

# CMSC 330

## Practice Problems 3

---

For this exercise, we'll call a backtracking recursive-descent parser a *backtracking* parser, and a non-backtracking recursive-descent parser a *predictive* parser.

---

1. Consider the grammar

$$S \rightarrow ABd \mid aBc$$

$$A \rightarrow \epsilon$$

$$B \rightarrow b \mid c$$

- Compute First sets for each production
  - Can the grammar be parsed by a predictive parser?
  - Implement a predictive parser for the grammar
  - Use your parser to parse the strings "bd" and "acc". Show the sequence of procedure calls in the parse, and what symbols remain to be parsed at each point.
- 

2. Consider the grammar

$$S \rightarrow AS \mid b$$

$$A \rightarrow SA \mid a$$

- Compute First sets for each production
  - Can the grammar be parsed by a predictive parser?
  - Can the grammar be parsed by a backtracking parser?
  - Is the grammar ambiguous? Prove your answer.
  - Are all ambiguous grammars non-parseable by predictive parsers?
  - Are all non-ambiguous grammars parseable by predictive parsers?
- 

3. Consider the grammar

$$S \rightarrow ( L ) \mid a$$

$$L \rightarrow L , S \mid S$$

- Compute First sets for each production
  - Can the grammar be parsed by a predictive parser?
  - Can the grammar be parsed by a backtracking parser?
  - Rewrite grammar using the rule for eliminating left recursion
  - Compute First sets for each production
  - Can the resulting grammar be parsed by a predictive parser?
  - Write a predictive parser for the grammar
  - Use your parser to parse the string "(a,a)". Show the sequence of calls in the parse, and what symbols remain to be parsed at each point.
- 

4. Consider the grammar

$$E \rightarrow E + T \mid T$$

$$T \rightarrow a \mid (E)$$

- Compute First sets for each production
- Is the grammar ambiguous?
- Can the grammar be parsed by a predictive parser?
- Can the grammar be parsed by a backtracking parser?
- Rewrite grammar using the rule for eliminating left recursion
- Compute First sets for each production
- Can the resulting grammar be parsed by a predictive parser?
- Write a predictive parser for the grammar
- Use your parser to parse the string "a + a + a".

---

5. Consider the grammar

$$E \rightarrow T + E \mid T$$

$$T \rightarrow a \mid (E)$$

- (a) Can the grammar be parsed by a predictive parser?
  - (b) Would the grammar accept the same language as the grammar in the previous problem?
  - (c) What is the difference between this grammar and the previous grammar rewritten to eliminate left recursion?
- 

6. Rewrite the following grammars so they can be parsed by a predictive parser by eliminating left recursion and applying left factoring where necessary.

(a)  $S \rightarrow S + a \mid b$

(b)  $S \rightarrow S + a \mid S + b \mid c$

(c)  $S \rightarrow S + a \mid S + b \mid \epsilon$

(d)  $S \rightarrow a b c \mid a c$

(e)  $S \rightarrow a b c \mid a b b$

(f)  $S \rightarrow a b c \mid a b$

(g)  $S \rightarrow a a \mid a b \mid a c$

(h)  $S \rightarrow a a \mid a b \mid a$

(i)  $S \rightarrow a a \mid a b \mid \epsilon$

(j)  $S \rightarrow a S c \mid a S b \mid b$

(k)  $S \rightarrow a S c \mid a S b \mid a$

(l)  $S \rightarrow a S c \mid a S \mid a$