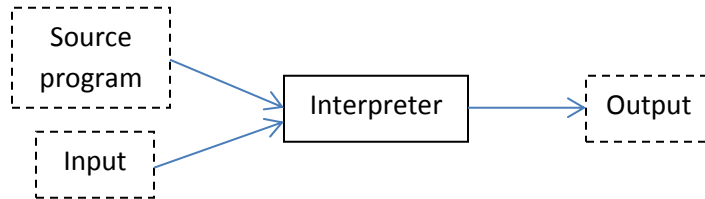


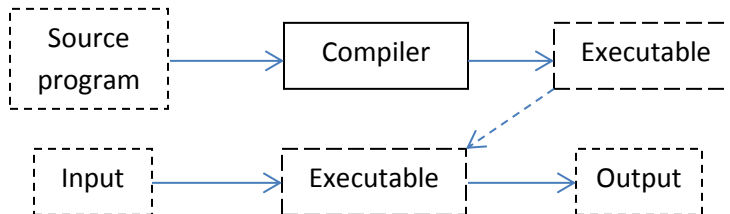
Ruby

General Features:

- **Object-Oriented:** Everything is an object!
- **Imperative:** Procedures and statements are building blocks (as opposed to functions, like in OCaml)
- **Scripting Language:** Good for text processing (built-in regular expressions)
- **Interpreted:** Source code and input are directly executed to create output
 - vs. compiled—no separate executable in Ruby
 - Interpretation:



- Compilation:



- **Implicit Declarations:** First use of a variable declares it and determines type
 - Ruby: `x = 7; y = x - 2;`
 - vs. Explicit (Java, C, C++): `int x, y; x = 37; y = x + 5;` (must first declare a variable and its type)
- **Dynamically Typed:** Types are determined and checked at run time
 - `x = 3; x = "foo"` -- give `x` a new type
 - vs. Statically Typed (C): above code would not compile

Writing Classes

- variable types/scopes:

declaration	variable type
<code>x</code>	local
<code>@x</code>	instance (each instance of class gets its own copy)
<code>@@x</code>	static (shared among all instances of class)
<code>\$x</code>	global (shared across classes)

- *initialize* is the constructor
 - ex: class Point


```

def initialize(x, y)
  @x = x
  @y = y
end
          
```

- getter:

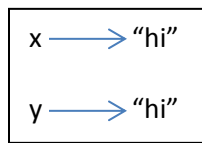

```
def x
  @x
end
```
- setter:


```
def x=(value)
  @x = value
end
```
- shortcut: `attr_accessor` automatically defines both getters and setters for specified instance variables
 - ex: `attr_accessor "x", "y"`

Important Methods and Classes

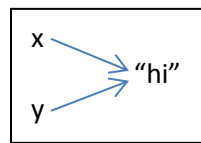
- `==` vs. `.equal?`
 - Opposite of Java
 - `==` is *structural equality*: compares contents
 - `.equal?` is *physical equality*: compares references (memory addresses)
 - ex:

```
x = "hi"
y = "hi"
```



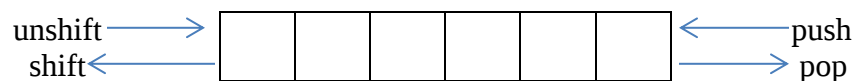
```
x == y : true
x.equal?(y) : false
```

```
x = "hi"
y = x
```



```
x == y : true
x.equal?(y) : true
```

- `new` : creates a new object by calling the constructor (ex: `arr = Array.new`)
- `puts` vs. `print` : `puts` automatically adds newline character `\n`
- `to_s` : like `toString()` in Java
- Style
 - Methods that return a boolean should end in `?`
 - Methods that change the state in place should end in `!`
- What is false in Ruby?
 - Only false and nil
 - Everything else is true -- true, 0 (unlike in C), "hi", -34.3, [1,2], etc.
- String class
 - Useful methods: `length`, `chomp`, `each`, `index`, `include?`
 - Embed other expressions with `#{ }`
 - ex: `y = [1,2]`
`print "my Array is: #{y}"` → prints: my Array is [1,2]
 - ex: `print "2 + 3 is #{2+3}"` → prints: 2 + 3 is 5
- Array class
 - May be heterogeneous: `arr = [1, "foo", 3.14]`
 - Growable: `arr = ["Hi"]; arr[3] = "Ilse"` → `arr = ["Hi", nil, nil, "Ilse"]`
 - Useful methods: `length`, `each`, `sort!`, `uniq!`, `reverse!`, `delete`, `delete_at`, `include?`
 - `push/pop` vs. `unshift/shift`:
 - `push` adds to the end of the Array and `pop` removes from the end
 - `unshift` adds to the front of the Array and `shift` removes from the front



