A Hybrid Tensor-Expert-Data Parallelism Approach to Optimize Mixture-of-Experts Training

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ABSTRACT

Mixture-of-Experts (MoE) is a neural network architecture that adds sparsely activated expert blocks to a base model, increasing the number of parameters without impacting computational costs. However, current distributed deep learning frameworks are limited in their ability to train high-quality MoE models with large base models. In this work, we present DeepSpeed-TED, a novel, three-dimensional, hybrid parallel algorithm that combines data, tensor, and expert parallelism to enable the training of MoE models with 4–8× larger base models than the current state-of-the-art. We also describe memory optimizations in the optimizer step, and communication optimizations that eliminate unnecessary data movement. We implement our approach in DeepSpeed and achieve speedups of 26% over a baseline (i.e. without our communication optimizations) when training a 40 billion parameter MoE model (6.7 billion base model with 16 experts) on 128 V100 GPUs.

CCS CONCEPTS

• Computing methodologies → Massively parallel algorithms;
Natural language generation.

KEYWORDS

Parallel Deep Learning, Mixture-of-Experts, Tensor Parallelism, Expert Parallelism

ACM Reference Format:

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ICS ’23, June 21–23, 2023, Orlando, FL, USA
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https://doi.org/10.1145/3577193.3593704

1 INTRODUCTION

Contemporary state-of-the-art AI algorithms have come to rely on neural networks such as GPT-3 [4] and MT-NLG [34] with hundreds of billion of parameters. However, training or running inference on models of this size has become prohibitively expensive due to their significantly large computational costs. To alleviate this issue, deep learning researchers have turned their attention to the Mixture-of-Experts (MoE) architecture [10, 18, 30], which offers a way to increasing the parameter count of a model without increasing computational costs. MoE models augment the layers of a vanilla transformer [37] model (called the base model in MoE parlance) with multiple “experts” or feedforward blocks and a parameterized routing function that uniquely maps each input token to a unique expert. Figure 1 illustrates the forward pass of a single MoE layer with two experts and an input batch of two tokens. Since each token is only processed by one expert, the effective computation cost per token (and thus the total training cost) remains fixed (in comparison to the base model) and is independent of the number of experts.

Figure 1: A single Mixture-of-Experts (MoE) layer with two "experts" or feedforward blocks. The input batch has two tokens, w1 and w2. We use the prefixes ‘w’, ‘a’, and ‘f’ to denote the input activations to the layer, output activations of self-attention and feedforward blocks respectively. Similarly we label each activation with an integer suffix corresponding to its token. Note that each token is uniquely routed to a single expert by a parameterized routing function.

Unfortunately, there is a limit to the improvements in model quality that can be achieved by simply increasing the number of
experts [30]. For example, in an experiment that studied the effect of adding experts to the T5 architecture [24] as the base model, Fedus et al. observed diminishing improvements in the test set accuracy beyond 64-128 experts [10]. In fact, for training high quality Mixture-of-Experts models, it is imperative that the base models’ size (number of parameters) is increased along with the number of experts [17].

In this regard, current state-of-the-art distributed deep learning frameworks are inadequate for training such MoEs with large base models. They either support limited-sized base models or use inefficient parallel algorithms that lead to high communication costs. Hence, it is crucial to develop a distributed framework that can support the training of MoEs with large base models on multi-GPU clusters and do so efficiently, while keeping communication costs low. In this work, we present a three-dimensional, hybrid parallel framework, DeepSpeed-TED, that combines ZeRO’s data parallelism [26], MegatronLM’s tensor parallelism [32], and DeepSpeed-MoE’s expert parallelism [25] to train MoE models that are built using extremely large base models. We demonstrate how the combination of these three dimensions of parallelism allows our framework to train 4–8 × larger base models compared to DeepSpeed-MoE [25], a state-of-the-art parallel framework that employs only two of these dimensions (data and expert). To the best of our knowledge, this is the first effort that combines these three state-of-the-art parallel deep learning algorithms for training MoEs on multi-GPU clusters.

We identify and resolve two bottlenecks that emerge with a naive combination of these three forms of parallelism. The first is a significant increase in memory usage in the optimizer, which limits the base model sizes supported by our hybrid parallel approach. To alleviate this issue, we propose a tiled version of the optimizer that processes model parameters in groups (or tiles) of fixed size, and decreases peak memory consumption by reusing GPU memory across the parameter tiles. The second bottleneck is related to communication costs, where a considerable amount of training time is spent in collective communication pertaining to expert and tensor parallelism. We identify two regions in this hybrid training procedure where messages are communicated unnecessarily among the worker GPUs, and propose novel communication optimizations that resolve this problem. For a 40 billion parameter MoE (6.7 billion base model with 16 experts) on 128 V100 GPUs of Summit, our optimizations reduce the overall collective communication time by 42% and lead to a significant improvement of 26% in the training time. DeepSpeed-TED is open source, and has been integrated in DeepSpeed¹, a state-of-the-art distributed deep learning framework.

The main contributions of this paper are as follows:

- A highly scalable first of its kind three-dimensional, hybrid parallel framework that combines ZeRO’s data parallelism [26], MegatronLM’s tensor parallelism [32], and DeepSpeed-MoE’s expert parallelism [25] to train MoE models with large base models.
- A tiled version of an optimizer that alleviates a significant memory spike in the optimizer step that arises from combining the three aforementioned forms of parallelism.

- Communication optimizations that eliminate unnecessary communication in our hybrid parallel algorithm which significantly reduce collective communication times.

2 BACKGROUND

In this section, we provide a background on Mixture-of-Experts (MoE), and the three forms of parallelism used in this work – tensor parallelism [32], expert parallelism [25], and data parallelism [26].

