

CMSC 430

Introduction to Compilers

Fall 2016

Optimization

Introduction

- An *optimization* is a transformation “expected” to
 - Improve running time
 - Reduce memory requirements
 - Decrease code size
- No guarantees with optimizers
 - Produces “improved,” not “optimal” code
 - Can sometimes produce worse code

Why are optimizers needed?

- Reduce programmer effort
 - Don't make programmers waste time doing simple opts
- Allow programmer to use high-level abstractions without penalty
 - E.g., convert dynamic dispatch to direct calls
- Maintain performance portability
 - Allow programmer to write code that runs efficiently everywhere
 - Particularly a challenge with GPU code

Two laws and a measurement

- Moore's law
 - Chip density doubles every 18 months
 - Until now, has meant CPU speed doubled every 18 months
 - These days, moving to multicore instead
- Proebsting's Law
 - Compiler technology doubles CPU power every 18 years
 - Difference between optimizing and non-optimizing compiler about 4x
 - Assume compiler technology represents 36 years of progress
- Worse: runtime performance swings of up to 10% can be expected with no changes to executable
 - <http://dl.acm.org/citation.cfm?id=1508275>

Dimensions of optimization

- Representation to be optimized
 - Source code/AST
 - IR/bytocode
 - Machine code
- Types of optimization
 - Peephole — across a few instructions (often, machine code)
 - Local — within basic block
 - Global — across basic blocks
 - Interprocedural — across functions

Dimensions of optimization (cont'd)

- Machine-independent
 - Remove extra computations
 - Simplify control structures
 - Move code to less frequently executed place
 - Specialize general purpose code
 - Remove dead/useless code
 - Enable other optimizations
- Machine-dependent
 - Replace complex operations with simpler/faster ones
 - Exploit special instructions (MMX)
 - Exploit memory hierarchy (registers, cache, etc)
 - Exploit parallelism (ILP, VLIW, etc)

Selecting optimizations

- Three main considerations
 - Safety — will optimizer maintain semantics?
 - Tricky for languages with partially undefined semantics!
 - Profitability — will optimization improve code?
 - Opportunity — could the optimization be used often enough to make it worth implementing?
- Optimizations interact!
 - Some optimizations enable other optimizations
 - E.g., constant folding enables copy propagation
 - Some optimizations block other optimizations

Some classical optimizations

- Dead code elimination

```
jmp L  
/* unreachable */  
L: ...
```

```
if true then  
    ...  
else  
    /* unreachable */
```

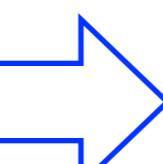
```
a = 5 /* dead */  
a = 6
```

- Also, unreachable functions or methods

- Control-flow simplification

- Remove jumps to jumps

```
jmp L  
/* unreachable */  
L: goto M  
M: ...
```



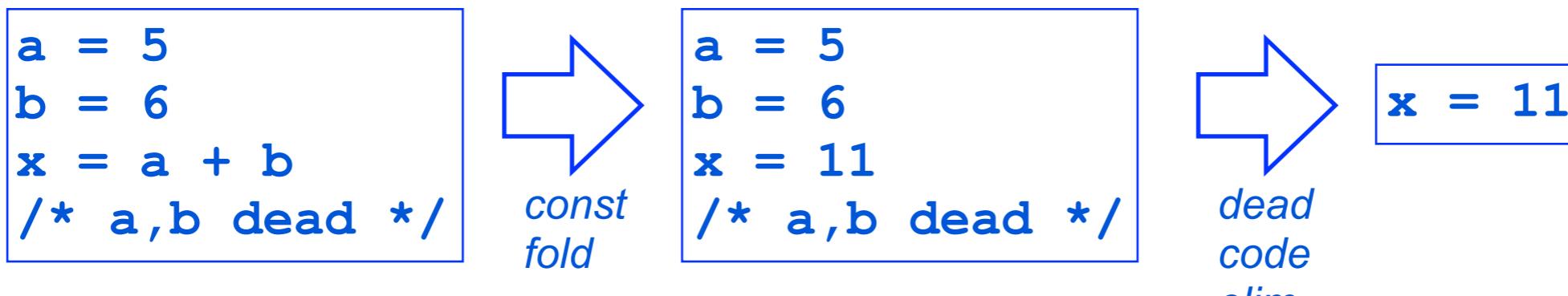
```
jmp M  
/* unreachable */  
M: ...
```

More classical optimizations

- Algebraic simplification



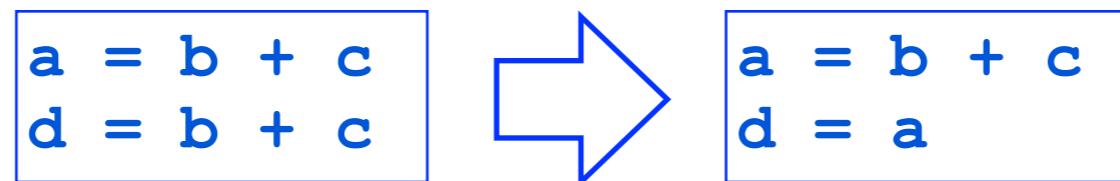
- Be sure simplifications apply to modular arithmetic
- Constant folding
 - Pre-compute expressions involving only constants