- example of `.each`: `arr = [1,2,3]`
`arr.each {|x| print x}` → prints: 123

- Hash class
 - Stores {key => value} pairs
 - May have heterogeneous pair types: {1 => "hello", [2,5] => 3.4}
 - hash_name[key] returns the value associated to that key, or nil if key not present
 - Useful methods: keys, values, empty?, has_key?, has_value?, each{|k,v| ...}, each_key{|k| ...}, each_value{|v| ...}
- Range class
 - (m..n) represents numbers between m and n, both inclusive
 - ex: (1..4) is 1,2,3,4
 - (m...n) represents numbers between m (inclusive) and n (exclusive)
 - ex: (1...4) is 1,2,3
 - Not just for integers
 - 'a'..'z' is range of letters 'a' to 'z'
 - 1.5...2.7 is continuous range [1.5, 2.7)
 - Can't iterate over continuous ranges, but can check if [1.5, 2.7).include?(num)

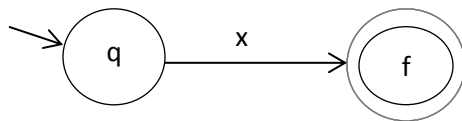
Regular Expressions (class Regexp):

- Matching with "String" =~ /Regexp/ (or not matching: "String" !~ /Regexp/)
- Combinations:
 - R₁R₂ : Match Regexp R₁ and R₂ concatenated together (need to match both in correct order)
 - R₁ | R₂ : Match R₁ or R₂
 - R* : Match 0 or more occurrences of R (accepts empty string ε)
 - R+ : Match 1 or more occurrences of R
 - R? : Match 0 or 1 occurrences of R (accepts empty string ε)
 - R{m,n} : Match m to n occurrences of R (both m and n included: m, m+1, m+2, ..., or n times)
 - R{m,} : Match m or more occurrences of R
 - R{m} : Match exactly m occurrences of R
- Precedence
 - *, +, ?, {m,n}, {m,}, {m} bind most tightly
 - Then concatenation
 - Then |
 - Add parentheses to avoid confusion
 - ex: /ab*c/ same as /(a(b*))c/
- Special characters
 - ^ beginning of line
 - \$ end of line
 - . any character
 - \d digit, \s whitespace, \w word character, \D non-digit, \S non-whitespace, \W non-word char
- Character Classes
 - Shortcut to group together accepted characters
 - ex: [abc] same as (a|b|c)
 - ex: [a-zA-Z0-9] is any lower or upper case letter or any digit
 - ^ means "not" and applies to everything in the character class
 - ex: [^ab] means any character except a or b
- Back References
 - Can refer back to parts of a regular expression that are in parentheses
 - Assigned variable names \$1, \$2, ...
 - These are local variables, and are reset to nil after next search
 - ex: if ("min: 3 max: 76" =~ /min: (\d+) max: (\d+)/)
 - print (\$1 + " " + \$2)
 - end → prints: 3 76

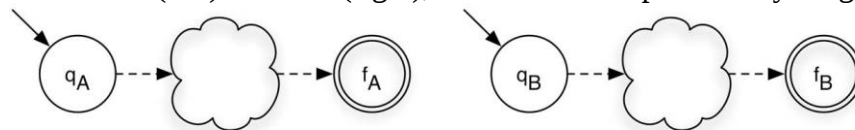
- Scan: `string.scan(regex)`
 - If regex doesn't contain parenthesized subparts, then returns Array of matches
 - ex: `s = "CMSC 330 Fall 2013"`
`arr = s.scan(/\d+/) → arr = ["330", "2013"]`
 - If regex does contain parenthesized subparts, then returns Array of Arrays
 - Each sub-Array contains the parts of the string which matched one occurrence of search
 - Each sub-array has same number of entries as the number of parenthesized subparts
 - ex: `s = "CMSC 330 Fall 2013"`
`arr = s.scan(/(\S+) (\S+)/) → arr = [["CMSC", "330"], ["Fall", "2013"]]`