2.1 Mixture-of-Experts

Proposed by Shazeer et al. [30] in 2017, Mixture-of-Experts (MoEs) are a family of neural network architectures with an interesting property that their parameter set can be made arbitrarily large without increasing their computational costs. This is achieved by adding sparsely activated expert blocks to the layers of a dense neural network (called the base model). A parameterized routing function is added before these expert blocks that maps its input tokens to a unique expert. Since each token is computed upon by only one expert, the total computation cost of training remains fixed (same as the base model) and is independent of the number of experts. MoEs thus offer a unique way to increase the number of parameters of a given base model, and thus its performance on any task [16], without any increase in computational costs. Although Shazeer et al. used LSTMs [12] as their base models, contemporary work on MoEs largely employ the transformer architecture [37] as the base models [1, 6, 9, 10, 17, 18, 29, 40, 43].

2.2 Data Parallelism and ZeRO

Under data parallelism, worker GPUs house a copy of the neural network and work on mutually exclusive shards of the input batch. After the backward pass they synchronize their local gradients via an all-reduce function call. However, a major limitation of data parallelism is that each GPU has to have enough memory to store the entire parameter set of a neural network, and also its gradients and optimizer states. To resolve this issue, Rajbhandari et al. proposed the Zero Redundancy Optimizer or ZeRO which is aimed at eliminating this redundant memory consumption in data parallel GPUs [26]. Their method has three stages, which progressively save more memory albeit at the cost of increased communication. In this work, we consider the first stage of their optimization which only shreds the optimizer states across data parallel ranks.

2.3 Expert Parallelism and DeepSpeed-MoE

After routing, the computation of an expert block of in an MoE layer is independent of other experts. Expert parallelism exploits this property by placing unique expert blocks on each GPU and computing them in an embarrassingly parallel fashion. Tokens are mapped to their corresponding experts by all-to-all communication within the participating GPUs. Due to its simplicity and effectiveness, expert parallelism is used in many parallel frameworks for training or running inference on MoEs [1, 10, 18, 23, 31]. In this work, we use DeepSpeed-MoE’s implementation of expert parallelism [25].

2.4 Tensor Parallelism and Megatron-LM

Tensor parallelism involves partitioning the computation of a neural network layer across GPUs. Shoeybi et al. introduce MegatronLM,
a tensor parallel algorithm to parallelize the computation of layers in a transformer neural network [32]. Their method is aimed at parallelizing a pair of consecutively fully-connected layers, which are found in the self-attention and feedforward blocks of the transformer [37]. Their algorithm has seen significant adoption for training many large language models like Megatron-LM [34], Bloom-176B [3], Turing NLG [26] etc.

3 TED: A HYBRID TENSOR-EXPERT-DATA PARALLEL APPROACH

By adding sparsely activated experts, the Mixture-of-Experts architecture allows us to make a given neural network, i.e. the base model, arbitrarily large while keeping its computation cost unchanged. However, merely increasing the number of experts yields diminishing returns in model generalization beyond 64–128 experts [10]. To build high quality MoEs, it is imperative that we increase the base model sizes as well as the number of experts [17]. In this section, we provide an overview of TED, our hybrid parallel approach which combines DeepSpeed-Moe’s expert [25], MegatronLM’s tensor [32] and ZeRO’s data [26] parallelism, to enable the training of such MoEs with extremely large multi-billion parameter base models on multi-GPU clusters. In this work, we use the first stage of ZeRO, which shards the optimizer states across data parallel GPUs. While further stages of their optimizations (stage-2, 3, offload [28] and infinity [27]) can support training of larger models, this happens at a cost to performance.

We use the terms non-expert and expert blocks interchangeably with self-attention and feedforward blocks respectively. Note that TED parallelizes the computation of expert and non expert blocks in a different manner. This is because expert parallelism is only applicable to the feedforward blocks of the transformer base model. Thus, TED uses a two dimensional hybrid of tensor and data parallelism to parallelize the non-expert blocks. Whereas, it utilizes all three of tensor, expert, and data parallelism for the expert blocks. Under TED, we organize available GPUs into two different virtual topologies for the non-expert and expert blocks. We illustrate these topologies in Figure 2.

Figure 2: TED uses a two dimensional hybrid of tensor and data parallelism to parallelize the computation of non-expert blocks. Whereas, it utilizes all three of tensor, expert, and data parallelism to parallelize expert blocks.

For the non-expert blocks, we maintain a two dimensional (2D) topology of GPUs, one dimension each for tensor and data parallelism. In this topology, GPUs in a row implement tensor parallelism, and we refer to a row of GPUs as a tensor parallel group. Similarly, TED realizes data parallelism across columns of GPUs, and we refer to these columns as data parallel groups. Likewise, for the expert blocks, we maintain a three dimensional (3D) topology of GPUs, one each for tensor, expert, and data parallelism. To form the tensor parallel groups for the expert blocks, we reuse the tensor parallel groups formed in the 2D topology for the non-expert blocks. However, we further decompose the data parallel groups of the non-expert blocks into a 2D topology to form groups for expert parallelism and data parallelism for the expert blocks. We define $G_{\text{tensor}}$ and $G_{\text{nonexp}}$ as the size of the tensor parallel and non-expert data parallel groups respectively. Similarly, we define $G_{\text{expert}}$ and $G_{\text{data}}$ as the size of the expert parallel and expert data parallel groups respectively. Following prior work [26], we always set $G_{\text{expert}}$ to the number of experts in the model for performance considerations. Note that given a number GPUs, $G$, the following relation always holds true:

$$G_{\text{tensor}} \times G_{\text{expert}} \times G_{\text{data}}^\text{exp} = G_{\text{tensor}} \times G_{\text{data}}^\text{nonexp} = G$$

