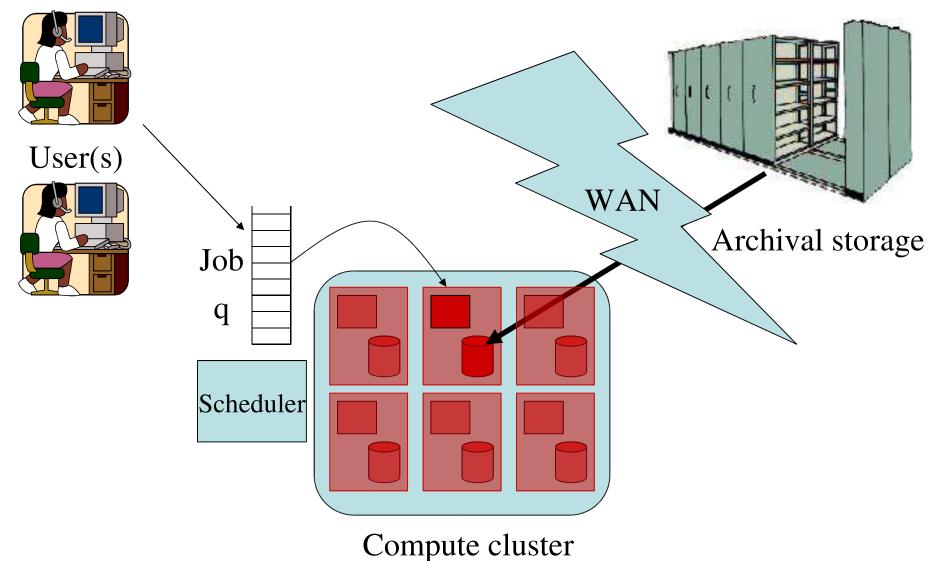


- Problem Description
- Architecture
- Scheduling Strategies
  - FIFO
  - Shortest Job First
  - Linear Programming
- Network Flow Representation
- Simulation Environment
- Results



## **Problem Domain**







## **Problem Description**



- Schedule a collection of jobs, each requiring one or more input files, to run on a group of servers, each server having one or more compute slots and a disk cache that can hold some fraction of the data
- A job can be scheduled on a server if:
  - the server has at least one available compute slot
  - all data files needed are available on the server's disk cache
- Need to coordinate data movement with



#### Goal



- Automatically match each job to the machine that has the file needed for the job
  - ability to schedule jobs and fetch files from tape
  - need information on the content in each disk cache
- Optimize parallel analysis on the cluster
  - Minimize movement of files between cluster nodes
  - Use node cluster as evenly as possible
  - Automatic replication of hot files
  - Automatic management of disk space
  - Automatic removal of cold files



