

1.

a)

4	0.04	0.03	0.02	0.01	0.02
3	0.03	0.02	0.01	0.02	0.03
2	0.02	0.01	0.02	0.01	0.02
1	0.01	0	0.01	0.02	0.03
0	0	0.01	0.02	0.03	0.04
	0	1	2	3	4

4	1 or 2	2	1	1 or 3
3	2	1	2 or 3	2 or 3
2	1 or 2	2 or 3	1	1 or 3
1	1	3	3	1 or 3
	1	2	3	4

[0] -> [X 0] -> [-1 X 0] -> [0 -1 X 0]
 -> [-1 -1 X 0]
 -> [0] -> [1 0] -> [X 1 0] -> [0 X 1 0]
 [X] -> [-1 X] -> [-1 -1 X] -> [0 -1 -1 X]
 -> [-1 -1 -1 X]

b)

```
function [c, i] = extend_match(x, y, c1, c2, c3, oc)
[c, i] = min([c1 + oc, c2 + oc, sqrt((x-y)^2) + c3]);
```

Results)

```
extend_match(1,1,3.7,3.9,3.5,0.01)
ans = 3.5000
```

```
extend_match(1,0,3.7,3.9,3.5,0.01)
ans = 3.7100
```

c)

```
function d = stereo_1d(v1, v2, oc)
d1 = length(v1);
d2 = length(v2);

d = [];
CM = zeros(d1+1, d2+1); % For containing the matching cost
MM = zeros(d1, d2); % For reconstructing the optimum path
```

```

for i = 0 : d1
    for j = 0 : d2
        if i == 0 || j == 0
            CM(i+1,j+1) = oc * max([i j]) ;
        else
            [CM(i+1,j+1) MM(i, j)] = ...
                extend_match(v1(i), v2(j), CM(i, j+1), CM(i+1, j), CM(i, j), oc) ;
        end
    end
end
end

```

```

i = d1 ; j = d2 ;
disparity = 0 ;

```

```

while ( i ~= 0 && j ~= 0 )
    switch MM(i,j)
        case 1 ,
            disparity = disparity - 1 ;
            d = [ ' X ' d ] ;
            i = i - 1 ;
        case 2 ,
            disparity = disparity + 1 ;
            j = j - 1 ;
        case 3 ,
            if disparity < 0
                d = [ ' -' char('0' + abs(disparity)) ' ' d ] ;
            else
                d = [ ' ' char('0' + disparity) ' ' d ] ;
            end
            i = i -1 ; j = j -1 ;
        otherwise,
            sprintf('\nError occured during computation.\n') ;
    end
end
end

```

```

for j = 1 : i
    d = [ d 'X'] ;
end

```

Results)

```

v1 = [1 0 1 1 0 1 1 0 0 1 1 0 1 1 1] ;
v2 = [1 0 1 0 1 0 1 1 0 0 1 1 1 1 1] ;

```

stereo_1d(v1, v2, 0.01)

```

ans =
    0 0 0 -1 -1 -1 -1 -1 -1 -1 X 0 0 0

```

d)

```
function D = stereo_2D(V1, V2, oc)

if size(V1) ~= size(V2)
    error('DIM NEQ', 'The dimension of the images are not compatible', size(V1),
size(V2));
end

D = [];
[n_rows n_cols] = size(V1)

for i = 1 : n_rows
    D = [D ; stereo_1dN(V1(i,:), V2(i,:), oc, max(size(V1)) * oc * 2)];
end

D = (D - min(min(D))) ./ (max(size(V1)) * oc * 2);
```