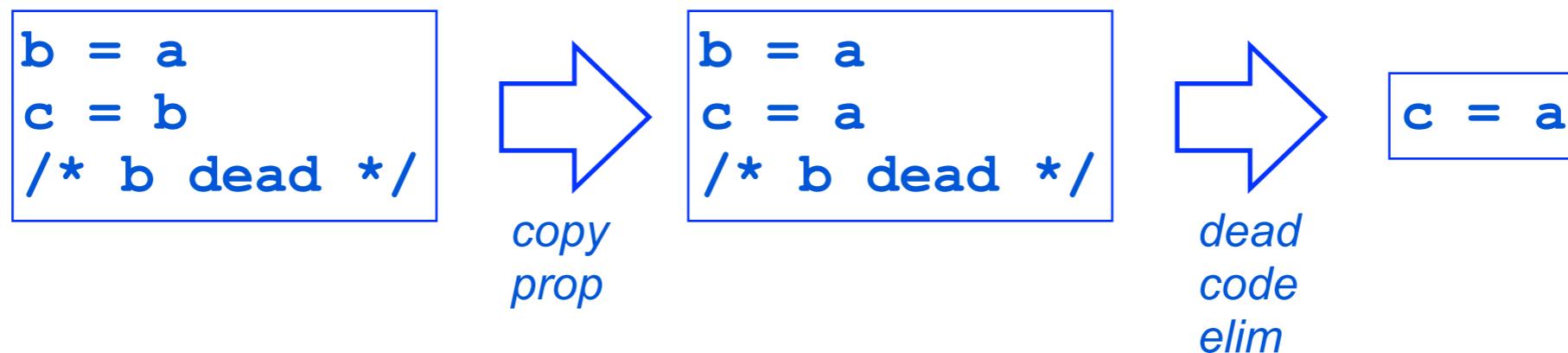
- Special handling for idioms
 - Replace multiplication by shifting
 - May need constant folding to enable sometimes

More classical optimizations

- Common subexpression elimination



- Copy propagation



Example

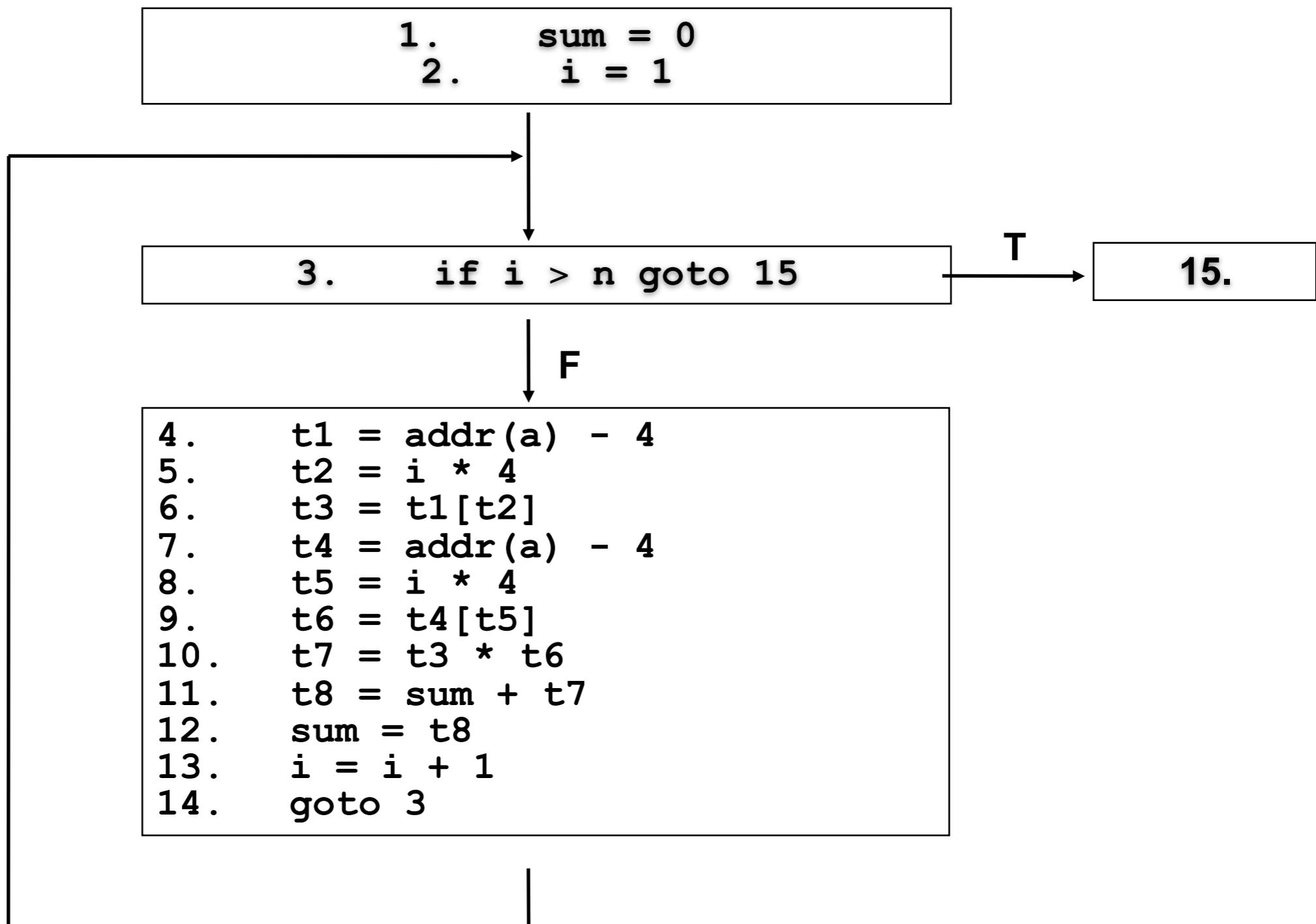
Fortran (!) source code:

```
.  
. .  
. .  
.  
sum = 0  
do 10 i = 1, n  
10      sum = sum + a(i) * a(i)  
. .  
. .  
. .
```

Three-address code

1.	sum = 0	
2.	i = 1	
3.	if i > n goto 15	init for loop and check limit
4.	t1 = addr(a) - 4	
5.	t2 = i * 4	a[i]
6.	t3 = t1[t2]	
7.	t4 = addr(a) - 4	
8.	t5 = i * 4	a[i]
9.	t6 = t4[t5]	
10.	t7 = t3 * t6	a[i] * a[i]
11.	t8 = sum + t7	increment sum
12.	sum = t8	
13.	i = i + 1	Incr. loop counter
14.	goto 3	back to loop check
15.		