#### **Solution**

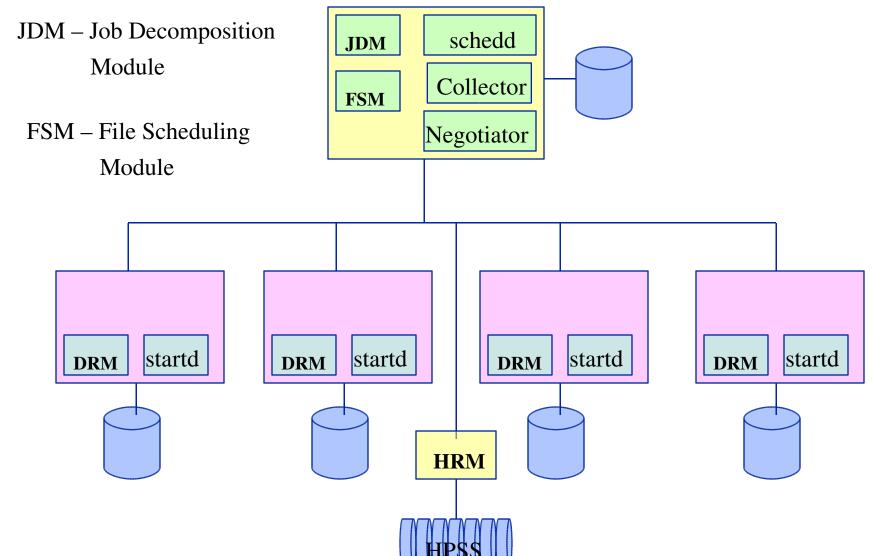


- Use existing software components:
  - Condor for job scheduling
  - Condor for matchmaking of slots and files
    - open-ended description of what to match on (classAd)
  - DRMs for disk management
    - dynamic storage allocation
    - ability to "pin" and "release" files
  - HRMs for fetching files from tape
- Developed "glue" component to achieve co-scheduling



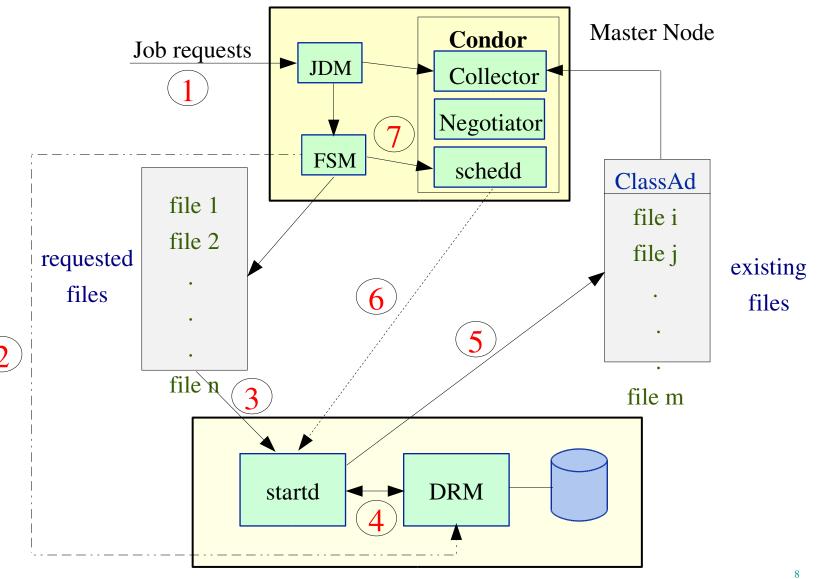
#### **Architecture**













## Scheduling Algorithms



#### FIFO

- Grab job at head of queue in FIFO order
- Simplest and fairest

#### Shortest Job First

- Estimate time to completion for each job
- Schedule shortest job first
- Overhead O(#jobs x #servers)
- Exit "early" if shortest job found

### Linear Programming

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#### **FIFO**



- Schedule jobs as they arrive
  - no scheduling overhead
- Choose next server in round-robin fashion
  - many unneeded local and remote replications
  - server underutilization
  - low throughput



## **Shortest Job First Algorithm**



- Optimally minimizes average waiting time
  - possible starvation of long jobs
- Use data movement as first-order approximation of job runtime.
- Compute data cost incurred if job were to be scheduled on each server:
  - 0, if file already on server
  - File size weighted by either local or remote cost
- Schedule job that requires cheapest amount of data movement



