









Other Examples

A Haptic Hybrid Controller for Virtual Prototyping of Vehicle Mechanisms (Ford, BMW, etc)



Engineering Design (Northwestern University and Ford Automobile)



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3-DOF Cobot for



Virtual Endoscopic Surgery Training

VEST System One (VSOne) Technology

- 3 haptic (force-feedback) devices as mock-up endoscopic instruments
- 1 virtual endoscopic camera
- three new Basic Task Training (BTT) exercises -Find tubes/touch points/follow path





0 **Molecular Dynamics** SIGGRAPH200 • VMD: Visual Molecular Dynamics Humphrey, 1996



























Additional Issues

Decouple haptic and simulation loops?
 Use intermediate representations?

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- Force type and quality
 - How hard does hard contact feel?
 - How free does free-space feel?
 - Repulsive forces?
 - · Force artifacts / stability considerations

3DOF Haptics: Introduction

- Output: 3D force -> 3DOF haptics
- Limited to applications where point-object interaction is enough.
 - Haptic visualization of data
 - Painting and sculptingSome medical applications



3DOF Haptics: Basic approach

- · Check if point penetrates an object.
- Find closest point on the surface.
- Penalty-based force.



3DOF Haptics: The problems

• Force discontinuities when crossing boundaries of internal Voronoi cells.



Unexpected force discontinuities (both in magnitude and direction) are very disturbing!



3DOF Haptics: God-object

- Zilles and Salisbury, Haptics Symp. 1995.
- Use the position of the haptic interface point (HIP) and a set of local constraint surfaces to compute the position of god-object (GO).
- Constraint surfaces defined using heuristics.
- Compute GO as the point that minimizes the distance from HIP to the constraint surfaces. Lagrange multipliers.



3DOF Haptics: Virtual proxy

- Ruspini et al., SIGGRAPH 1997.
- · Based on god-object.
- Virtual proxy is a small sphere, instead of a point. Use configuration-space obstacles (C-obstacles), from robotics.
- More formal definition of constraint planes.
- Implementation of additional features, based on relocation of the virtual proxy.



3DOF Haptics: Virtual proxy

- Finding the virtual proxy is based on an iterative search.
- Basically, find subgoals based on the same distance minimization as for the god-object.
- At each subgoal, all the planes that go through that point are potential constraints. The minimum set of active constraints is selected.
- If the subgoal is in free space, set as new subgoal the HIP. The path might intersect the C-obstacles. Add the first plane intersected as a constraint and the intersection point as the current subgoal.
- The process ends when the virtual proxy becomes stable.



















HCOLLIDE Overview (I)

- OFFLINE PROCESS
 - Pre-compute hybrid representation, consisting of uniform grids and each contains an OBBTree.

RUNTIME PROCESS

- Identify "contact region" by uniform spatial partitioning (implemented with hash table)
- Locate the exact contact points by querying and traversing the OBBTrees
- Frame-to-frame coherence by caching the last "witness"
- Find the projected surface contact point





HCOLLIDE Pseudo Code

- $X = \mid w_x \mid$
- $Y = \mid w_y \mid$
- $Z = |w_z|$
- if $|m_x| > X + t_x$ return disjoint
- if $|m_y| > Y + t_y$ return disjoint
- if $|m_z| > Z + t_z$ return disjoint
- if $|m_y w_z m_z w_y| > t_y Z + t_z Y$ return disjoint
- if $|m_x w_z m_z w_x| > t_x Z + t_z X$ return disjoint
- if $|m_x w_y m_y w_x| > t_x Y + t_y X$ return disjoint

Specialized Overlap Test

- Simple control loop

 good for micro-coding & SIMD implementation
- Cost: 42-72 arithmetic operations
 - 9 absolute values
 - 6 comparisons
 - 9 addition/subtraction
 - 12 multiplication
 - 36 ops for transformation

HCOLLIDE Hashing

• Hashing Function:

 $h(k) = x + y * num_cell + z * (num_cell)^2$

TableLoc = random(h(k)) % TableLength

- Grid Size Selection:
 - difficult to compute an optimal value for all input models with varying triangulation
 - set the grid size to be the averaged edge length of the input model

Optimal Grid Size (I)

Assume ---

- Line segment swept out by the probe is small compared to the optimal grid size
- There is only one contacting point with the surface of the object and one triangle in contact with the probe
- The triangulation of the object is uniform & all triangles have nice aspect ratio
- · All objects in the scene are static and rigid

Optimal Grid Size (II)

- N: total number of triangle
- *M*: averaged number of triangles per cell $C_r = (2 \log N + 1) C_{obb} + C_{tri}$

$$C_g = M C_{tri} + C_l$$

$$C_h = (2 \log M + 1) C_{obb} + C_{tri} + C_l$$

 $(2logM*C_{obb}/C_{tri}+1+C_{obb}/C_{tri}) < M < N/2^{C_{l}/2C_{obb}}$

According to our implementation: C_l / C_{obb} :0.9-5.5 and C_{obb} / C_{tri} : 0.764-4.0



HCOLLIDE: Timing on Nano-Surfaces (msec)