Control-flow graph



Common subexpression elimination

```
1.      sum = 0
2.      i = 1
3.      if i > n goto 15
4.      t1 = addr(a) - 4
5.      t2 = i * 4
6.      t3 = t1[t2]
7.      t4 = addr(a) - 4
8.      t5 = i * 4
9.      t6 = t4[t5]
10.     t7 = t3 * t6
10a.    t7 = t3 * t3
11.     t8 = sum + t7
12.     sum = t8
13.     i = i + 1
14.     goto 3
15.
```

Copy propagation

```
1.      sum = 0
2.      i = 1
3.      if i > n goto 15
4.      t1 = addr(a) - 4
5.      t2 = i * 4
6.      t3 = t1[t2]
10a.    t7 = t3 * t3
11.    t8 = sum + t7
12.    sum = t8
12a.   sum = sum + t7
13.    i = i + 1
14.    goto 3
15.
```

Invariant code motion

```
1.      sum = 0
2.      i = 1
2a.     t1 = addr(a) - 4
3.      if i > n goto 15
4.      t1 = addr(a) - 4
5.      t2 = i * 4
6.      t3 = t1[t2]
10a.    t7 = t3 * t3
12a.    sum = sum + t7
13.    i = i + 1
14.    goto 3
15.
```

Strength reduction

```
1.      sum = 0
2.      i = 1
2a.     t1 = addr(a) - 4
2b.     t2 = i * 4
3.      if i > n goto 15
5.      t2 = i * 4
6.      t3 = t1[t2]
10a.    t7 = t3 * t3
12a.    sum = sum + t7
12b.    t2 = t2 + 4
13.    i = i + 1
14.    goto 3
15.
```

Loop test adjustment

```
1.      sum = 0
2.      i = 1
2a.     t1 = addr(a) - 4
2b.     t2 = i * 4
2c.     t9 = n * 4
3.     if i > n goto 15
3a.    if t2 > t9 goto 15
6.      t3 = t1[t2]
10a.    t7 = t3 * t3
12a.    sum = sum + t7
12b.    t2 = t2 + 4
13.    i = i + 1
14.    goto 3a
15.
```

Induction variable elimination

```
1.      sum = 0
2.      i = 1
2a.     t1 = addr(a) - 4
2b.     t2 = i * 4
2c.     t9 = n * 4
3a.     if t2 > t9 goto 15
6.      t3 = t1[t2]
10a.    t7 = t3 * t3
12a.    sum = sum + t7
12b.    t2 = t2 + 4
13.    i = i + 1
14.    goto 3a
15.
```

Constant propagation

```
1.      sum = 0
2.      i = 1
2a.     t1 = addr(a) - 4
2b.     t2 = i * 4
2d.     t2 = 4
2c.     t9 = n * 4
3a.     if t2 > t9 goto 15
6.      t3 = t1[t2]
10a.    t7 = t3 * t3
12a.    sum = sum + t7
12b.    t2 = t2 + 4
14.    goto 3a
15.
```

Dead code elimination

```
1.      sum = 0
2.      i = 1
2a.     t1 = addr(a) - 4
2d.     t2 = 4
2c.     t9 = n * 4
3a.     if t2 > t9 goto 15
6.      t3 = t1[t2]
10a.    t7 = t3 * t3
12a.    sum = sum + t7
12b.    t2 = t2 + 4
14.    goto 3a
15.
```

Final optimized code

```
1.      sum = 0
2.      t1 = addr(a) - 4
3.      t2 = 4
4.      t4 = n * 4
5.      if t2 > t4 goto 11
6.      t3 = t1[t2]
7.      t5 = t3 * t3
8.      sum = sum + t5
9.      t2 = t2 + 4
10.     goto 5
11.
```