In Figure 3, we illustrate the forward pass of an MoE layer with two experts on four GPUs. As mentioned previously, we set $G_{\text{expert}}$ to the number of experts i.e. 2. The other degrees of parallelism are $G_{\text{tensor}} = 2$, $G_{\text{data}}^\text{nonexp} = 2$, $G_{\text{expert}} = 2$, and $G_{\text{data}}^\text{exp} = 1$. We partition the parameters of the self-attention block (non-expert) and the two feed forward blocks (experts) as per the semantics of MegatronLM’s tensor parallelism and place the first partition on GPUs 0 and 2 and the second partition on GPUs 1 and 3. GPUs (0,1) and (2,3) thus form the two tensor parallel groups. GPU pairs (0,2) and (1,3) comprise the data parallel groups for the non-expert parameters. The same GPU pairs however comprise the expert parallel groups for the expert parameters. The four GPUs individually form singleton data parallel groups for the expert parameters.

Let us now discuss how our hybrid parallel algorithm computes the forward pass of an MoE layer. As an example, we use an input batch with four tokens (numbered 1-4) in Figure 3. The tensor parallel group of GPUs 0 and 1 compute on tokens 1 and 2, whereas the tensor parallel group of GPUs 2 and 3 compute on tokens 3 and 4. Each GPU first computes their partition of the self-attention block (1) and then issues an all-reduce (2) to aggregate the complete output activations (prefixied by ‘a’) for their respective tokens. Now, each GPU applies the MoE routing function to their local tokens (3). We assume that the routing function maps tokens 1 and 3 to the first expert i.e. feedforward 1, and tokens 2 and 4 to the second expert i.e. Feedforward 2. (4) Now, an all-to-all communication primitive is issued in expert parallel groups to route the tokens as per the mapping decided by the routing function. Let us look at the expert parallel group of GPUs 0 and 2 to understand this all-to-all communication call. On GPU 0, token 1 has been mapped to the first expert and token 2 has been mapped to the second expert. Therefore, we want to retain a1 and send a2 to GPU 2 which houses the second expert. Similarly, on GPU 2, we want to retain a4 and send a3 over to GPU 0. Note that this communication pattern matches the semantics of an all-to-all communication primitive.
Figure 3: Forward pass of an MoE layer with two experts on four GPUs using TED. We use a $G_{\text{tensor}} \times G_{\text{nonexp}}^{\text{data}} = 2 \times 2$ topology for the non-expert self-attention blocks and $G_{\text{tensor}} \times G_{\text{expert}} \times G_{\text{exp}}^{\text{data}} = 2 \times 2 \times 1$ topology for the expert feedforward blocks. We use the prefixes ‘w’, ‘a’, and ‘f’ to denote the input activations to the layer, output activations of self-attention and feedforward blocks respectively. Similarly we label each activation with an integer suffix corresponding to its token. Suffixes TP 1 and TP 2 denote the two tensor parallel partitions of the attention and feedforward blocks. The input batch consists of four tokens, with tokens 1 and 3 routed to the first expert (colored blue), and tokens 2 and 4 routed to the second expert (colored yellow).

3.1 A Model for Memory Consumption

We now derive the extent to which TED can increase the base model sizes as compared to prior work like DeepSpeed-MoE [25], which only employ data and expert parallelism. Following previous work, we assume that every alternate layer has expert feedforward modules [10, 17, 18]. Let $NP_{\text{base}}$ denote the number of parameters in the base model and $E$ denote the number of experts. Let $G$ be the number of GPUs. Note that two-thirds of the parameters in the base model reside in feed-forward blocks, and the remaining one-third in self-attention blocks [22]. Since only half of the feedforward blocks are designated as experts, the total number of expert parameters, $NP_{\text{exp}}$, in an MoE model are:

$$NP_{\text{exp}} = E \times \frac{1}{2} \times \left( \frac{2}{3} \times NP_{\text{base}} \right) = \frac{E}{3} \times NP_{\text{base}} \quad (2)$$

Now, the non-expert parameters are comprised of parameters in all the self-attention blocks and half of the feed-forward blocks. Thus, the total number of non-expert parameters, $NP_{\text{nonexp}}$, is

$$NP_{\text{nonexp}} = \frac{1}{2} \times \left( \frac{2}{3} \times NP_{\text{base}} \right) + \frac{1}{3} \times NP_{\text{base}} = \frac{2}{3} \times NP_{\text{base}} \quad (3)$$

Rajbhandari et al. [26] prove that the lower bound of memory consumption per GPU with ZeRO stage-1 is $(4 + \frac{12}{G_{\text{data}}}) \times NP_{\text{gpu}}$, where $G_{\text{data}}$ is the degree of data parallelism and $NP_{\text{gpu}}$ is the number of parameters of the model per GPU. Now, we use this formulation to derive a lower bound on memory consumption per GPU for TED as follows:

$$M_{\text{gpu}} \geq \left( 4 + \frac{12}{G_{\text{nonexp}}^{\text{data}}} \right) \times NP_{\text{nonexp}}^{\text{gpu}} + \left( 4 + \frac{12}{G_{\text{exp}}^{\text{data}}} \right) \times NP_{\text{exp}}^{\text{gpu}} \quad (4)$$

Here, $NP_{\text{nonexp}}^{\text{gpu}}$ and $NP_{\text{exp}}^{\text{gpu}}$ are the number of expert and non-expert parameters per GPU. As discussed previously, $G_{\text{data}}^{\text{nonexp}}$ and
In the previous section, we provided an overview of how TED distributes the parameters and the computation of the forward and backward passes across the GPUs. However, a naive combination of tensor, expert, and data parallelism leads to significant spikes in memory usage during the optimizer step. Interestingly, the magnitude of this spike becomes worse as we increase the number of experts and/or the base model sizes. Note that it is important to resolve this issue so that we are able to fit MoEs with large base models in memory. Below, we discuss this phenomenon in detail and outline our solution to resolve this issue.