## Scheduling Using LP models

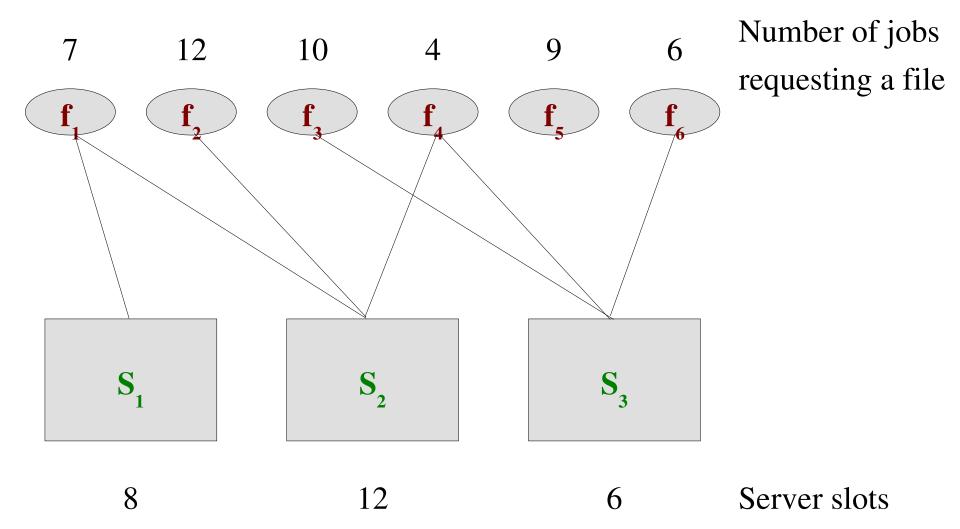


- Create node weighted bipartite graph B(F,S,E)
  - F files requested by the queued jobs
  - S servers in the cluster
  - E edges  $e(f_i, s_i)$
- Define costs and constraints for edges
- Articulate an objective function
- Find an LP library to do the heavy lifting