Results)



e)

```
function d = stereo_1DF(v1, v2, oc, DL)
d1 = length(v1);
d2 = length(v2);

d = [];
CM = ones(d1+1, d2+1) * max(d1,d2) * oc ; % For containing the matching cost
MM = ones(d1, d2) + 2 ; % For reconstructing the optimum path

for i = 0 : d1
    for j = max(0, i - DL) : min(d2, i + DL)
        if i == 0 || j == 0
            CM(i+1,j+1) = oc * max([i j]);
        else
```

```

        [CM(i+1,j+1) MM(i, j)] = ...
            extend_match(v1(i), v2(j), CM(i, j+1), CM(i+1, j), CM(i, j), oc) ;
    end
end
end

i = d1 ; j = d2 ;
disparity = 0 ;
sprintf('Done part 1') ;

while ( i ~= 0 && j ~= 0 )
    switch MM(i,j)
        case 1 ,
            disparity = disparity - 1 ;
            d = [DL+10 d] ;
            i = i - 1 ;
        case 2 ,
            disparity = disparity + 1 ;
            j = j - 1 ;
        case 3 ,
            if disparity > DL
                d = [DL+10 d] ;
            elseif disparity < -DL
                d = [-DL-10 d] ;
            else
                d = [disparity d] ;
            end
            i = i -1 ; j = j -1 ;
        otherwise,
            sprintf('\nError occured during computation.\n') ;
    end
end

for j = 1 : i
    d = [DL+10 d] ;
end

function D = stereo_2DF(V1, V2, oc)

if size(V1) ~= size(V2)
    error('DIM NEQ', 'The dimension of the images are not compatible', size(V1),
size(V2)) ;
end

D = [];
[n_rows n_cols] = size(V1) ;

```

```
for i = 1 : n_rows  
    DM = stereo_1DF(V1(i,:), V2(i,:), oc, 15) ;  
    D = [D ; DM] ;  
end
```

```
D = D - min(min(D)) ;  
D = D / max(max(D)) * 255 ;  
D = uint8(D) ;
```

Results)



2.

a)

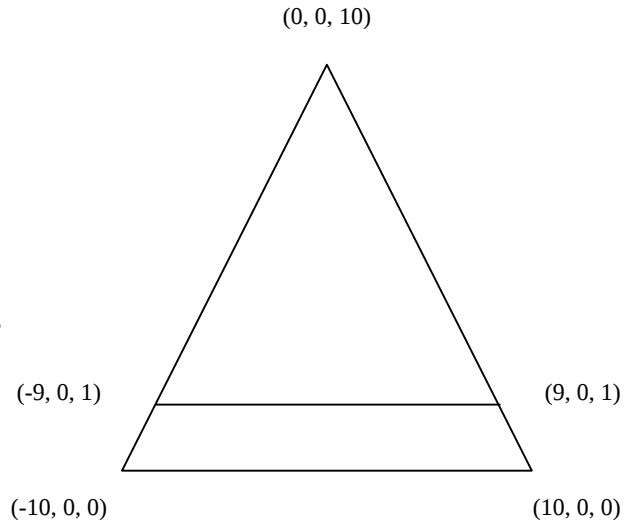
$$18 : 20 = z - 1 : z$$

$$20z - 20 = 18z$$

$$z = 10$$

Obviously the triangle is an isosceles triangle. . So

$$\text{Pt} = (0, 0, 10)$$



b)

$$16 : 20 = z - 1 : z$$

$$20z - 20 = 16z$$

$$z = 5$$

By the law of perspective projection

$X = fx / z$, $Y = fy / z$ where $f = 1$, $z = 5$

From the camera 1 coordinate system,

$$7 = x / 5, x = 35 \text{ (in camera 2 coordinates } x = 15 \text{)}$$

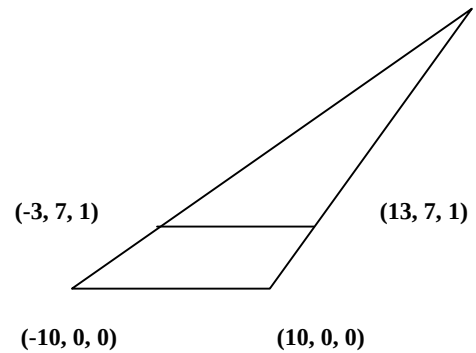
$$7 = y / 5, y = 35 \text{ (in camera 2 coordinates } y = 35 \text{)}$$