To demonstrate the aforementioned memory usage spike, we profile the memory consumed per GPU during various phases of training (forward pass, backward pass, optimizer step) for an MoE model with a 2.7B parameter base model and 32 experts, and show the results in Figure 4. We run this experiment on 32 GPUs of an NVIDIA DGX-A100 cluster with eight GPUs per node. We set the degree of tensor and expert parallelism to 1 and 32 respectively. This results in degrees of data parallelism as 32 and 1 for the non-expert and expert blocks respectively. We observe that memory consumption peaks during the optimizer step with a very significant spike of around 4.5 GB. An intermediate step in the optimizer phase in mixed precision training is the up-casting of 16-bit gradients to 32-bit gradients before the optimizer updates the weights. This requires the creation of a temporary buffer to store the 32-bit gradients and is exactly the reason why there is a significant increase in memory consumption. In fact, this problem becomes worse with increasing base model sizes and/or expert counts. Let us now understand why.

4 MEMORY SAVINGS VIA TILING

In the previous section, we provided an overview of how TED distributes the parameters and the computation of the forward and backward passes across the GPUs. However, a naive combination of tensor, expert, and data parallelism leads to significant spikes in memory usage during the optimizer step. Interestingly, the magnitude of this spike becomes worse as we increase the number of experts and/or the base model sizes. Note that it is important to resolve this issue so that we are able to fit MoEs with large base models in memory. Below, we discuss this phenomenon in detail and outline our solution to resolve this issue.

Given $G_{\text{exp}}$, $G_{\text{data}}$, $G_{\text{nonexp}}$, $G_{\text{tensor}}$, $G_{\text{gpu}}$, $NP_{\text{base}}$, and $NP_{\text{exp}}$, we can write $NP_{\text{base}} = \frac{NP_{\text{exp}}}{G_{\text{exp}}}$. Also, it follows from Equation 1 that $G_{\text{data}} = \frac{G}{G_{\text{base}}}$ and $G_{\text{exp}} = \frac{G}{G_{\text{expert}}}$.

Substituting these values in Equation 4, we get

$$M_{\text{gpu}} \geq \frac{4}{G_{\text{tensor}}} \left( \frac{2G_{\text{base}} + NP_{\text{base}}}{3} \right) + \frac{12}{G} \left( \frac{NP_{\text{base}} + E}{3} \right)$$

Now substituting from Equation 2 and 3, we get

$$M_{\text{gpu}} \geq \frac{4NP_{\text{base}}}{G_{\text{tensor}}} + \frac{4(E + 2)}{G} \frac{NP_{\text{base}}}{G}$$

$$\geq 4NP_{\text{base}} \frac{G_{\text{tensor}}}{G} \frac{1}{(E + 2) G}$$

Equation 5 can be used to derive an upper bound on the largest possible base model size that our framework can train, given enough number of GPUs. Note that as we increase the number of GPUs involved in training, the second term becomes negligible compared to the first. This gives us,

$$M_{\text{gpu}} \geq \frac{4NP_{\text{base}}}{G_{\text{tensor}}} \implies NP_{\text{base}} \leq \frac{G_{\text{tensor}}}{4} M_{\text{gpu}}$$

Note that substituting $G_{\text{tensor}} = 1$ in Equation 6 gives us the base model upper bound for Rajbhandari et al. [25], the current state-of-the-art for training MoEs. Thus, we have shown that our system enables the training of $G_{\text{tensor}} \times$ larger base models compared to the previous state-of-the-art. Note that the maximum degree of tensor parallelism is limited to the number of GPUs in a node due to performance considerations [22]. Nevertheless, our framework can still support 4×, 6× and 8× larger base models on Perlmutter, Summit and an NVIDIA-DGX-A100 machine respectively.

4 MEMORY SAVINGS VIA TILING

In the previous section, we provided an overview of how TED distributes the parameters and the computation of the forward and backward passes across the GPUs. However, a naive combination of tensor, expert, and data parallelism leads to significant spikes in memory usage during the optimizer step. Interestingly, the magnitude of this spike becomes worse as we increase the number of experts and/or the base model sizes. Note that it is important to resolve this issue so that we are able to fit MoEs with large base models in memory. Below, we discuss this phenomenon in detail and outline our solution to resolve this issue.
\[ G_{\text{data}}^{\text{exp}} = E \times \frac{G_{\text{data}}^{\text{non-exp}}}{E} \]  

From Equation 7, we can conclude that the degree of data parallelism for the expert blocks is \( E \times \) less than that for the non-expert blocks. Therefore, ZeRO provides lesser memory savings for the expert blocks than the non-expert blocks. This is because the optimizer states for the expert blocks are sharded over \( E \times \) lesser GPUs. Thus, as \( E \) increases each GPU has to process increasing number of parameters in the optimizer step. This leads to an increase in the size of the temporary 32-bit gradient buffer required to up-cast the expert parameter gradients. Increasing the base model size also worsens this problem as the size of the expert parameter group is directly proportional to the base model size. This is why it is imperative to resolve this issue such that we can train MoEs with large base models and/or large number of experts.

