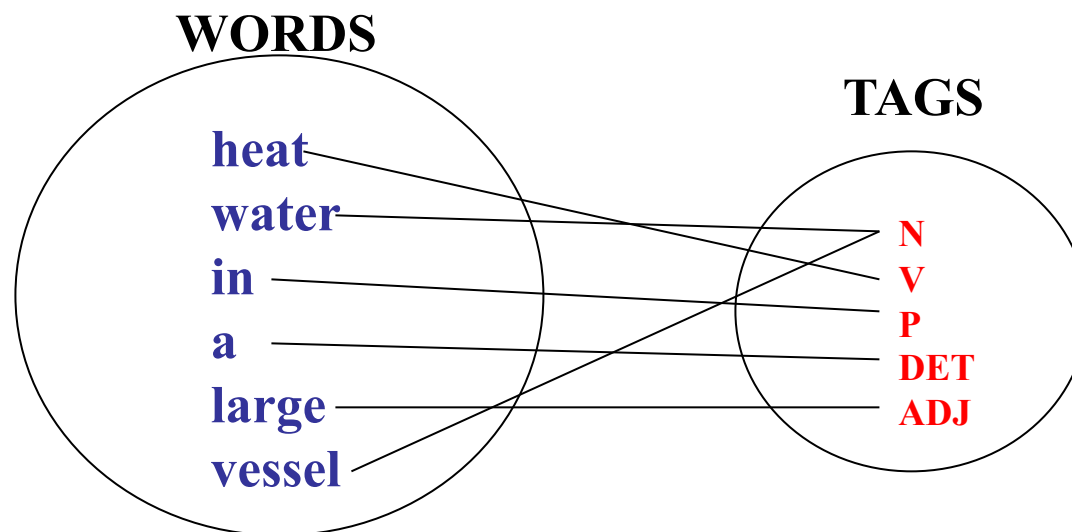


Part-of-Speech Tagging

- The process of assigning a part-of-speech to each word in a sentence



Example

<u>Word</u>	<u>Tag</u>
heat	verb (noun)
water	noun (verb)
in	prep (noun, adv)
a	det (noun)
large	adj (noun)
vessel	noun

What is POS tagging good for?

- Useful in
 - Information Retrieval
 - Text to Speech: *object*(N) vs. *object*(V);
discount(N) vs. *discount*(V)
 - Word Sense Disambiguation
- Useful as a preprocessing step of parsing
 - Unique tag to each word reduces the number of parses

Choosing a tagset

- Need to choose a standard set of tags to do POS tagging
 - One tag for each part of speech
- Could pick very coarse tagset
 - N, V, Adj, Adv, Prep.
- More commonly used set is finer-grained
 - E.g., the *UPenn TreeBank II* tagset has 36 word tags
 - PRP, PRP\$, VBG, VBD, JJR, JJS ...
 - (also has tags for phrases)
- Even more finely-grained tagsets exist

Why is POS tagging hard?

- Ambiguity
 - “**Plants**/N need light and water.”
 - “Each one **plant**/V one.”
 - “Flies like a flower”
 - *Flies*: noun or verb?
 - *like*: preposition, adverb, conjunction, noun, or verb?
 - *a*: article, noun, or preposition?
 - *flower*: noun or verb?

Methods for POS tagging

- Rule-Based POS tagging
 - e.g., ENGTWOL [Voutilainen, 1995]
 - large collection (> 1000) of constraints on what sequences of tags are allowable
- Transformation-based tagging
 - e.g., Brill's tagger [Brill, 1995]
 - sorry, I don't know anything about this
- Stochastic (Probabilistic) tagging
 - e.g., TNT [Brants, 2000]
 - I'll discuss this in a bit more detail

Stochastic Tagging

- Based on probability of certain tag occurring, given various possibilities
 - Necessitates a *training corpus*
 - A collection of sentences that have already been tagged
 - Several such corpora exist
 - One of the best known is the Brown University Standard Corpus of Present-Day American English (or just the **Brown Corpus**)
 - about 1,000,000 words from a wide variety of sources
 - POS tags assigned to each

Approach 1

- Assign each word its most likely POS tag
 - If w has tags t_1, \dots, t_k , then can use
$$P(t_i | w) = c(w, t_i) / (c(w, t_1) + \dots + c(w, t_k)),$$
 where
 - $c(w, t_i)$ = number of times w/t_i appears in the corpus
 - Success: 91% for English