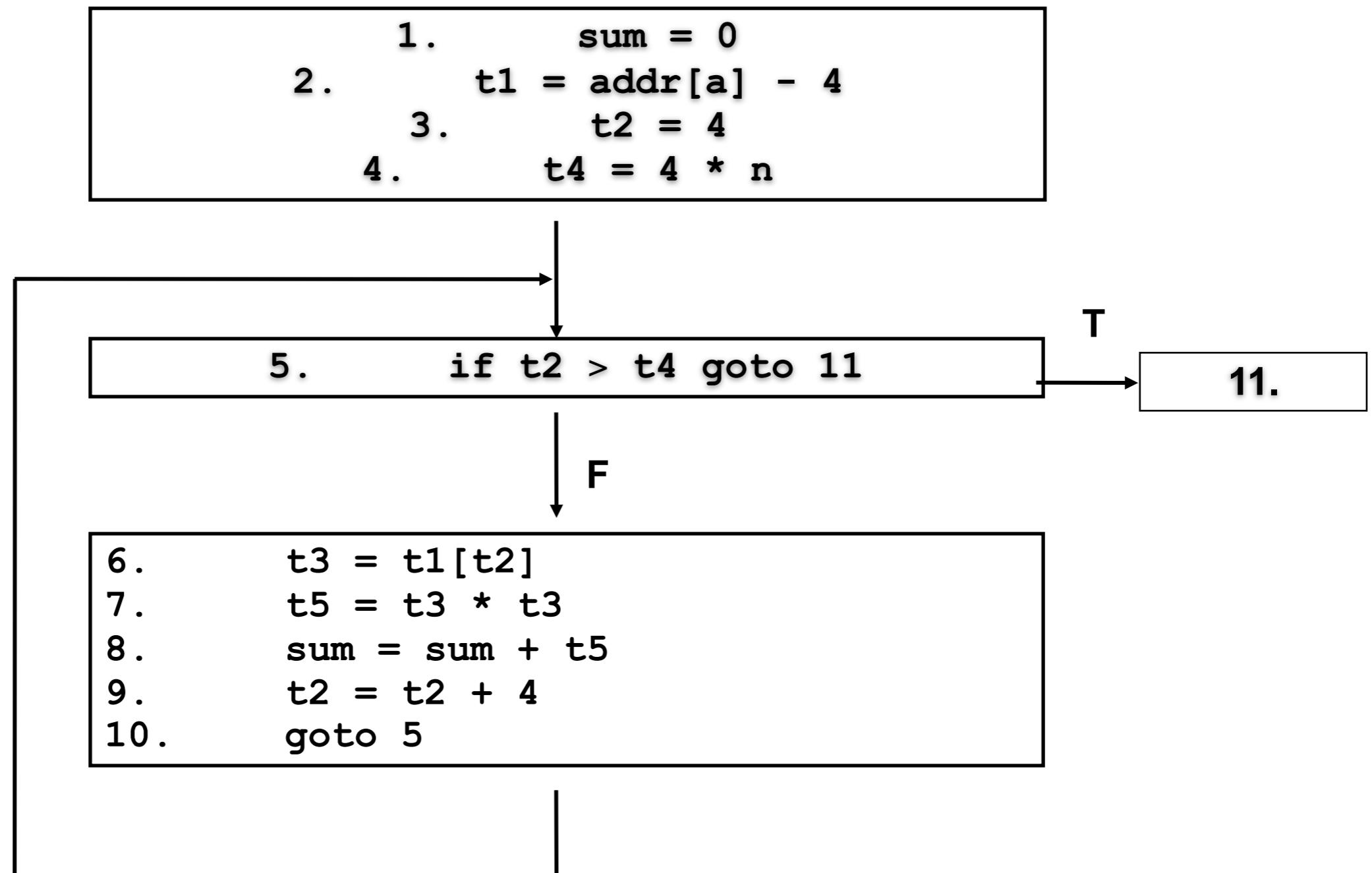
unoptimized: 8 temps, 11 stmts in innermost loop

optimized: 5 temps, 5 stmts in innermost loop

1 index addressing
1 multiplication
2 additions
1 jump
1 test

2 index addressing
3 multiplications
2 additions & 2 subtractions
1 jump
1 test
1 copy

CFG of final optimized code



General code motion

```
n = 1; k = 0; m = 3;  
  
read x;  
  
while (n < 10) {  
  
    if (2 + x ≥ 5) k = 5;  
  
    if (3 + k == 3) m = m + 2;  
  
    n = n + k + m;  
  
}
```

General code motion (cont'd)

1. `n = 1;` 2. `k = 0;` 3. `m = 3;`

4. `read x;`

5. `while (n < 10) {`

6. `if (2 * x ≥ 5)` 7. `k := 5;`

8. `if (3 + k == 3)` 9. `m := m + 2;`

10. `n = n + k + m;`

11. }



Invariant within loop and therefore moveable



Unaffected by definitions in loop and guarded by invariant condition



Moveable after we move statements 6 and 7



Not moveable because may use def of m from statement 9 on previous iteration

General code motion, result

```
n = 1; k = 0; m = 3;  
read x;  
while (n < 10) {  
    if (2 * x ≥ 5) k = 5;  
    if (3 + k == 3) m = m + 2;  
    n = n + k + m;  
}
```



