## Name:

# Midterm 1 

CMSC 430
Introduction to Compilers Fall 2014

October 13, 2014

## Instructions

This exam contains 9 pages, including this one. Make sure you have all the pages. Write your name on the top of this page before starting the exam.

Write your answers on the exam sheets. If you finish at least 15 minutes early, bring your exam to the front when you are finished; otherwise, wait until the end of the exam to turn it in. Please be as quiet as possible.

If you have a question, raise your hand. If you feel an exam question assumes something that is not written, write it down on your exam sheet. Barring some unforeseen error on the exam, however, you shouldn't need to do this at all, so be careful when making assumptions.

| Question | Score | Max |
| ---: | :--- | :--- |
| 1 |  | 25 |
| 2 |  | 40 |
| 3 |  | 35 |
| Total |  | 100 |

Question 1. Short Answer (25 points).
a. (5 points) Briefly explain the difference between an interpreter and a compiler.
b. (5 points) In operational semantics, what does it mean for a term to be in normal form? Explain in at most 1-2 sentences.
c. (5 points) In at most a few sentences, explain how an LALR(1) parser DFA is derived from an LR(1) parser DFA. What is the advantage of an LALR(1) parser compared to an LR(1) parser?
d. (5 points) Why do compilers sometimes need to introduce temporary variables when translating to an intermediate representation?
e. (5 points) Consider the type of lambda calculus terms from project 1 and one of the associated functions you wrote:

```
type expr \(=\)
    | Var of string
    | Lam of string * expr
    | App of expr \(*\) expr
val subst : string \(\rightarrow\) expr \(\rightarrow\) expr \(\rightarrow\) expr
```

Also consider the big-step, call-by-value operational semantics for lambda calculus:

$$
\begin{array}{ll}
v & ::=\lambda x . e \\
e & ::=x|v| e e \\
\frac{(\lambda x . e) \rightarrow(\lambda x . e)}{} \quad \frac{e_{1} \rightarrow \lambda x . e \quad e_{2} \rightarrow v \quad e[x \mapsto v] \rightarrow v^{\prime}}{} e_{1} e_{2} \rightarrow v^{\prime}
\end{array}
$$

Write a function big_step : expr $\rightarrow$ expr that implements the big-step semantics above. You may assume subst is correctly implemented as specified in the project:

[^0]
## Question 2. Parsing (40 points).

a. (10 points) Below is a .output file from ocamlyacc. Fill in the table at the bottom of the page so it shows the sequence of steps taken by the parser described by this output. Note that the parse starts in state 1 , and that the parse ends upon reduction r1. We've put the \$end terminal on the end of the input for you. You may not use all rows, and you can add extra rows to the table below if you need.

b. (20 points) Draw the LR(1) parsing DFA for the following grammar:

$$
\begin{aligned}
& S \rightarrow a B d \\
& B \rightarrow b B \\
& B \rightarrow \varepsilon \\
& B \rightarrow c
\end{aligned}
$$

c. (10 points) Consider the following LR(1) parsing DFA:


Fill in the action/goto table below so it matches the above DFA. One of the states has a conflict. What is the state, and what is the conflict?

|  | action |  |  | goto |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| state | a | b | \$ | A | B | S |
| 0 |  |  |  |  |  |  |
| 1 |  |  |  |  |  |  |
| 2 |  |  |  |  |  |  |
| 3 |  |  |  |  |  |  |
| 4 |  |  |  |  |  |  |
| 5 |  |  |  |  |  |  |
| 6 |  |  |  |  |  |  |

Describe the conflict in the parsing DFA:

Question 3. Operational semantics (35 points). Consider lambda calculus extended with integers and updatable references. (Here $\ell$ ("location") is a pointer, and a store $S$ maps locations to values.)

$$
\begin{aligned}
& v::=n|\lambda x . e| \ell \\
& e \quad::=v|x| e e \mid \text { ref } e|!e| e_{1}:=e_{2} \\
& S::=\emptyset \mid S[\ell \mapsto v]
\end{aligned}
$$