# **Bipartite Graph Representation**

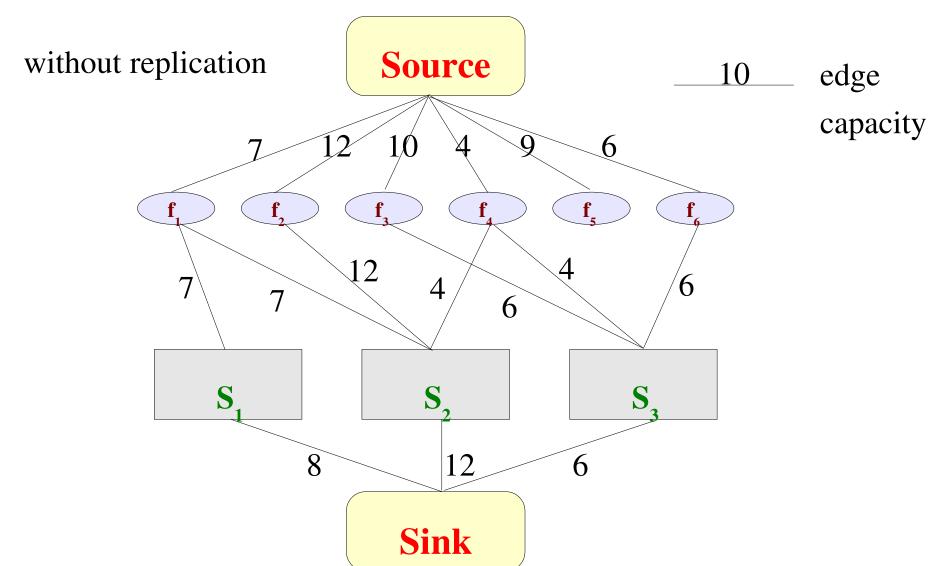






# **Network Flow Representation**

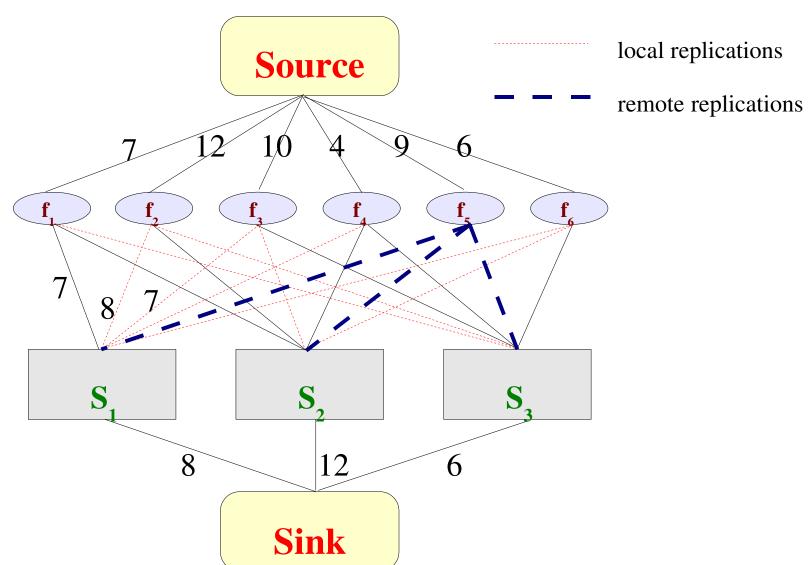






# **Local and Remote Replications**







## **Mathematical Programming**



#### **Formulation**

- Let I denote local and r remote replication costs
- For an edge  $(f_i, s_j)$ , the cost  $C(f_i, s_j)$  of connecting file  $f_i$  to server  $s_i$  is represented by:  $l_i$ ,  $f_i$  does not reside on  $s_i$ , but a copy resides

 $C(f_i, s_j) = \begin{cases} l, & f_i \text{ does not reside on } s_j, \text{ but a copy resides} \\ on some server \\ r, & f_i \text{ does not reside on any server} \end{cases}$ 

$$\sum_{i \in I} x(f_i, s_j) C(f_i, s_j)$$

• Minimize 
$$X(f_i, s_j) = \begin{cases} 1, & \text{if } flow(f_i, s_j) > 0 \\ 0, & \text{otherwise} \end{cases}$$



## **Mathematical Programming**



## Formulation (cont'd)

Flow on an edge cannot exceed its capacity

$$flow(f_1, s_1) \leq capacity(f_1, s_1) \forall i, j$$

• Flow into a node equals flow out of it  $flow(source, f_i) = \sum_{i}^{j} flow(f_i, s_j) \nabla i$ 

• Flow from each server to a sink equals total flow into that server  $flow(s_i, sink) = \sum_i flow(f_i, s_j) \forall j$ 

• Require the maximum possible flow  $\sum_{j=1}^{n} \frac{flow(s_j, sink) = \min \left(\sum_{j=1}^{n} N(f_j), \sum_{j=1}^{n} S(s_j)\right)}{n}$ 



## **An Approximation**



- Previous formulation is known to NP-hard by reduction from set cover
- Replace  $x(f_i, s_j)$  with the ratio of actual flow on the edge to its total capacity

This is a linear program solvable in polynomial



# LP Algorithm Implementation



- Create a fully connected bipartite graph with an edge from each file to each server
  - ignore unpopular files and unavailable servers
- Constrain each edge to be min of file popularity and server capacity
- Constrain all edges exiting a file to not exceed its popularity
- Constrain all edges entering a server to not exceed its capacity



# LP Algorithm Implementation



## (cont'd)

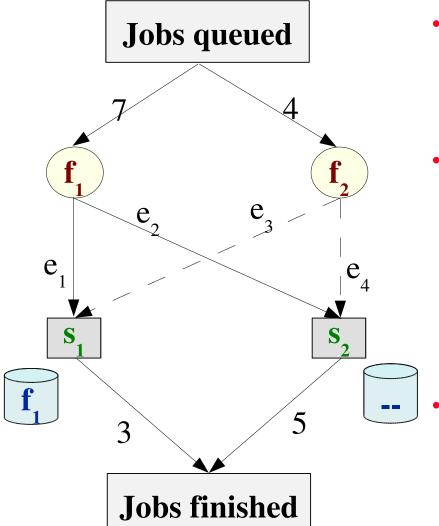
- Compute maximum throughput to be min of jobs in queue and available server slots
  - set constraint that flow equals max throughput
- Define cost of using each edge:
  - C(e) = X / max\_edge\_capacity
  - where X is
    - 0 if that edge exists
    - LOCAL\_COST if another server has a copy
    - REMOTE\_COST if file is not cached locally