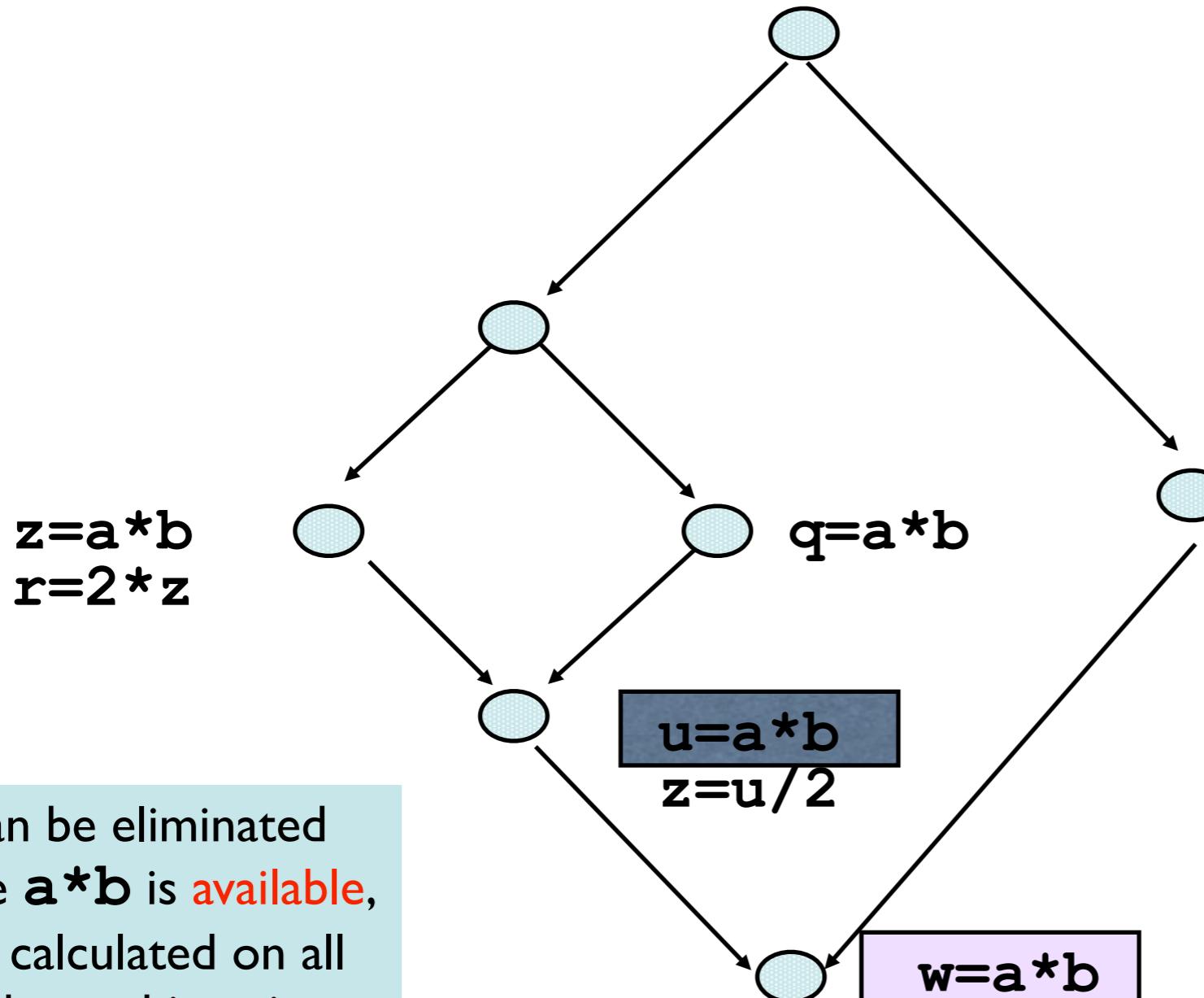
```
n = 1; k = 0; m = 3;  
read x;  
if (2 * x ≥ 5) k = 5;  
t1 = (3 + k == 3);  
while (n < 10) {  
    if (t1) m = m + 2;  
    n = n + k + m;  
}
```

Code specialization

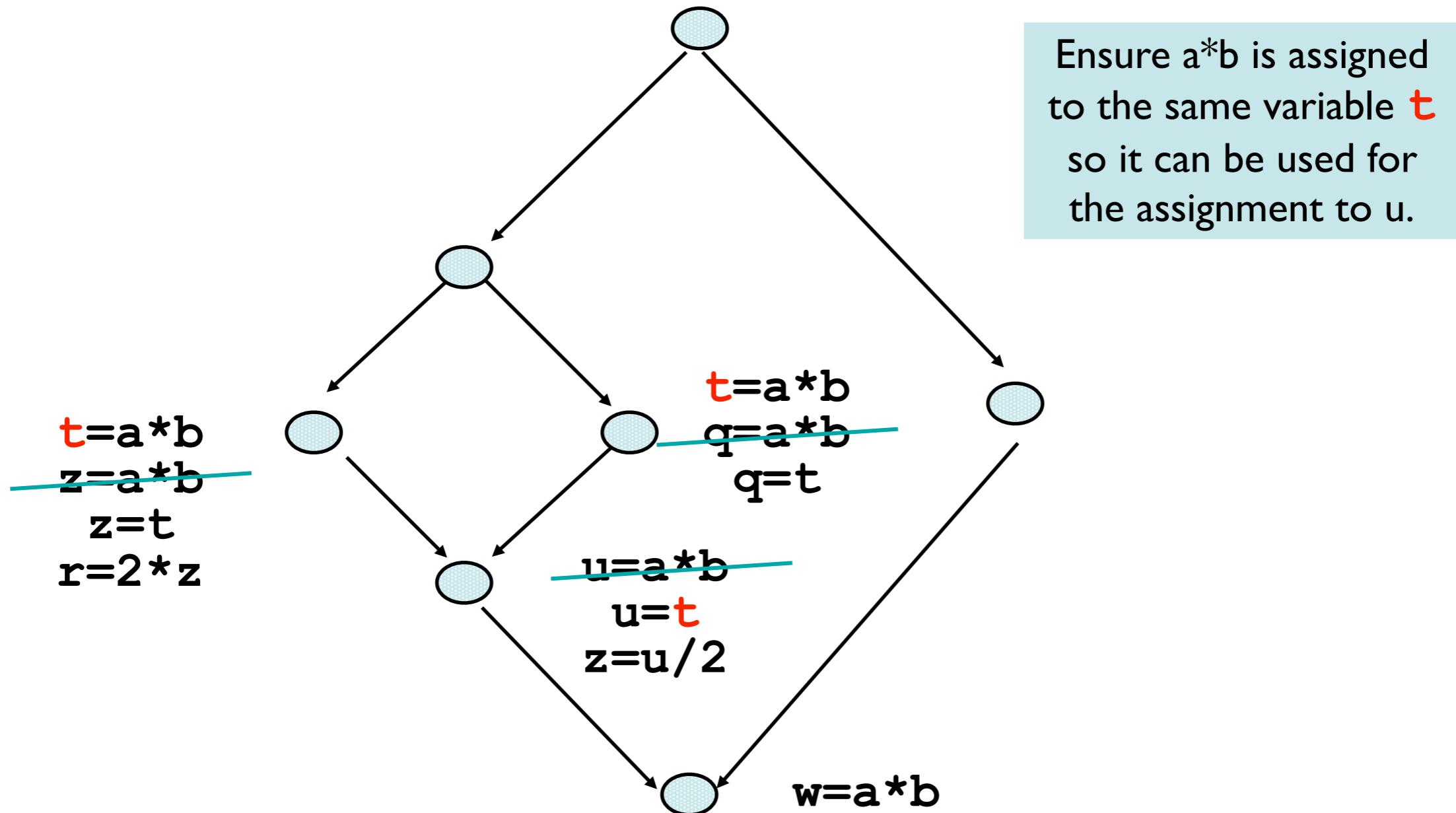
```
n = 1; k = 0; m = 3;  
read x;  
if (2 * x ≥ 5) k := 5;  
t1 = (3 + k == 3);  
if (t1)  
    while (n < 10) {  
        m = m + 2;  
        n = n + k + m;  
    }  
else  
    while (n < 10)  
        n = n + k + m;
```