Here is most of an operational semantics for this language:

$$
\begin{aligned}
& \frac{\text { BETA }}{\left\langle S,\left(\lambda x . e_{1}\right) v_{2}\right\rangle \rightarrow\left\langle S, e_{1}\left[x \mapsto v_{2}\right]\right\rangle} \\
& \text { AppL } \\
& \frac{\left\langle S, e_{1}\right\rangle \rightarrow\left\langle S^{\prime}, e_{1}^{\prime}\right\rangle}{\left\langle S, e_{1} e_{2}\right\rangle \rightarrow\left\langle S^{\prime}, e_{1}^{\prime} e_{2}\right\rangle} \\
& \text { AppR } \\
& \begin{array}{l}
\begin{array}{l}
\begin{array}{l}
\text { Ref } \\
\ell \notin \operatorname{dom}(S)
\end{array} \quad S^{\prime}=S[\ell \mapsto v]
\end{array}\langle S, \text { ref } v\rangle \rightarrow\left\langle S^{\prime}, \ell\right\rangle
\end{array} \frac{\begin{array}{l}
\text { RefIn } \\
\langle S, e\rangle \rightarrow\left\langle S^{\prime}, e^{\prime}\right\rangle
\end{array}}{\langle S, \text { ref } e\rangle \rightarrow\left\langle S^{\prime}, \text { ref } e^{\prime}\right\rangle}
\end{aligned}
$$

$$
\begin{array}{lll}
\begin{array}{l}
\text { ASSIGN } \\
S^{\prime}=S[\ell \mapsto v] \\
\langle S, \ell:=v\rangle \rightarrow\left\langle S^{\prime}, v\right\rangle
\end{array} & \begin{array}{c}
\text { ASSIGNL } \\
\left\langle S, e_{1}:=v\right\rangle \rightarrow\left\langle e_{1}\right\rangle \rightarrow\left\langle S^{\prime}, e_{1}^{\prime}\right\rangle
\end{array} & \begin{array}{c}
\text { ASSIGNR } \\
\left\langle S, e_{2}\right\rangle \rightarrow\left\langle S^{\prime}, e_{2}^{\prime}\right\rangle
\end{array} \\
\left.\hline S, e_{1}:=e_{2}\right\rangle \rightarrow\left\langle S^{\prime}, e_{1}:=e_{2}^{\prime}\right\rangle
\end{array}
$$

a. (5 points) In this semantics, is the left-hand side of an assignment evaluated first; is the right-hand side evaluated first; or is the choice non-deterministic? Explain your answer briefly.
b. (10 points) Let $\emptyset$ be the empty store. Show a derivation that in this operational semantics, the reduction at the bottom holds. (You can draw your derivation up, above the reduction.)

$$
\langle\emptyset,((\lambda x . x)(\operatorname{ref} 42))(\lambda z . z)\rangle \quad \rightarrow \quad\langle[\ell \mapsto 42],((\lambda x . x) \ell)(\lambda z . z)\rangle
$$

c. (10 points) Evaluate the following configuration until no more reductions are possible. For this part, just show the reduction steps and not the derivations of the steps. Use $\ell_{1}, \ell_{2}, \ell_{3}$, etc if you need more locations. (Note this example will use a pointer to a pointer, which is allowed.)

$$
\langle\emptyset,((\lambda x \cdot x)(\operatorname{ref} 42)):=((\lambda y \cdot \lambda z \cdot y)(\operatorname{ref} 43) 44)\rangle \quad \rightarrow
$$

d. (10 points) Write the missing operational semantics rule(s) for dereference (written !e).


[^0]:    (* subst $x$ e1 e2 returns a copy of e2 in which free occurrences of $x$ have been replaced by e1. Be sure to implement capture-avoiding substitution, i.e., bound variables should be renamed as needed to avoid capture free variables under a lambda. For example, subst " $x$ " (Var " $y$ ") (Lam(" $y$ ", Var " $x$ ")) should return something equivalent to $\operatorname{Lam}(" z$ ", Var " $y$ ") and not Lam("y", Var " $y$ "). *)

