Errata/Typos for "Introduction to Modern Cryptography"

(Last updated December 30, 2011)

Note: negative line numbers correspond to counting from the bottom of the page.

- Page 10: The quote regarding Caesar's cipher in fact indicates that *decryption* involved rotating letters of the alphabet forward 3 positions, implying that *encryption* required rotation *backward* 3 positions.
- Page 13, Figure 1.2: The values for the average letter frequencies of 'x' and 'y' should be swapped.
- Page 16: There are typos in the displayed example of encryption using the key beads. Under the plaintext the letter it should read ead sbeads; the corresponding ciphertext should then be YII EGYUIK. Under the plaintext office the key should be eadsbe; the corresponding ciphertext should then be TGJBEJ.
- Page 16: In the example, the distance between the two appearances of `MJJ` is 30, which is 6 times the period length.
- Page 17, line 9: The displayed equation should read:

$$S_\tau \approx \sum_{i=0}^{25} \left(\frac{1}{26}\right)^2 \approx 0.038,$$

- Page 35, line -13: In the sentence beginning on this line, it is *not* the case that "every plaintext is equally likely to have been encrypted"; instead it is the case that, for every plaintext, the likelihood that it was encrypted is exactly the same as the a priori likelihood that it would be encrypted.
- Page 41, Exercise 2.4: Vigenére should be Vigenère (both times).
- Page 43, Exercise 2.13: The hint is misleading; ignore it.
- Page 49, last paragraph: We were a bit too pessimistic regarding available computing power. The paragraph, from the 3rd sentence on, should be changed to say:

> Computation on the order of 2^{60} is difficult for desktop computers, but within reach of powerful computers today. Indeed, running on a 1GHz computer (that executes 10^9 cycles per second), 2^{60} CPU cycles require $2^{60}/10^9$ seconds, or about 35 years. However, the fastest existing supercomputer at the time of this writing can execute roughly 4.78×10^{14} floating point operations per second, and 2^{60} such

operations would require only about 40 minutes on such a machine. Taking $t = 2^{80}$ is therefore a more prudent choice; even the supercomputer thus mentioned would require about 80 years to carry out this many operations.

- Page 52, Example 3.3: The calculation in the 3rd paragraph is incorrect. In fact, the adversary runs for the same amount of time as before (though the honest parties still run faster).
- Page 65, line -4: missing Pr.
- Page 66, line 12: missing Pr (twice).
- Page 71, line 18: The "=" in the displayed equation should be "$\geq$" instead.
- Page 74, line -13: $m \in \ell(n)$ should be $m \in \{0,1\}^{\ell(n)}$.
- Page 81: In Figure 3.3, synchronized mode should not use an IV.
- Page 113, line -15:

$$m_1 := F_k(c_1) \oplus IV' \quad \text{should be} \quad m_1 := F_k^{-1}(c_1) \oplus IV'.$$

- Page 132, line -5: Our discussion of small-space birthday attacks is incorrect: even when $x_i = x_{2i}$, it is not necessarily the case that x_{i-1} and $H(x_{2(i-1)})$ are a collision (they could be equal). A revised algorithm and analysis are posted on `http://www.cs.umd.edu/~jkatz/imc.html`
- Page 135, line -16: z_{B+1} should be $z'_{B'+1}$. Also, in the analysis of Case 1 every instance of $z_{B'}$ should instead be $z'_{B'}$.
- Page 140, line -13: "Theorem 4.18" should be "Theorem 4.16".
- Page 151, line -9: Π should be Π'.
- Page 156, Exercise 4.7: Add the additional requirement that all messages must have length that is an integer multiple of $n/2 - 1$.
- Page 157, line 7: Should read: "Then define $H^{s_1,s_2}(x) = H_1^{s_1}(x) \| H_2^{s_2}(x)$".
- Page 157, Exercise 4.15(c): This exercise should be omitted, since hash functions are required to be deterministic.
- Page 157, Exercise 4.15(e): Instructors, please be aware that the solution given in the *Solutions Manual* is incorrect.
- Page 158, Exercise 4.18: For this problem, assume that the underlying fixed-length MAC used in Construction 4.5 *does* have unique tags. (Note that Construction 4.5 does not have unique tags even if this is the case.)
- Page 213, first displayed equation: the second equal sign should instead be a greater-than-or-equal sign.
- Page 237, Exercise 6.3. The function f' in the hint is *length-regular* (i.e., has the property that $|f'(x)| = |f'(y)|$ for all $|x| = |y|$); it is not length-preserving.