Cat abjective function to minimize coat



# **Example**





- Create fully connected bipartite graph with an edge from each file to each server
- Constrain each edge to be min of file popularity and server capacity

$$0 \leqslant e_2 \leqslant \min(5,7)=5$$

$$0 \leq e_3 \leq \min(3,4)=3$$

$$e_{1} + e_{2} \le 7$$

Constrain all edges exiting a file to not exceed its popularity

$$e_1 + e_3 \leq 3$$

$$\Delta \perp \Delta < 5$$

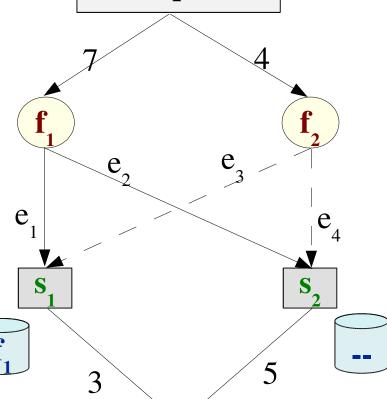
Constrain all edges entering a



# **Example (cont'd)**



#### Jobs queued



**Jobs finished** 

• Compute max throughput to be min of jobs in queue and available sever slots

• e.+e.+e.+e.=8

Define cost of using each edge

$$C(e_3) = 10$$

minimize 
$$(0 \times e_1 + 1 \times e_2 + 10 \times e_3 + 10 \times e_4)$$

Set objective to minimize cost

$$e_1 = 3$$

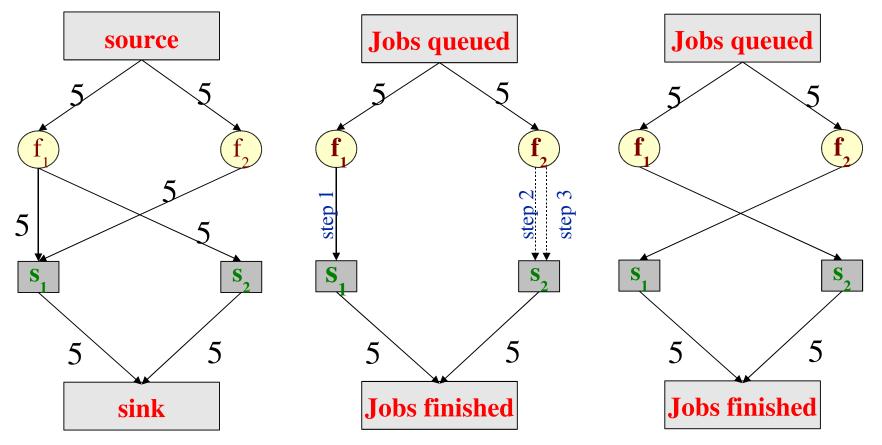
$$e_{2} = 4$$

Let LP do the heavy lifting



# SJF and LP Comparison





**Network diagram** 

**SJF** 

LP



## Finding an LP Solver



#### Researched different libraries

- http://www-unix.mcs.anl.gov/otc/Guide/faq/linear-programming-faq.html#Q2
- http://www.cs.sunysb.edu/~algorith/files/linear-programming.shtml

#### Selected lp\_solve

- Written in ANSI C
- Ported to \*nix
- Solve up to 30K variables, 50K constraints
- FREE for non-commercial use
- Generally considered best free code available



#### **Simulation Environment**



- 8 single and 1 dual CPU 1.5GHz Athlons
  - 20GB disk cache and 2GB of RAM per node
- Sched\_sim written in C++ with extensive use of STL
  - geared towards simulation of shared-nothing clusters
- Used the Condor batch scheduling system
  - ran 6643 simulations
  - consumed 27.92 CPU days
- Two types of measurements
  - measurements of simulated systems