In this work, we propose a tiled formulation of the optimizer that strives to alleviate the aforementioned issue. Instead of processing the entire expert parameter group at once, we propose partitioning these parameters into “tiles” of a predefined size and iteratively processing these tiles. This ensures that at any given time, temporary 32-bit gradients are only produced for parameters belonging to a given tile. The temporary memory used to store these gradients can in fact be reused across tiles. For a tile size \( t_s \), we now only need \( 4 \times t_s \) bytes of memory to materialize the 32-bit gradients. This makes the optimizer memory spike independent of the number of experts and the base model sizes! In our experiments, we fix the tile size to 1.8 million parameters, which essentially caps the spike in the optimizer step to 1 GB. We observed that this tile size is large enough to not cause any performance degradation due to the latency of multiple kernel launches. In Figure 4, we demonstrate how our tiled optimizer reduces the per GPU peak memory consumption for the aforementioned MoE with a 2.7B parameter base model and 32 experts by 3 GB. In fact, on another MoE with 6.7B parameters and 16 experts on 32 GPUs, our framework ran out of memory without tiling. Whereas, with tiling enabled, we were able to successfully train this model with a peak memory consumption of 31.3 GB. Since the maximum memory capacity of these GPUs is 40 GB, optimizer tiling provides a significant memory savings of more than 21.75%!

## 5 PERFORMANCE OPTIMIZATIONS

In the preceding sections, we focused on increasing the maximum possible size of MoEs that are supported by our framework. While the memory savings provided by expert and tensor parallelism contribute to this, they also result in a significant portion of the batch time being spent in expensive collective communication. In Figure 3, we can observe that the forward pass includes two all-reduce calls within the tensor parallel groups, and two all-to-all calls within the expert parallel groups. During the backward pass, these calls are repeated again. Also, large model training almost always uses activation checkpointing [5], which significantly reduces activation memory at the expense of a duplicate forward pass per layer. Thus, overall we end up with six all-to-all and six all-reduce communication calls, which become a significant bottleneck in training. We empirically demonstrate this in Figure 5 (leftmost bar titled Baseline), wherein we observe that almost half of the batch time is spent in the all-to-all and all-reduce communication calls. We will now describe two performance optimizations that seek to reduce the time spent in these communications and are extremely critical to the performance of our framework.

### 5.1 Duplicate Token Dropping (DTD) for Reducing Communication Volume

MegatronLM’s tensor parallelism for partitioning self-attention and feed forward blocks involves issuing an all-reduce on local partial outputs to materialize the full outputs on each rank [32]. For example, in Figure 3, GPUs 0 and 1 issue an all-reduce (●) after the self-attention block to assemble the full self-attention outputs for tokens 1 and 2. While, this leads to duplication of activations across the tensor parallel ranks, it is not an issue for training regular transformer models (i.e. without experts) as the tensor parallel blocks under MegatronLM’s algorithm require a complete set of input activations on each tensor parallel rank. Thus the duplicate activations output by a tensor parallel block serve as the required input for its successor. However, for MoEs, an unwanted side effect of this design choice is the presence of redundant tokens in the all-to-all communication calls. For example consider the first all-to-all in Figure 3 (●). Self-attention output activations, \( a_1 \) and \( a_2 \), are communicated by both GPUs 0 and 1. Similarly, GPUs 2 and 3 both communicate \( a_3 \) and \( a_4 \). In general, the amount of unnecessary data in the all-to-all communication calls for a given token is proportional to the degree of tensor parallelism. Thus, naively combining expert and tensor parallelism can lead to the all-to-all communication becoming a significant bottleneck, especially as we try to increase the base model sizes (larger base models need more tensor parallelism). For example, in Figure 5, 32% of the batch time is spent in the all-to-all (leftmost bar titled baseline)! The degree of tensor parallelism and thus the degree of redundancy in the all-to-all is four here.
To resolve this bottleneck, we propose duplicate token dropping (DTD), a communication optimization geared towards eliminating unnecessary data in the all-to-all communication. We illustrate the working of DTD in Figure 6 for the first all-to-all communication in an MoE layer (1 in Figure 3). Before the all-to-all is issued, GPUs within tensor parallel groups participate in a “drop” operation (2 in Figure 6). The drop operation ensures that there is no redundancy in the output activations across the tensor parallel ranks. For instance, GPU 0 drops the activation of a2 whereas GPU 1 drops the activation a1, thereby completely eliminating redundancy within their tensor parallel group. Similarly, GPUs 3 and 4 drop a3 and a4 respectively. The drop operation thus reduces the all-to-all message sizes by two times in this example, and in general the reduction is equal to the degree of tensor parallelism. However, after the all-to-all, the GPUs do not have the full input activations to commence the computation of the expert feed forward blocks. For instance, GPU 0 has the input activations for the token 1, but not for token 3 and vice versa for GPU 1. Therefore, to assemble the full input activations, we issue an all-gather call (3 in Figure 6) between the tensor parallel GPUs. The all-gather ensures that the input dependencies for the expert feedforward blocks are met.

![Figure 6: Duplicate token dropping (DTD) in the first all-to-all communication of an MoE layer (Steps 3–5 in Figure 3). Before the all-to-all, we apply the drop operation, which eliminates redundant tokens across tensor parallel ranks, and reduces the all-to-all message sizes by the degree of tensor parallelism. After the all-to-all, GPUs reassemble the full input to the feed forward blocks by issuing an all-gather between the tensor parallel ranks.](image)

During the backward pass the all-gather call is replaced by a drop operation and the drop operation is replaced by an all-gather call. For the MoE model in Figure 5, we observe that DTD reduces the all-to-all communication time by 48%. While the inclusion of DTD leads to an additional all-gather operation (shown in red on top of the second bar), this overhead is outweighed by the improvement in the all-to-all communication timing. Overall, DTD results in an improvement of 13.21% in the batch time.