Finite Automata

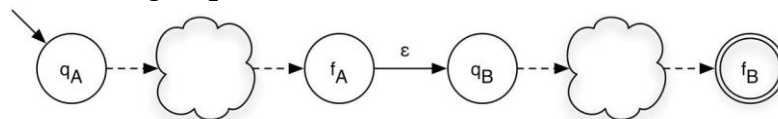
- NFA: Nondeterministic Finite Automata
- DFA: Deterministic Finite Automata
- All have one start state
- May have multiple final states (states inside double circles)
- A string is accepted if automaton is in final state when end of string reached (for some path if NFA)
- Differences
 - NFAs
 - May have ϵ -transitions (transitions on the empty string epsilon)
 - May have more than one transition leaving a state on the same symbol
 - DFAs
 - No ϵ -transitions
 - Allow only one transition per symbol coming out of each state
- Algorithms (see examples in the slides):
 - Regex $\rightarrow$ NFA
 - Recursively build
 - Base case: `/x/` for any single character `x` is drawn as:



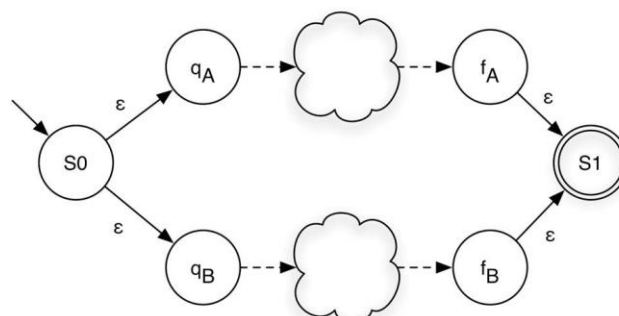
- Given RE_1 (left) and RE_2 (right), where clouds represent anything between start and final:



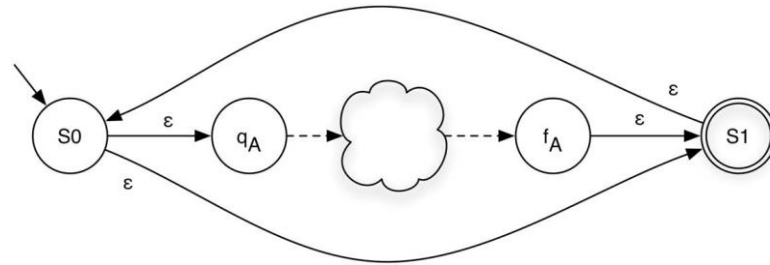
- Concat $RE_1 RE_2$:



- Union $RE_1 | RE_2$:



- Kleene Closure RE_1^* :

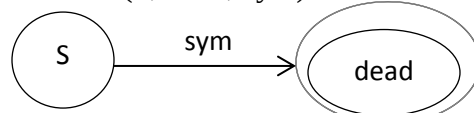


○ NFA $\rightarrow$ DFA

- Subset Construction:
- (Note: ϵ -closure(S) = {S, all states reachable from S using only ϵ -transitions})
- 1. The start state of the DFA is the ϵ -closure of the start state of the NFA.
- 2. Perform the following for the new DFA state:
For each symbol in the alphabet:
 - Apply move to the state and the input symbol; this will return a set of states.
 - Apply the ϵ -closure to this set of states, possibly resulting in a new set.
 - This set of NFA states will be a single state in the DFA.
- 3. Each time we generate a new DFA state, we must apply step 2 to it. The process is complete when applying step 2 to existing DFA states does not yield any new states.
- 4. The final states of the DFA are those which contain any of the final states of the NFA.