#### **Simulation Parameters**



### Server configuration

- Capacity for jobs and data
- Cache policy

#### Dataset

- Size of complete dataset and of each file
- Characteristics of popularity distribution

#### Network

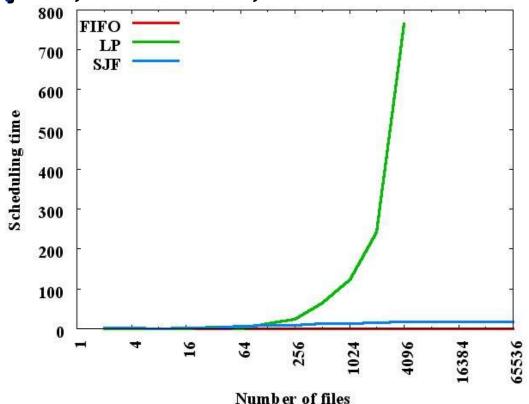
- Bandwidth to archive server and within local network
- Jobs



# **Scheduling Sensitivity**



10,000 jobs, 2-64K files, 32 servers



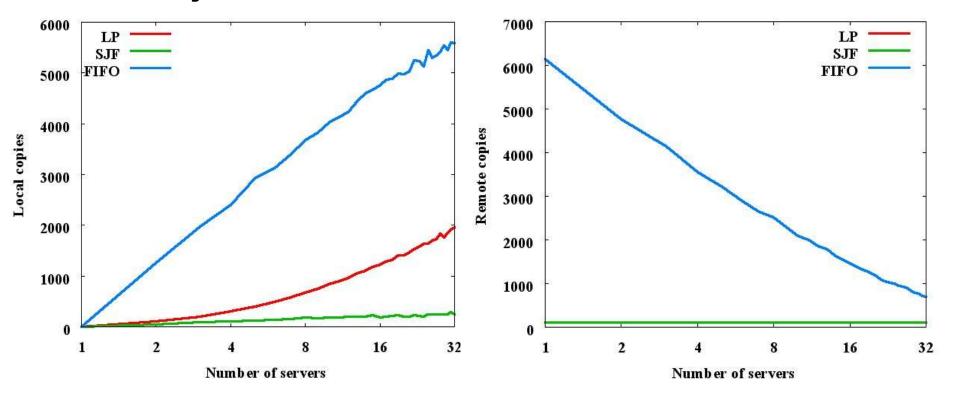
- LP is very sensitive to the number of edges
- Unable to run when edges = 8K\*32



## **Number of File Replications**



10,000 jobs, 100 files, 1-32 servers



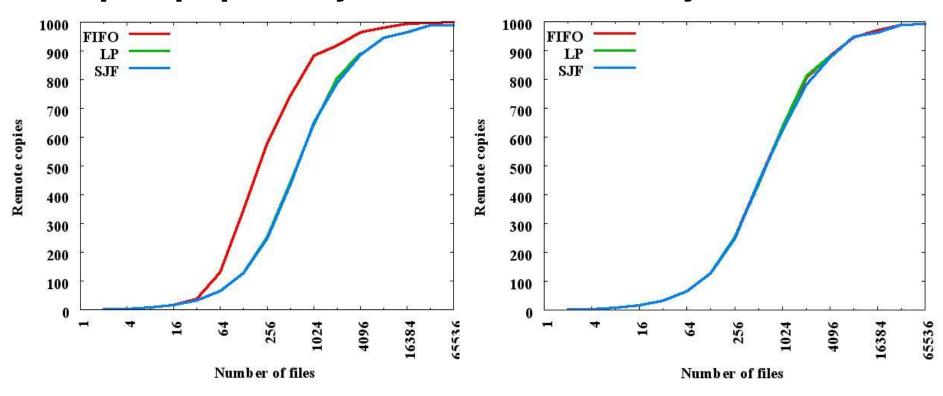
- SJF makes fewer local copies than LP
- FIFO very wasteful