5.2 Communication-aware Activation Checkpointing (CAC)

We now turn our attention to a second source of redundant communication in large model training, namely activation checkpointing [5]. Intermediate activations in a neural network generated during the forward pass need to be stashed in memory as they are required during the backward pass for the gradient computation. However, for large model training, storing all the activations can lead to tremendous memory overhead. Activation checkpointing alleviates this issue by storing only a subset of the activations, which are essentially just the input activations of every layer. During the backward pass of a layer, the remaining activations are re-materialized from its stashed input activation by doing a local forward pass for that layer. Thus, activation checkpointing saves activation memory at the expense of a duplicate forward pass for every layer, and is almost always used for training large neural networks. For more details, we refer the reader to Chen et al. [5].

We know from Section 3 that the forward pass of an MoE layer in TED involves two all-to-alls and two all-reduce calls in the forward pass and two all-to-alls and two all-reduce calls in the backward pass. Since activation checkpointing involves repeating the forward pass of a layer, we now end up with two additional all-to-all and all-reduce calls, thereby increasing communication volume by 1.5x and making the training process inefficient.

To this end, we propose communication-aware checkpointing (CAC), a communication optimization that eliminates the additional communication in the second forward pass induced by activation checkpointing. During the first forward pass, CAC stashes the outputs of each all-reduce and all-to-all communication call along with the data stashed by standard activation checkpointing. Now, during the second forward pass, we bypass these communication calls and instead return the outputs for these communication calls stashed during the first forward pass. CAC thus reduces the communication volume by 33% at the expense of using extra GPU memory. For the MoE model in Figure 5, CAC indeed reduces the all-to-all and all-reduce communication times by 33% (compare second and third bars). In combination with DTD, the reductions in the all-to-all and all-reduce communication times are 64.12% and 33% respectively, amounting to a speedup of nearly 20.7% over the baseline version of DeepSpeed-TED.

6 EXPERIMENTAL SETUP

This section provides an overview of the empirical evaluation of DeepSpeed-TED. Our framework is open source, and has been integrated in DeepSpeed, a state-of-the-art framework for parallel deep learning. We conduct our experiments on the Summit and ThetaGPU supercomputers. Summit has six 16 GB NVIDIA V100 GPUs per node, each having a peak half precision throughput of 125 Tflop/s. Each node has two 22-core Power 9 CPUs. The peak intra-node and inter-node GPU bidirectional communication bandwidths are 50 GB/s (NVlink) and 25 GB/s (Infiniband) respectively. On the other hand, ThetaGPU is a NVIDIA DGX A100 machine with eight 40 GB NVIDIA A100 GPUs per node, each having a peak half precision throughput of 312 Tflop/s. On this machine, the peak intra-node and inter-node GPU bidirectional communication bandwidths are 600 GB/s (NVlink) and 200 GB/s (Infiniband) respectively.

6.1 Neural Network Architectures and Datasets

Table 1 lists the various base model architectures used in this study. All MoEs used in our empirical experiments are constructed by...
adding expert blocks to every alternate layer of one of these base models (this is in line with previous work [10, 17, 18]). The base models and their corresponding hyperparameters are taken from Brown et al. [4]. We use the Pile dataset to generate input tokens [11]. We use the AdamW optimizer [20], which is the standard practice for large language model training. We implement the layers of our transformer models using MegatronLM’s GPU kernels [32].

Table 1: Architectural details and batch sizes for the various transformer base models used to build the MoEs used in this study. All hyperparameters including the batch sizes are taken from Brown et al. [4].

<table>
<thead>
<tr>
<th># Parameters</th>
<th># Layers</th>
<th>Hidden Size</th>
<th>Attention Heads</th>
<th>Batch Size</th>
</tr>
</thead>
<tbody>
<tr>
<td>1.3B</td>
<td>24</td>
<td>2048</td>
<td>16</td>
<td>512</td>
</tr>
<tr>
<td>2.7B</td>
<td>32</td>
<td>2560</td>
<td>32</td>
<td>512</td>
</tr>
<tr>
<td>6.7B</td>
<td>32</td>
<td>4096</td>
<td>32</td>
<td>1024</td>
</tr>
<tr>
<td>13.0B</td>
<td>40</td>
<td>5140</td>
<td>40</td>
<td>2048</td>
</tr>
</tbody>
</table>

First, we establish the correctness of our implementation by training a 2.6B parameter MoE model (1.3B parameter base model and 4 experts) to completion on the BookCorpus dataset [42], on 8 GPUs, and present the validation loss curves. For reference, we also train this model using DeepSpeed-MoE [25], the current state-of-the-art framework for training MoEs and compare the two loss curves. Then, we demonstrate the maximum MoE model sizes that our framework can support for a given number of GPUs and compare it with DeepSpeed-MoE [25]. Next, we conduct strong scaling studies using MoEs built from the 1.3B, 2.7B and 6.7B parameter transformer models in Table 1 on 32 to 256 GPUs. At 32 GPUs, we add as many experts as the system memory permits. We strongly scale a model in two ways, first increasing the number of GPUs while keeping the number of experts constant, and second by varying the number of experts proportional to the number of GPUs. Note that even though the latter experiment increases the model size with scale, it is still considered strong scaling as adding experts to a base model does not change the total number of floating point operations in training. For our weak scaling runs, we fix the number of experts to 16 and use base models of increasing sizes from Table 1 as we go from 32 to 256 GPUs. Note that this is weak scaling, because the number of floating point operations are proportional to the base model size.