Specialization of while loop
depending on value of t1

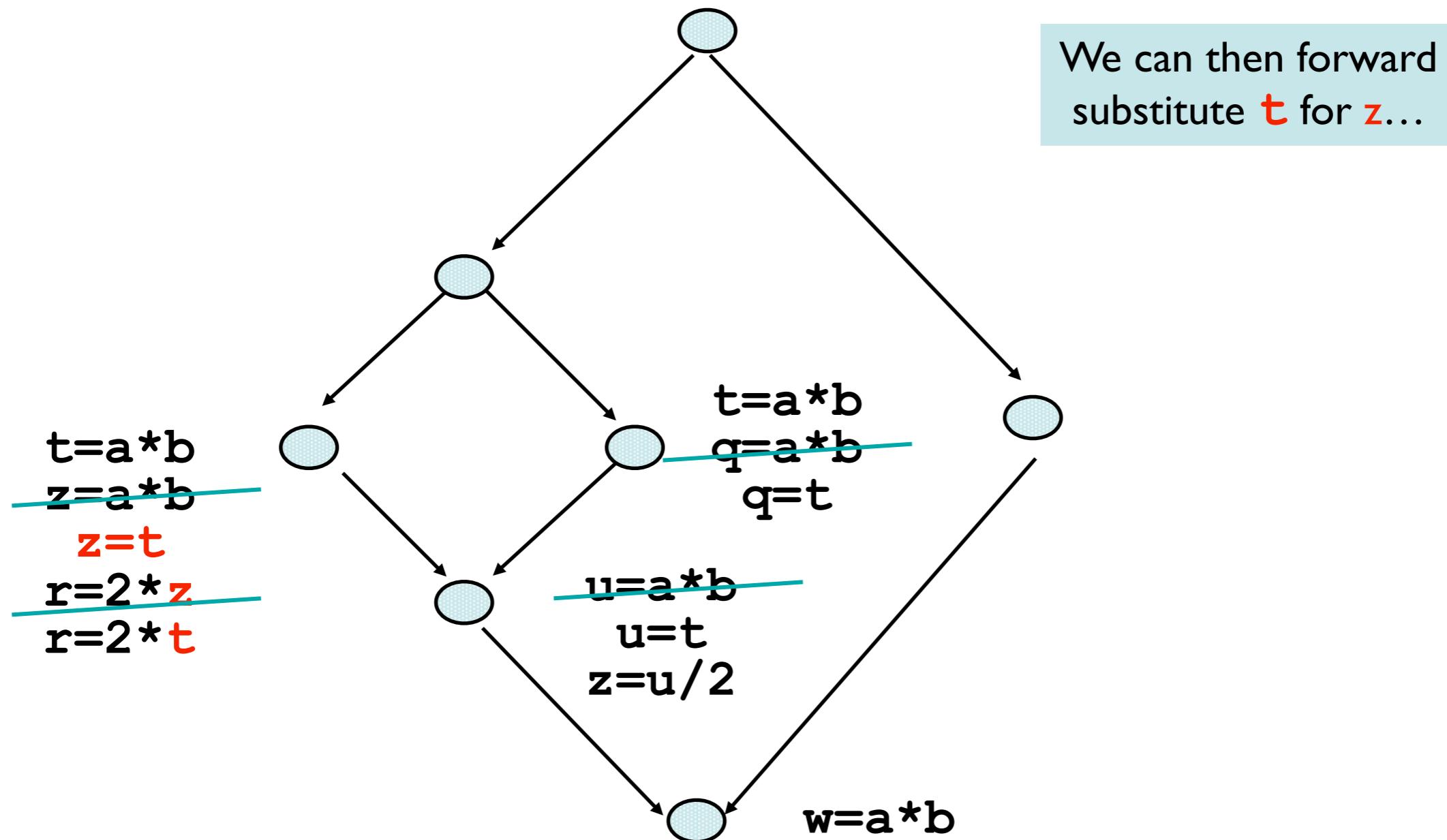
(Global) common subexpr elim



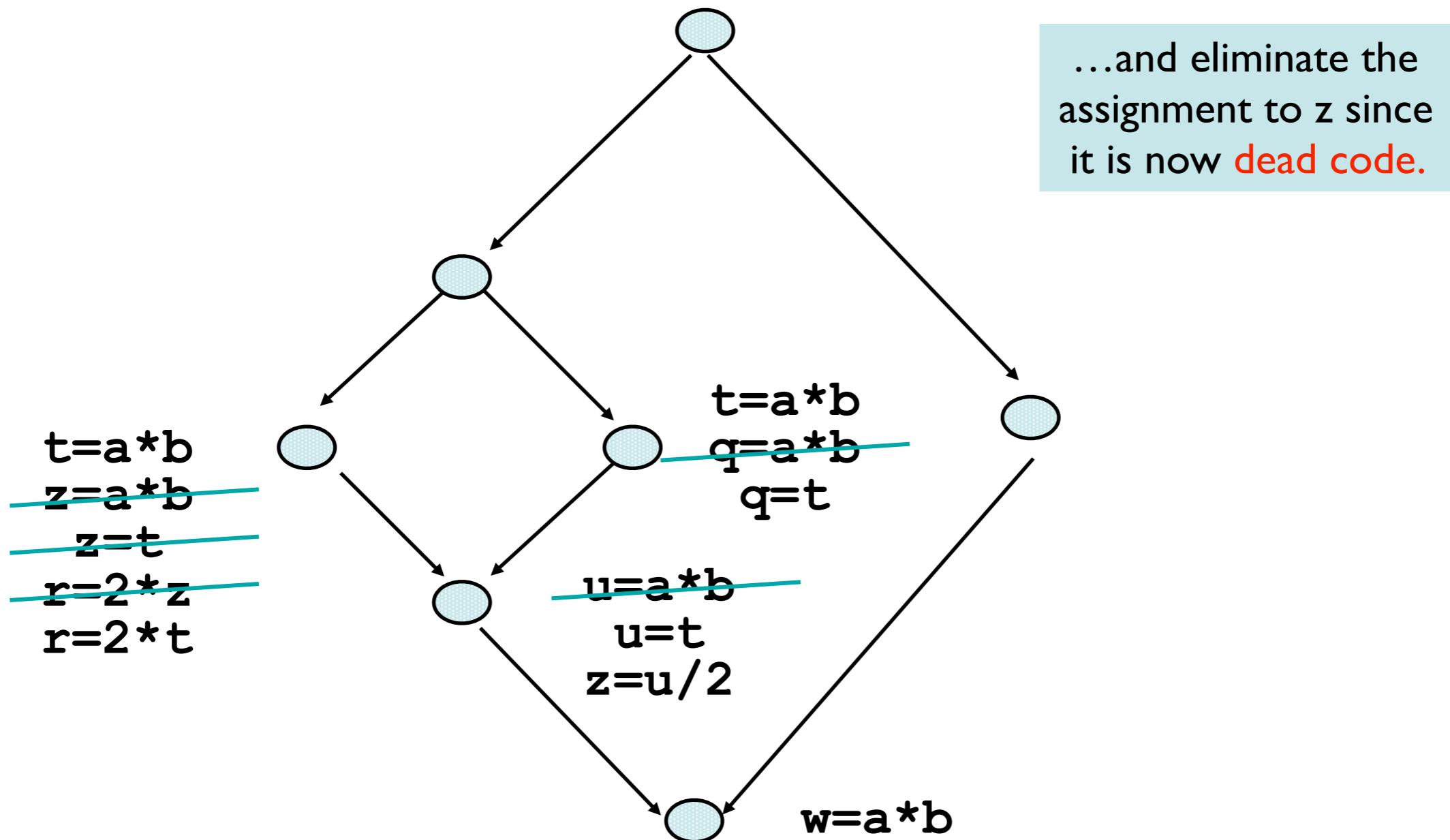