○ DFA Complement

1. Swap which states are final and non-final
2. for each state S {
for each symbol sym in alphabet {
if there is no transition from state S on sym
create dead state if not yet created (and make it final)
add_trans(S, dead, sym) from S to the dead state as follows:



3. if dead stated created, add transitions from dead state back to itself for all symbols

○ DFA Minimization

- Initial partition: $P1 = \{\text{final states}\}$, $P2 = \{\text{non-final states}\}$
- Recursively split each partition P until either
 - 1) P has only 1 state, or
 - 2) All states in P “agree” on transitions on each symbol
- Example of what is meant by “agree”:
Given $P1 = \{S, T\}$, $P2 = \{R\}$
 - All states in P1 “agree” below:
 - move(S,a) = R which is in P2
 - move(T,a) = R which is in P2
 - move(S,b) = S which is in P1
 - move(T,b) = T which is in P1
 - States in P1 do not “agree” below:
 - move(S,a) = R which is in P2
 - move(T,a) = R which is in P2
 - move(S,b) = S which is in P1
 - move(T,b) = R which is in P2

} Same letter leads to different partitions... need to split

OCaml

General Features:

- **Mostly Functional:** Functions are building blocks; no or few writes to memory
- **Compiled:** Input runs on separate executable file
- **Type Inference:** No need to write types in the source code
- **Statically Typed:** Type conflicts are checked at compile time
- **Pattern Matching:** Used to deconstruct data structures
- **Parametric Polymorphism:** Function parameters can be polymorphic—similar to Java Generics
- **Higher-order functions:** Functions can be parameters and return values of functions

“Let”

- Variable ex: `let x = 5;;`
 - Binds x to 5 from now on
- Variable ex: `let x = 5 in expression`
 - x is only bound to 5 within expression; not in scope after expression
- Function ex: `let next x = x + 1;;`
 - x is a parameter to the function “next”, the return value is x + 1
 - Type of x is inferred to be int (because + operator is only defined for int)
- Need to use “let rec” to define a recursive function
 - ex: `let rec factorial n =
 if n = 0 then
 1
 else
 n * factorial (n-1);;`

Lists:

- Homogeneous: all elements must be of the same type
 - `[1; 2; 3]` is a valid list, `[1; “hi”]` is not
- May build up using `::` operator
 - `element::list` adds element to the front of list
 - ex: `1::[]` evaluates to `[1]`
 - ex: `1::(3::(4::[]))` evaluates to `[1;3;4]`
- Type inference: append the word “list” after the type of its elements
 - ex: the elements of `x = [1; 2]` are ints, so x has type: `int list`
 - ex: `[[1; 2]; [4; 2]]` has type: `int list list`
 - ex: `[[1; 2]; [“a”; ”b”]]` is not a valid list—not homogeneous

Tuples:

- Heterogeneous: may have elements of different types
 - `(1,2,3)` is a valid tuple and so is `(1,“hi”)`
 - Have a fixed size (there is no `::` operator to increase the size of a tuple)
- Type inference: concatenate the types of its elements using `*`
 - ex: `(1,2)` has type: `int * int`
 - ex: `(“CMSC”,330)` has type: `string * int`
 - ex: `(‘c’, 3, [“hi”, “bye”], 4.5)` has type: `char * int * string list * float`
 - ex: `[(2,3); (1,7)]` has type `(int * int) list`

Function Type Inference

- Use $\rightarrow$ to specify type
 - let $f \text{ param} = \text{ret}$ has type: $\text{param_type} \rightarrow \text{ret_type}$
 - ex: let $\text{next } x = x + 1$ has type: $\text{int} \rightarrow \text{int}$
- Every function takes exactly one parameter as input and returns exactly one value as its result
 - May fake having multiple parameters or return values with Tuples
 - ex: let $\text{add}(x, y) = x + y$ looks like takes two arguments, but really only taking one tuple
 - type is: $\text{int} * \text{int} \rightarrow \text{int}$
- May have polymorphic types
 - No type-specific operators on parameters are used within the function
 - Polymorphic parameters and return values have type 'a, 'b, 'c, ...
 - ex: let $\text{hd } (h::_) = h$; returns the head of a list, and will work for any type of list
 - hd has type: $'a \text{ list} \rightarrow 'a$
 - ex: let $\text{swap } (x, y) = (y, x)$; has type: $'a * 'b \rightarrow 'b * 'a$

Example: Recursive List Function (see more in slides/code on webpage):

- let rec length l =
 match l with
 [] $\rightarrow$ 0
 | ($_:t$) $\rightarrow$ 1 + length t;; (* note: underscore $_$ means we don't care enough to give the head a name *)
- Type: $'a \text{ list} \rightarrow \text{int}$ (can take any type of list but always returns an int)

Good Luck on the Exam!