6.2 Evaluation Metrics

We illustrate the results of our experiment using the average time per iteration (or batch). To calculate this, we first run a given model with 100 batches sampled from the Pile dataset [11] and take the average of the last 90. We do not include the first 10 batches because PyTorch issues expensive mem-alloc calls to the CUDA runtime in the initial iterations to reserve enough memory for training. We also derive the percentage of peak half-precision throughput from the average batch time using Narayanan et al.’s formulation[32]. Note that this is an analytical formulation of the total number of flops (and thus the percentage of peak half-precision throughput). Since Narayanan et al.’s formulation is a lower bound on the total floating point operations, we expect empirically measured flop/s to be higher.

7 RESULTS

In this section, we discuss the results of the empirical experiments outlined in Section 6.

7.1 Validating Our Implementation

To verify the correctness of DeepSpeed-TED, we train an MoE with a 1.3B parameter base model and 4 experts on 8 GPUs of ThetaGPU and present the validation loss curve in Figure 7. We set $G_{\text{tensor}} = 2$, $G_{\text{expert}} = 4$, $G_{\text{data}} = 4$, and $G_{\text{nonexp}} = 1$. This allows us to test the correctness of our framework in a scenario where all three dimensions of its hybrid parallel approach are active. We also enable the communication optimizations discussed in Section 5 i.e. DTD and CAC. We observe that our framework is able to successfully train the model to convergence, and produces identical loss curves to DeepSpeed-MoE, a system that has been previously used to train state-of-the-art MoE models. In this way, we establish the correctness of our implementation.

7.2 Comparison of Supported Model Sizes

Figure 9 illustrates the results of our experiment in which we benchmark the largest MoE models that our framework and DeepSpeed-MoE [25] can train without running out of memory for various GPU counts ranging between 32 and 512. We use the base models in Table 1. To make sure that the experiment is fair to both the frameworks we do two things. While our proposed approach can in theory support arbitrarily large base models by increasing the degree of tensor parallelism, it is well known that tensor parallelism is extremely inefficient when used across nodes. Therefore, we only allow our framework to use a maximum tensor parallel degree of...
six, which is the number of GPUs on a node of Summit. Second, we limit the largest possible number of experts to 128 as prior work has demonstrated limited improvements in the statistical efficiency of a model beyond this number [10].

Across the range of GPUs used in this experiment, we observe that DeepSpeed-TED supports 1.09 – 4.8× larger MoE models than DeepSpeed-MoE. We also observe that this ratio increases as we increase the number of GPUs. This can be explained by Equation 5, which states that the memory consumption of our approach decreases with increasing number of GPUs. We observe that beyond 128 GPUs, our proposed framework can train MoEs with hundreds of billion of parameters on Summit, which is not possible with DeepSpeed-MoE. Thus, we have empirically demonstrated how our DeepSpeed-TED can enable the development of high quality MoE models, the parameters of which have been scaled along the base model dimension as well as the expert dimension.

### 7.3 Strong Scaling Performance

We now discuss the results of our strong scaling experiments, starting with the runs that varied the number of experts proportional to the number of GPUs. We demonstrate the results for the 1.3B, 2.7B and 6.7B base models in Figure 8. To demonstrate the efficacy of the communication optimizations discussed in Section 5, we also benchmark the baseline version of our framework i.e. with DTD+CAC disabled, and call it DeepSpeed-TED (baseline). Across all the figures, we observe that augmenting the training procedure with DTD and CAC indeed improves the hardware efficiency of training. However, while the speedups for the 2.7B and 6.7B parameter base models are significant: 19 to 23% and 25 to 29% respectively, our communication optimizations seem to be less effective for the smallest 1.3B base model providing modest speedups of around 4 to 7%. This is because at the given GPU counts and number of experts, ZeRO’s memory optimizations and expert parallelism are able to fit this model in memory without the aid of tensor parallelism. Without tensor parallelism there is no redundancy in the all-to-all communication (see Section 5.1) and thus the DTD communication optimization is of no use in this scenario. Similarly, without tensor parallelism there is no all-reduce communication (Figure 3). Thus, CAC only eliminates the unnecessary all-to-all calls, and is only partially applicable to this scenario. This explains the reduced effectiveness of our optimizations for the 1.3B base model.

Unlike the 1.3B base model, the 2.7B and 6.7B model require a tensor parallel degree of 2 and 4 to fit in available GPU memory. The ensuing redundancy in the all-to-all messages and the introduction of tensor parallelism thus makes our communication optimizations quite effective. Again, we observe larger speedups for the MoEs using the 6.7B base model (25–29% versus 19–23%) as a higher degree of tensor parallelism implies more redundancy in the all-to-all messages, which our optimizations successfully eliminate. It also implies a larger proportion of time spent in tensor parallel all-reduces which is significantly reduced by CAC.

In our strong scaling runs with fixed number of experts, we observed very similar absolute times per iteration and relative speedups for all the three models. For brevity, we only include the results for the 6.7B parameter base model, and illustrate them in
We have thus verified that our optimizations are effective at improving performance in two strong scaling setups across various base model sizes.

Figure 10: Strong scaling (with number of experts fixed to four) of a MoE with a 6.7B parameter model in Table 1 used as base, on V100 GPUs of Summit. We sample input batches of size 1024 from the Pile dataset [11].

