## Biconnected Components

```
i \leftarrow 0
        # Set stack to empty
for all x in vertices of G do d[x] \leftarrow 0
for all x in vertices of G do
    if d[x] = 0 then bicon(x,0)
end for
procedure bicon(x, parent)
    i \leftarrow i+1
    d[x] \leftarrow i
    lowpt[x] \leftarrow i
    for all y adjacent to x do
        if d[y] = 0 then # (x,y) is a tree edge
                           # Put (x,y) on stack x
             S \Leftarrow (x,y)
             bicon(y,x)
             lowpt[x] \leftarrow min(lowpt[x],lowpt[y])
             if lowpt[y] \ge d[x] then
                 \# either x is an articulation point relative to y
                 # or x is the root of the tree
                 Form a new connected component out of all edges on the stack
                 up to and including (x,y). Remove these edges from the stack.
             end if
        else if d[y] < d[x] and y \neq parent then # (x,y) is a back edge
             S \leftarrow (x,y) # Put (x,y) on stack x
             lowpt[x] \leftarrow min(lowpt[x],d[y])
        end if
    end for
end procedure
```