(Global) common subexpr elim



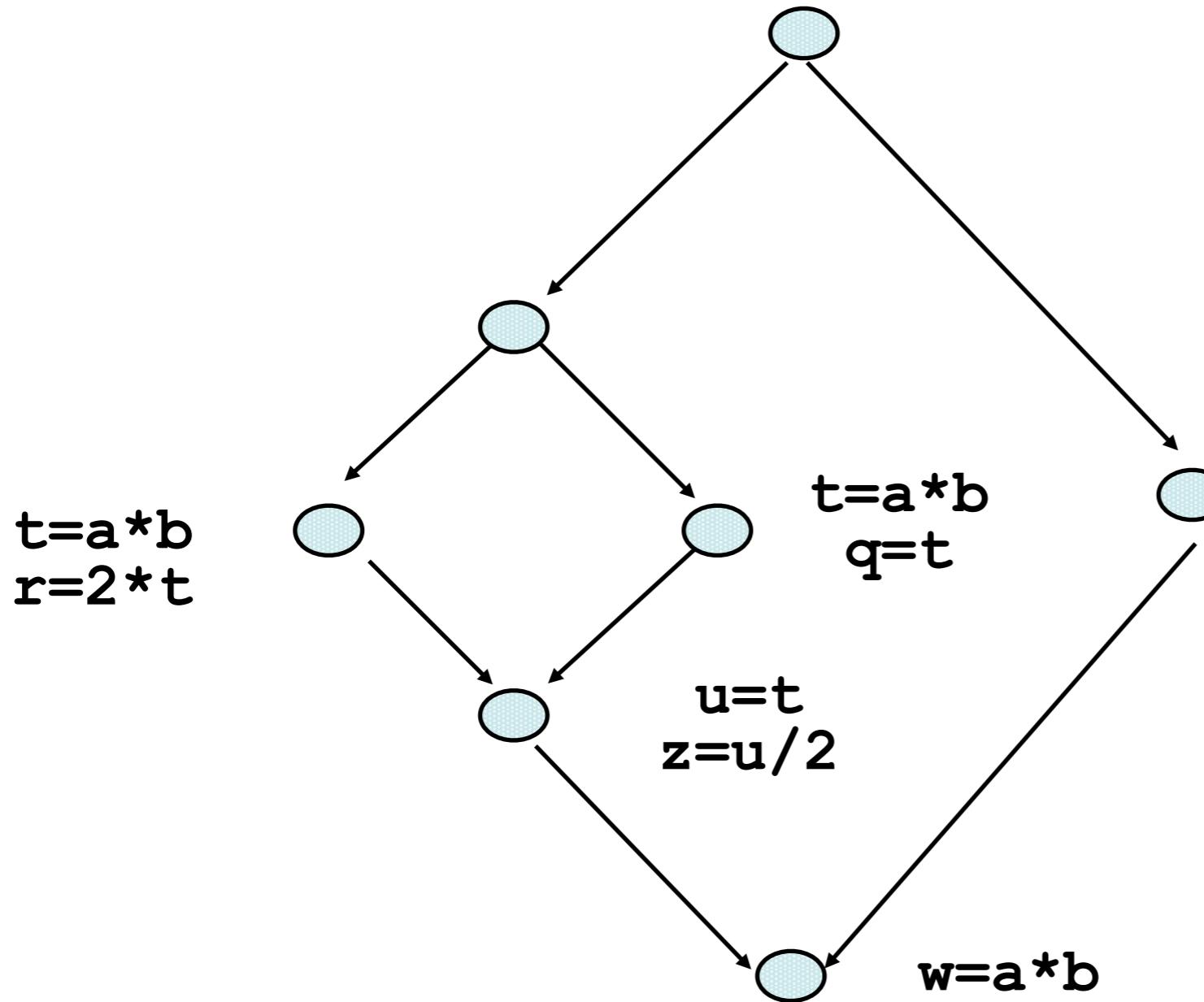
Copy propagation



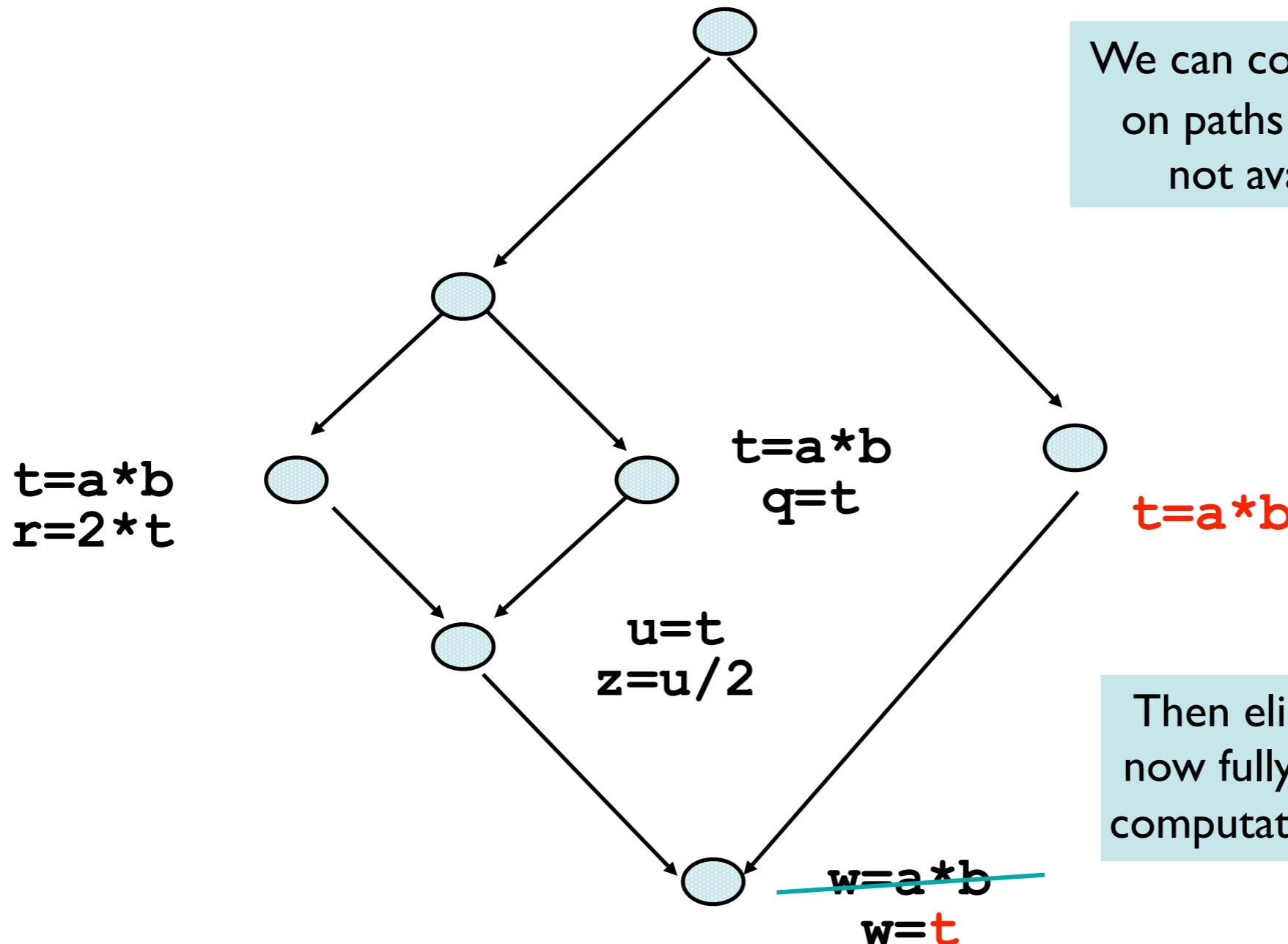
Dead code elimination



What else can we do?



Partial redundancy elimination



We can compute $a * b$ on paths where it is not available...

Then eliminate the now fully redundant computation of $a * b$