CMSC 430, Feb 6th 2020

Abscond and Blackmail

• I messed up!

• Was correct!

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• One last things about quasiquoting

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```
uqs> (define xs '(1 2 3))
`(huh ,@xs)
```

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• Read the lecture notes!

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 - It will be increasingly important as we progress through the course

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 By example

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 - $^{\circ}$ By example
 - By informal description
 - Via reference implementation
 - With a formal (mathematical) semantics

• C

• Informal Description

- OCaml
 - Defined by its implementation

- Standard ML
 - Fully formalized

- Python
 - Informal Description
 - \circ Examples
 - Mostly defined by CPython?

- Haskell
 - Informal Description
 - Appeal to some formalism

• For our first language

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 - Formal Definition

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- If everything is done right, the two should match*

Abscond's AST

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• **A[***i*,*i*]

Let's write an interpreter!

abs> (define (interp e)

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 - They let us 'borrow' more from the host language
 - We can test our compiler against them! (believe me, this is helpful!)

• Testing against a reference interpreter:

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```
(check-eqv? (source-interp e)
    (target-interp (source-compile e)))
```

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- Executables have to know where to start execution
 - This is different from **main()**!
- We need a *runtime system*

A simple runtime system

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```
#include <stdio.h>
#include <inttypes.h>
```

```
int64_t entry();
```

```
int main(int argc, char** argv) {
    int64_t result = entry();
    printf("%" PRId64 "\n", result);
    return 0;
```

}

The object we desire

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Let's run the following to get a linkable RTS
 o gcc -m64 -c -o main.o main.c

What do we want?

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• Let's look at an example assembly file.

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• Dynamic types!

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- Solution: Write a pretty-printer

```
(define (arg->string a)
  (match a
   [`rax "rax"]
   [n (number->string n)]))
```

• the rest are in the lecture notes online!

Take it for a spin

Our Second Compiler

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- We'll call it blackmail

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- And we've got two functions:
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- That's it

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(define (expr? x)
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 As mentioned on Tuesday, since we don't have static types, we can use validation like the above to make sure our values are well formed

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```
(define (interp e)
  (match e
    [(? integer? i) i]
    [`(add1 ,e0)
    (match (interp e0)
      [i0 (+ i0 1)])]
  [`(sub1 ,e0)
    (match (interp e0)
    [i0 (- i0 1)])]))
```
Seeing how blackmail feels

• Runtime system?

- Runtime system?
- What about entry?

- Runtime system?
- What about entry?
- What about return?

- Runtime system?
- What about entry?
- What about return?

```
(define (compile e)
(append '(entry)
    (compile-e e)
    '(ret)))
```

compile-e coyote

compile-e coyote

• Take a deep breath

compile-e coyote

• Take a deep breath

```
(define (compile-e e)
(match e
  [(? integer? i) `((mov rax ,i))]
  [`(add1 ,e0)
   (let ((c0 (compile-e e0)))
     `(,@c0
       (add rax 1)))]
  [`(sub1 ,e0)
   (let ((c0 (compile-e e0)))
     `(,@c0
       (sub rax 1)))]))
```

Seeing how compiled blackmail feels

Assignment 2

• Details on the website