- Example

heat :: noun/89, verb/5

Approach 2

- Given: sequence of words W

$$W = w_1, w_2, \dots, w_n \text{ (a sentence)}$$

– e.g., $W = \text{heat water in a large vessel}$

- Assign sequence of tags T :

$$T = t_1, t_2, \dots, t_n$$

- Find T that maximizes $P(T | W)$

Practical Statistical Tagger

- By Bayes' Rule,

$$P(T | W) = P(W|T) P(T) / P(W) = \alpha P(W|T) P(T)$$

- So find T that maximizes $P(W | T) P(T)$

- Chain rule:

$$P(T) = P(t_1) P(t_2 | t_1) P(t_3 | t_1, t_2) P(t_3 | t_1, t_2, t_3) \dots P(t_n | t_1, t_2, \dots, t_{n-1})$$

- As an approximation, use

$$P(T) \approx P(t_1) P(t_2 | t_1) P(t_3 | t_2) \dots P(t_n | t_{n-1})$$

- Assume each word is dependent only on its own POS tag: given its POS tag, it is conditionally independent of the other words around it. Then

$$P(W|T) = P(w_1 | t_1) P(w_2 | t_2) \dots P(w_n | t_n)$$

- So

$$P(T) P(W|T) \approx P(t_1) P(t_2|t_1) \dots P(t_n|t_{n-1}) P(w_1|t_1) P(w_2|t_2) \dots P(w_n|t_n)$$

Getting the Conditional Probabilities

- Want to compute
 - $P(T) P(W|T) \approx P(t_1) P(t_2|t_1) \dots P(t_n|t_{n-1}) P(w_1|t_1) P(w_2|t_2) \dots P(w_n|t_n)$
- Let
 - $c(t_i)$ = frequency of t_i in the corpus
 - $c(w_i, t_i)$ = frequency of w_i/t_i in the corpus
 - $c(t_{i-1}, t_i)$ = frequency of $t_{i-1} t_i$ in the corpus
- Then we can use
 - $P(t_i|t_{i-1}) = c(t_{i-1}, t_i)/c(t_{i-1})$,
 - $P(w_i|t_i) = c(w_i, t_i)/c(t_i)$

Example

- Secretariat/NNP is/VBZ expected/VBN **to/TO race/VB** tomorrow/NN
 - to/TO race/???
- People/NNS continue/VBP to/TO inquire/VB the/DT reason/NN for/IN **the/DT race/NN** for/IN outer/JJ space/NN
 - the/DT race/???
- For each word w_i , $t_i = \operatorname{argmax}_t P(t|t_{i-1})P(w_i|t)$
 - $\max(P(\text{VB}|\text{TO}) P(\text{race}|\text{VB}),$
 $P(\text{NN}|\text{TO}) P(\text{race}|\text{NN}))$
- From the Brown corpus
 - $P(\text{NN}|\text{TO}) = .021$ $P(\text{race}|\text{NN}) = .00041$
 - $P(\text{VB}|\text{TO}) = .34$ $P(\text{race}|\text{VB}) = .00003$
- So
 - $P(\text{NN}|\text{TO}) P(\text{race}|\text{NN}) = .021 \times .00041 = .000007$
 - $P(\text{VB}|\text{TO}) P(\text{race}|\text{VB}) = .34 \times .00003 = .00001$

UPenn TreeBank II word tags

- CC - Coordinating conjunction
- CD - Cardinal number
- **DT** - Determiner
- EX - Existential there
- FW - Foreign word
- **IN** - Preposition or subordinating conjunction
- **JJ** - Adjective
- JJR - Adjective, comparative
- JJS - Adjective, superlative
- LS - List item marker
- MD - Modal
- **NN** - Noun, singular or mass
- NNS - Noun, plural
- **NNP** - Proper noun, singular
- NNPS - Proper noun, plural
- PDT - Predeterminer
- POS - Possessive ending
- PRP - Personal pronoun
- PRP\$ - Possessive pronoun
- RB - Adverb
- RBR - Adverb, comparative
- RBS - Adverb, superlative
- RP - Particle
- SYM - Symbol
- **TO** - to
- UH - Interjection
- VB - Verb, base form
- VBD - Verb, past tense
- VBG - Verb, gerund or present participle
- **VBN** - Verb, past participle
- VBP - Verb, non-3rd person singular present
- **VBZ** - Verb, 3rd person singular present
- WDT - Wh-determiner
- WP - Wh-pronoun
- WP\$ - Possessive wh-pronoun
- WRB - Wh-adverb