Method	Hash Grid	Hybrid	OBB Tree	Ghost
Ave Col. Hit	0.0138	0.0101	0.0134	0.332
Worst Col. Hit	0.125	0.168	0.0663	0.724
Ave Col. Miss	0.00739	0.00508	0.00422	0.0109
Worst Col. Miss	0.0347	0.0377	0.0613	0.210
Ave Int. Hit	0.0428	0.0386	0.0447	0.0851
Worst Int. Hit	0.0877	0.102	0.0690	0.175
Ave Int. Miss	0.0268	0.0197	0.0213	0.0545
Worst Int. Miss	0.0757	0.0697	0.0587	0.284
Ave. Query	0.022	0.016	0.039	0.18

Ford Bronco



iming on Ford Bronco (msec)							
Method	Hash Grid	Hybrid	OBB Tree	Ghost			
Ave Col. Hit	0.0113	0.00995	0.0125	0.104			
Worst Col. Hit	0.136	0.132	0.177	0.495			
Ave Col. Miss	0.0133	0.00731	0.0189	0.0280			
Worst Col. Miss	0.128	0.0730	0.137	0.641			
Ave Int. Hit	0.0566	0.0374	0.609	0.0671			
Worst Int. Hit	0.145	0.105	0.170	0.293			
Ave Int. Miss	0.0523	0.0225	0.0452	0.0423			
Worst Int. Miss	0.132	0.133	0.167	0.556			
Ave. Query	0.027	0.014	0.028	0.048			

Butterfly



HCOLLIDE: Timing on Butterfly (msec)

Method	Hash Grid	Hybrid	OBB Tree	Ghost
Ave Col. Hit	0.0232	0.0204	0.0163	1.33
Worst Col. Hit	0.545	0.198	0.100	5.37
Ave Col. Miss	0.00896	0.00405	0.00683	0.160
Worst Col. Miss	0.237	0.139	0.121	3.15
Ave Int. Hit	0.228	0.0659	0.0704	0.509
Worst Int. Hit	0.104	0.138	0.103	1.952
Ave Int. Miss	0.258	0.0279	0.0256	0.229
Worst Int. Miss	0.0544	0.131	0.0977	3.28
Ave. Query	0.030	0.016	0.016	0.32

HCOLLIDE: Algorithm Analysis

- At least 2-20 times faster than *GHOST* on the models we have tested on
- Hybrid is the most favorable and capable of maintaining kHZ rate
- If the number of triangles per grid cell is relatively small compared to the model size, then hybrid method runs in *constant time*

Applications: inTouch

Direct Haptic Interaction



- Multiresolution Modeling
- 3D Painting on Polygonal Meshes

Gregroy, Ehmann, Lin [VR 2000]











6-DOF Haptic Display Using Localized Computations

- Decompose objects into convex pieces and compute a set of localized pairwise PD's
- Use dual-space expansion to quickly estimate the PD between convex polytopes
- Cluster nearby surface contacts for localized force computation based on PD estimates and predictive methods

http://gamma.cs.unc.edu/6DOFLCC/

Kim, Otaduy, Lin & Manocha [HS 2002]

Collision Detection – SWIFT++

- A fast collision detection library using bounding volume hierarchies of convex hulls
- The overlap test between two convex bounding boxes is performed using fast *Voronoi Marching*
- When collisions occur, needs penetration depth

http://gamma.cs.unc.edu/SWIFT++

Ehmann & Lin [Eurographics 2001]

Minkowski Sum/Difference

- Minkowski Sum:
 P+Q = {p+q | p∈P, q∈Q}
- Minkowski Difference:
 P-Q = {p-q | p∈P, q∈Q}







Gauss Map • Mapping from a feature (V,E,F) in 3D to a unit sphere, according to surface normal – Face (F) Point in Gauss map

Edge (E) Great arc in Gauss map
 Vertex (V) Region bounded by great arcs



 The Minkowski sum of two convex objects is computed from the overlay of their Gauss maps.





Incremental Search of PD

- At a certain vertex in the overlay, check its corresponding PD with that of its neighbors. March toward that vertex that minimizes the PD.
- The actual Minkowski difference is locally computed when needed.





Possible Problems

- Local minima: distance function from the origin to the surface of Minkowski difference can have multiple local minima. Good initialization provides a good result.
- · Degeneracies:
 - Coplanar faces. Mapped to the same point in Gauss map. Treat them as a single point, and join the neighbors.
 - Central projection of Gauss map. Solved by local computation at each iteration.

Extension to Non-convex Objects

- Pairwise computation of PD.
- Problems originated from surface convex decomposition:
 - Convex pieces completely penetrating the other object
 - PD returns a "virtual feature" that does not exist in the original model
 - We circumvent the problem by traversing to the neighboring features.

Contact Clusters

- Variable number of contacts translates into a variable stiffness.
- Cluster contacts based on the distance between them.
- Compute a new contact (PD, normal, application point) as a weighted average, where weight = PD.
- In practice, the force output is smooth.





The End

For more information, see http://gamma.cs.unc.edu/interactive http://gamma.cs.unc.edu/HCollide http://gamma.cs.unc.edu/inTouch http://gamma.cs.unc.edu/ArtNova http://gamma.cs.unc.edu/6DOFLCC/