7.4 Weak Scaling Performance

As discussed in Section 6, we conduct a weak scaling experiment by fixing the number of experts to 16 and varying the base model size in proportion with the number of GPUs. We demonstrate the time per iteration (or batch) and percentage of peak half-precision throughputs for this experiment in Figure 11 and Table 2 respectively. Again, we observe a minor speedup of 6% for the 1.3B base model, and significant speedups of 20%, 25% and 36% for the 2.7B, 6.7B and 13B base models respectively. Just like the previous section, the progressively increasing effectiveness of our communication optimizations for larger base models can be explained by the correspondingly increasing degrees of tensor parallelism - 1, 2, 4, and 8. This creates more redundancy for the larger models in the all-to-all and increases the net communication volume of the all-reduces. Note that while the speedups for the 13B parameter model is significant (36%), the hardware utilization for this model is extremely low. Even with our optimizations, we are only able to achieve 11.7% of the peak half-precision flop/s, which is significantly lower than the 1.3B (37% of peak), 2.7B (30% of peak) and 6.7B (27% of peak) base models. The explanation for this observation is that a tensor parallel degree of 8 for this model is greater than the number of GPUs on a Summit node. This experiment corroborates prior work which has observed that Megatron-LM’s algorithm does not scale well beyond the confines of a node [22, 33].

8 RELATED WORK

Due to the increasing computational costs of training state-of-the-art neural networks, several frameworks and algorithms have been proposed that can train these networks in parallel on networked multi-GPU clusters. These can broadly be divided into three categories - data, tensor, and pipeline parallelism. Under data parallelism, participating GPUs are assigned a full copy of the neural network. The parallelism comes from the fact that each GPU works on an equal sized shard of the input batch at every iteration. Perhaps due to its simplicity of implementation, data parallelism has been the most widely adopted algorithm and can be found in popular deep learning frameworks like PyTorch (as Distributed Data Parallel [19]). However, a major limitation of data parallelism is that it requires the full neural network to fit on each GPU. To resolve this issue, Rajbhandari et al. propose the Zero Redundancy Optimizer (ZeRO) which shards the parameters, gradients, and/or optimizer states of the model across participating GPUs [26], and enable training of much larger models that far exceed the memory capacity of a single GPU. PyTorch also natively offers Fully Sharded Data Parallelism (FSDP), which is based off a similar idea [41].

Tensor parallel algorithms like MegatronLM [32] divide the parameters and computation of each layer of a neural network across participating GPUs and can thus also be used to train neural networks that do not fit on a single GPU. Other examples of tensor parallel frameworks and algorithms are [2, 38, 39] for fully connected layers, [7, 8] for convolution layers, and [36] for graph neural
networks. On the other hand, pipeline parallelism involves assigning the parameters and computation of a contiguous subset of layers to each GPU [14, 21, 22, 33, 35]. Parallelism is achieved by breaking a batch into microbatches and processing the microbatches in a pipelined fashion (akin to pipelining in computer architecture). Narayanan et al. show how combining tensor, pipeline, and data parallelism can be an extremely efficient strategy to train large multi-billion parameter models at scale [22]. As future work, we plan to integrate pipeline parallelism in DeepSpeed-TED to further enhance its performance.

To combat the rising computation costs of training state-of-the-art neural networks like Chinchilla [13], GPT-3 [4], and Megatron-Turing NLG [34], the machine learning community has recently turned its attention to the Mixture-of-Experts (MoE) architecture to train large compute efficient transformer models for natural language processing and computer vision [9, 10, 18, 29]. Subsequently, a number of parallel deep learning frameworks have been proposed for training or running inference on MoEs on multi-GPU clusters. These frameworks usually combine the aforementioned parallel deep learning algorithms with expert parallelism, which entails computing expert blocks in an embarrassingly parallel manner on multiple GPUs. Rajbhandari et al. present DeepSpeed-MoE [25], a state-of-the-art system for training and running inference on MoEs that combines expert parallelism with ZeRO’s data parallelism. Nie et al. combine highly optimized kernels for routing and all-to-all communication in their framework called HetuMoE [23]. In SE-MoE, the authors combine expert parallelism with out-of-core training, wherein they store model data on the CPU memory and SSDs to enable training of extremely large MoEs [31]. Artetxe et al. employ Pytorch’s Fully Sharded Data Parallelism (FSDP [41]) to training MoEs with trillions of parameters [1]. In their framework called Tutel, Hwang et al. propose several optimizations for training MoEs at scale such as optimized kernels for the routing function, an efficient 2D hierarchical algorithm for all-to-all communication, and adaptive parallelism for dynamic MoE workloads [15].

9 CONCLUSION

Deep learning researchers have recently started exploring Mixture-of-Experts (MoE) to combat the increasing computational demands of large neural networks. Prior state-of-the-art for parallelizing MoE architectures combined data and expert parallelism but not tensor parallelism. In this work, we presented a novel, hybrid parallel algorithm that combines tensor, expert, and data parallelism to enable the training of MoE models with 4 × 8× larger base models than the current state-of-the-art, DeepSpeed-MoE. We identified an abnormal memory spike in the optimizer that only occurs for MoEs and proposed a tiled implementation of the optimizer to alleviate this problem. We also showed that a naive combination of tensor and expert parallelism results in significant redundancy in collective communication, and proposed communication optimizations to solve this issue. Finally, we conducted a thorough set of empirical experiments to validate the effectiveness of our proposed framework. Future work involves the addition of pipelining as a new dimension of parallelism in order to scale our framework to base models that cannot fit on a single node.

ACKNOWLEDGMENTS

This work was supported by funding provided by the University of Maryland College Park Foundation. This research used resources of the Oak Ridge Leadership Computing Facility at the Oak Ridge National Laboratory, which is supported by the Office of Science of the U.S. Department of Energy (DOE) under Contract No. DE-AC05-00OR22725. This research also used resources of the Argonne Leadership Computing Facility, which is a DOE Office of Science User Facility supported under Contract No. DE-AC02-06CH11357.

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