- Page 239, Exercise 6.15: "$x \in \{0,1\}^{1 \leq n}$" should be "$x \in \{0,1\}^{\leq n} \setminus \{\varepsilon\}$". (The meaning is unchanged, however: we still mean that x is any non-empty string of length at most n.)
- Page 239, Exercise 6.20: Should read "Let G be a pseudorandom *generator*..."
- Page 294, Exercise 7.4(b): The question is significantly easier if use of the Chinese remainder theorem is allowed.
- Page 295, Exercise 7.14: Add the requirement that $d \in \{1, \ldots, \varphi(N)\}$.
- Page 302: Claim 8.2 only holds for F satisfying

  $$x = x' \bmod p \Rightarrow F(x) = F(x') \bmod p.$$

  The F used in practice, which are polynomials, satisfy this condition.
- Page 360, Algorithm 10.17, line 3: x_i should be x_r.
- Page 366, line 3: "Theorem 10.10" should be "Proposition 10.5".
- Page 380, line 16: $\mathcal{A}$ should be $\mathcal{A}'$.
- Page 381, Exercise 10.10: The Exercise should ask for a proof of Theorem 10.19 *for the case* $\ell = 1$. Also, in retrospect, this exercise is too difficult and should not be assigned.
- Page 382, Exercise 10.16(a): This should read "Argue that encryption can be performed in polynomial time, while ensuring that correctness holds with all but negligible probability."
- Page 416, line -3: $\mathsf{Dec}_{sk}(C_2)$ should be $\mathsf{Dec}_{sk}(c_2)$.
- Page 419, Exercise 11.9(a): The question should read "Show how the sender can generate a random element of $\mathcal{J}_N^{+1}$ in polynomial time, where it is allowed to fail with probability negligible in n."
- Page 420, Exercise 11.14(a): The range of the function should be $\mathcal{QR}_N \times \{-1,+1\} \times \{0,1\}$. Also, Exercise 11.14(b) is ambiguous as currently written, and should be skipped.
- Page 420, Exercise 11.15: "Lemma 11.27" should be "Proposition 11.27".
- Pages 430–431: Throughout the proof, $\overline{\mathsf{coll}}_{\mathcal{A},\Pi'}(n)$ should be replaced with $\overline{\mathsf{coll}}_{\mathcal{A}',\Pi'}(n)$.
- Page 442, line 13: π^* should be Π^*.
- Page 454, Exercise 12.4: While the problem can be solved as stated, it becomes significantly easier if we assume that $e = 3$ in parts (c) and (d).
- Page 470, line -13: "Theorem 10.10" should be "Proposition 10.5".
- Page 515, Exercise B.3: The hint should read:

  > Let y denote the answer. Use auxiliary variables x (initialized to a) and t (initialized to 1), and maintain the invariant $t \cdot x^b = y \bmod N$ while decrementing b. The algorithm terminates when $b = 0$ and t is equal to the answer.

The following errata were corrected in the second printing:

- Page 41: Remove the hint in Exercise 2.6.
- Page 42, line -15 (Exercise 2.10): Should read $\Pr[C = c \bigwedge C' = c'] > 0$. A similar typo occurs in Exercise 2.9.
- Page 50, line 10: $t = 80$ should be $t = 2^{80}$.
- Page 85, line -9: "Proposition 3.19" should be "Proposition 3.22".
- Page 101, line -20 (the last displayed equation on the page): Should be "$\leq$" instead of "$\geq$".
- Page 106: In Exercise 3.6, the condition on G should be that $|G(s)| > 2 \cdot |s|$.
- Page 108: In Exercise 3.20(b), line -8 on the page, the question should be referring to F (not F').
- Page 125: In Construction 4.9, Gen should choose $k \leftarrow \{0,1\}^n$.
- Page 153, lines 12–13: "flips the first two bits of c..." should be "flips the first two bits of the second block of c (recall that the first block of c is simply the initial counter value ctr)...".
- Page 154, line 21: $F_k(r||m)$ should be $F_k(m||r)$.
- Page 166, Figure 5.2: The arrow labelled "Loop for R rounds" should go to the top-most oval in the figure.
- Page 168, line 9: "S-boxed" should be "S-boxes".
- Page 176, line 4: "property 4" should be "property 3".
- Page 189: The displayed equation should read

$$DESX_{k_i,k,k_o}(x) = k_o \oplus DES_k(x \oplus k_i).$$

- Page 259: In Example 7.27, the reference to "Exercise 7.25" should instead be to "Example 7.25".
- Page 284, line 4: This should read:

$$f(1) = 0 \bmod 7, \text{ so we obtain the point } (1,0) \in E(\mathbb{Z}_7).$$

- Page 382, Exercise 10.14. The message m should have length *exactly* $\|N/2\|$.
- Page 383, Exercise 10.17(b). In applying El Gamal encryption here, the bit b is first encoded as the group element $m := g^b$ and then this group element is encrypted in the usual way.
- Page 414, line -3: The displayed equation should read

$$\hat{m} := (25620 - 1)/187 = 137.$$

- Page 488, Construction 13.12: On line -2, ak should be sk. On line -1, $\mathsf{Dec}(c_1)$ should be $\mathsf{Dec}_{sk}(c_1)$.
- Page 521: The authors of reference [62] are E.-J. Goh, S. Jarecki, J. Katz, and N. Wang.

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