So in the world coordinates,

$$x = 35 - 10 = 25 \text{ (in case of camera 2, } x = 15 + 10 \text{)}$$

$$y = 35 \text{ (in case of camera 2, } y = 35 \text{)}$$

$$(25, 35, 5)$$



c)

By the equation of $x_w + z_w = 0$ and $y = 0$,

The x coordinate of camera 1 coordinates is $x = fX/Z$, $x = (x_w + 10) / -x_w$

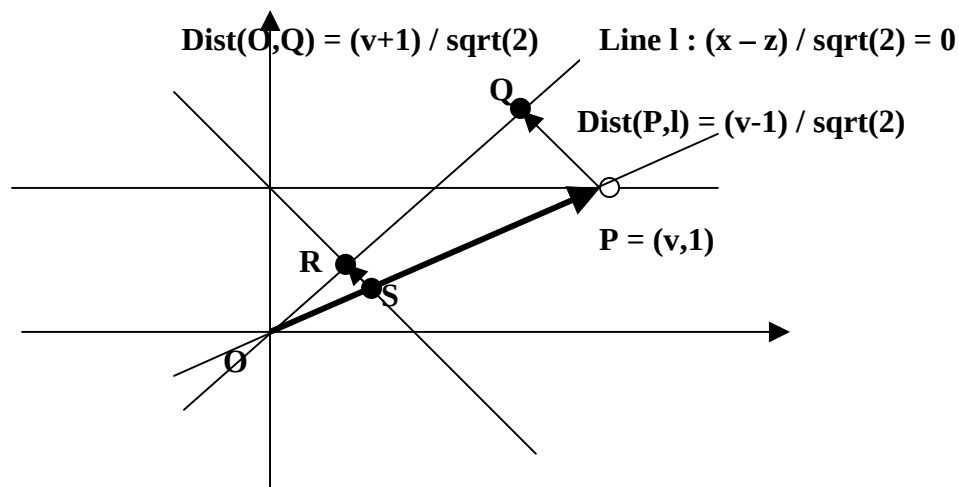
The x coordinate of camera 2 coordinates is $u = fU/Z$, $u = (x_w - 10) / -x_w = -1 + 10 / x_w$

Then disparity between them is $d = x - u$

Finally apply the equation from camera 2 coordinate, $1 / x_w = (u + 1) / 10$,

$$d = -20 / x_w = -20 * (u + 1) / 10 = -2 (u + 1)$$

3.



Distance from P to line $l : (v-1) / \sqrt{2}$

Distance from O to $Q : (v+1) / \sqrt{2}$

Distance from O to $R : 1 / \sqrt{2}$

By the rule of similar triangle,

Distance from R to $S = u = ((v-1) / \sqrt{2}) / (v+1) = (v-1) / (v+1) * 1/\sqrt{2}$

[Another solution]

First, think about the coordinate system of the case that the image plane along the line $z=1$ (the second image). We can have this coordinate system as a reference coordinate system. Then any point (x, z) in that plane would be mapped to $\mathbf{v} = \mathbf{x}/\mathbf{z}$.

If we observe that point (x, z) at the coordinate system of second image, it looks like the point is rotated around the y -axis –origin is the same- and the degree of the rotation is $\cos \theta = 1/\sqrt{2}$, $\sin \theta = 1/\sqrt{2}$, $\theta = \pi/4$. (Think about the rotation matrix you've learned from the class)

Therefore if we transform the (x, z) to the second image coordinate system, we will have $x' = (x-z) / \sqrt{2}$ and $z' = (x+z) / \sqrt{2}$. Then the projection of that point on $x + z = 1$ is $u = x' / z' * (1/\sqrt{2}) = (x-z) / (x+z) * (1/\sqrt{2})$.

$$\mathbf{v} = \mathbf{x} / \mathbf{z}, \mathbf{x} = \mathbf{z}\mathbf{v}$$

$$u = (x-z) / (x+z) * (1/\sqrt{2})$$

$$= (v-1) / (v+1) * (1/\sqrt{2})$$

a) when $v = 0$, the corresponding u is $(-1 / \sqrt{2})$

b) $(v-1) / (v+1) * (1/\sqrt{2})$

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