

### CMSC427 Midterm practice questions

1. Give code plus the OpenGL vertex calls needed to draw the following parametric curve, given the appropriate variables  $t$  and  $R$ .  $P(t) = (t \cos 2\pi t, \sin 2\pi t, 2t)$

2. Compute the Frenet frame for the parametric curve  $p(t) = \langle t^3, t, \sin t \rangle$   
Don't normalize for this exercise.

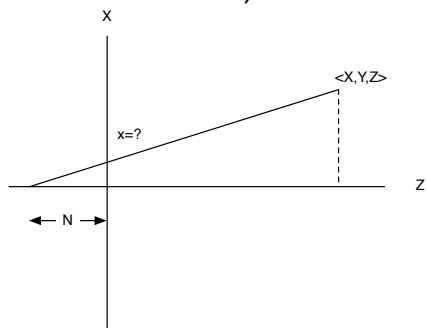
3. Which of the following pairs of transformations do *not* commute?

A. Non-uniform scale and rotation in 2 or 3D.

B. Two rotations around the origin in 2D.

C. Two general rotations in 3D.

4. From this diagram set up the perspective equation for  $x$ . Here  $N$  is the offset of the eye point back from the origin – useful if you'd like to take the eye point to negative infinity to see what happens. The image plane is the  $X$  axis. Give the similar triangle equation, the perspective solution for little  $x$ , and the resulting matrix. (This is similar to previous homework).



5. Given the input data below, compute the camera coordinate system  $x_c$ ,  $y_c$  and  $z_c$ , and the camera matrix.

eye = (1,0,0)      lookAt = (0,0,0)      up = < 0, 1, 0 >

6. If there is no rotation in the position of the camera, how does the camera matrix relate to the input values of `at`, `lookAt` and `up`?

7. What is the difference between facet and true normals, and why we assign normals to each vertex rather than each face?

8. Given the following 2D curve in the x-y plane, give the parametric surface of revolution around the y-axis.

$$P(u) = \langle \sin 2\pi u \quad u^2 + 1 \quad 0 \rangle$$

9. *Shading models.* What is the effect of increasing  $f$  in the shading equation (the exponent for the specular component)?

10. Given the following data:

$p1 = (1,0,0)$

$p4 = (2,0,2)$

$la = 100$

$\rho_a = 0.2$

$p2 = (0,0,1)$

$eye = (2,2,0)$

$ld = 80$

$\rho_d = 0.5$

$p3 = (0,1,0)$

$f = 2$

$ls = 40$

$\rho_s = 0.5$

Compute the geometric elements  $(s,m,r,v)$  for vertex  $p1$ .

Compute the ambient, diffuse and specular components

Compute the final value of  $I$ .