# **Popularity Distribution**



### Zipf's popularity distribution, 1000 jobs



**Small cache** 

**Infinite Cache** 

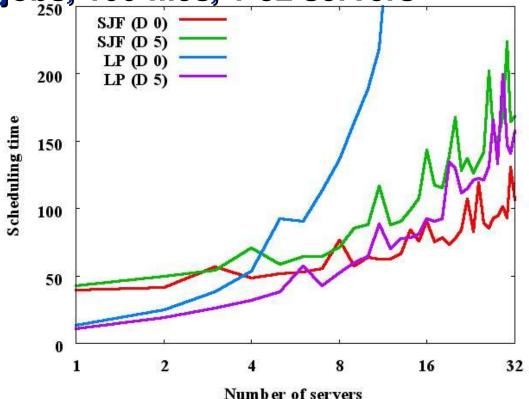


## Scheduling Overhead



Delay scheduling to minimize calls to LP

10,000 jobs, 100 files, 1-32 servers



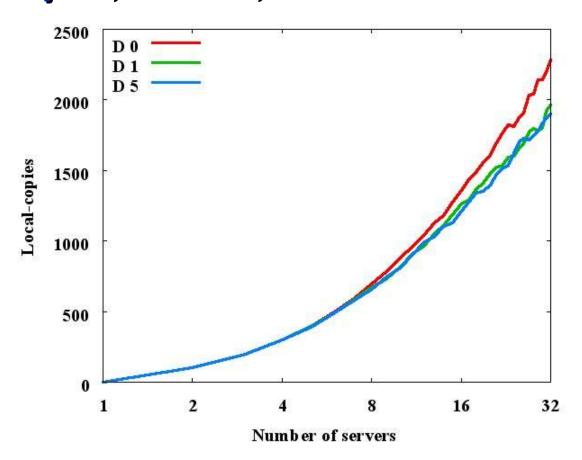
Delays reduce scheduling overhead



## LP Local copies with delays



10,000 jobs, 100 files, 1-32 servers



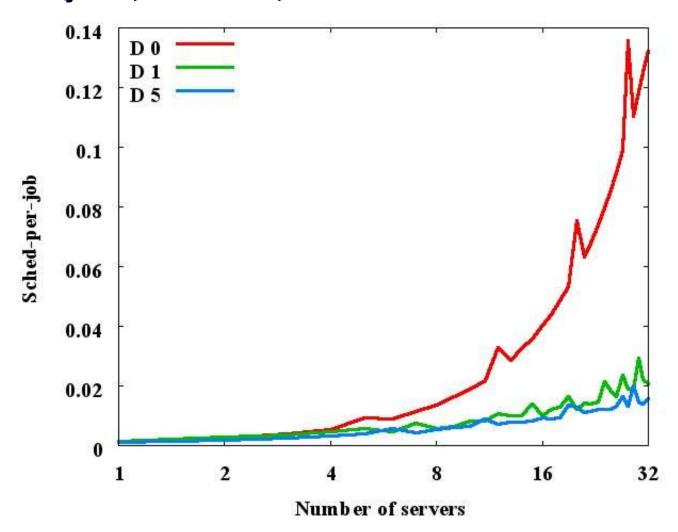
Delay to LP results in fewer local copies.



# LP Scheduling time with delays



#### 10,000 jobs, 100 files, 1-32 servers





#### **Conclusions**



- FIFO performs the most local and remote copies
- FIFO has the lowest server utilization
  - the three methods converge with increasing number of servers
- SJF and LP are equivalent in the number of replications performed and run times
- Longer delays between successive LP's significantly reduce scheduling time
- Increasing the number of servers causes

fewer remote conies and more local conies



#### **Future Work**



- More simulations needed to study the effects of the different variables
- Use real workflows
- Study workflows with dependencies between inputs and outputs of successive jobs
- Test additional algorithms
  - prefetch files to compute nodes
- Take into account "remote transfer in progress" events

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