

Welcome to CMSC131

Summer 2013:

Object Oriented Programming I

(with Java)



Lecture Outline

- Introductory example
- Administrative details
- First topics: Computer architectures and programming languages

Introductory Example: Calculating π



$$\frac{\pi}{4} = \sum_{k=1}^{\infty} \frac{(-1)^{k+1}}{2k-1} = 1 - \frac{1}{3} + \frac{1}{5} - \frac{1}{7} + \dots$$



$$\frac{\pi^2}{6} = \sum_{k=1}^{\infty} \frac{1}{k^2} = 1 + \frac{1}{2^2} + \frac{1}{3^2} + \frac{1}{4^2} + \dots$$



$$\frac{1}{\pi} = \frac{\sqrt{8}}{9801} \sum_{k=0}^{\infty} \frac{(4k)! (1103 + 26390k)}{(k!)^4 396^{4k}}$$

Course webpage

www.cs.umd.edu -> Class pages

www.cs.umd.edu/summer2013/cmssc131/

- Announcements – check daily.
- Contact info
- Syllabus
- Schedule
- Projects
- Resources

Syllabus

On the webpage. **Read it!!!**

Highlights include

- Contact & Office hours
- Grading policies
- Academic Honesty
- DSS + Religious Holidays – let me know by Friday June 7

Computer architecture

- **Hardware** vs. software

The physical components used for computation

- Hard-drive vs. source code
- Musical instrument vs. sheet music
- Brain vs. mind (ideas)

Hardware

- **C**entral **P**rocessing **U**nit
Computation
- **R**andom **A**ccess **M**emory
Short term memory
- **H**ard **D**rive
Long term memory
- **I**ntput/**O**utput devices
User interaction

Binary Digits

Hundreds ($100 = 10^2$)	Tens ($10 = 10^1$)	Ones ($1 = 10^0$)
2	5	6

$$2 \times 10^2 + 5 \times 10^1 + 6 \times 10^0 = 256$$

Sixteens ($16 = 2^4$)	Eights ($8 = 2^3$)	Fours ($4 = 2^2$)	Twos ($2 = 2^1$)	Ones ($1 = 2^0$)
1	0	0	1	1

$$1 \times 2^4 + 0 \times 2^3 + 0 \times 2^2 + 1 \times 2^1 + 1 \times 2^0$$

Binary numbers and logic

Base 10	Fours	Twos	Ones
0	0	0	0
1	0	0	1
2	0	1	0
3	0	1	1
4	1	0	0
5	1	0	1
6	1	1	0
7	1	1	1

A	B	C
False	False	False
False	False	True
False	True	False
False	True	True
True	False	False
True	False	True
True	True	False
True	True	True

Logical Operations

AND:

R ("It's Raining")	C ("I'm at CSIC")	$R \wedge C$
False	False	?
False	True	?
True	False	?
True	True	?

OR:

R	C	$R \vee C$
False	False	?
False	True	?
True	False	?
True	True	?

XOR:

R	C	$R \oplus C$
False	False	?
False	True	?
True	False	?
True	True	?

Logical Operations

AND:

R ("It's Raining")	C ("I'm at CSIC")	$R \wedge C$
False	False	F
False	True	F
True	False	F
True	True	T

OR:

R	C	$R \vee C$
False	False	?
False	True	?
True	False	?
True	True	?

XOR:

R	C	$R \oplus C$
False	False	?
False	True	?
True	False	?
True	True	?

Logical Operations

AND:

R ("It's Raining")	C ("I'm at CSIC")	$R \wedge C$
False	False	F
False	True	F
True	False	F
True	True	T

OR:

R	C	$R \vee C$
False	False	F
False	True	T
True	False	T
True	True	T

XOR:

R	C	$R \oplus C$
False	False	?
False	True	?
True	False	?
True	True	?

Logical Operations

AND:

R ("It's Raining")	C ("I'm at CSIC")	$R \wedge C$
False	False	F
False	True	F
True	False	F
True	True	T

OR:

R	C	$R \vee C$
False	False	F
False	True	T
True	False	T
True	True	T

XOR:

R	C	$R \oplus C$
False	False	F
False	True	T
True	False	T
True	True	F

Binary arithmetic and Logic

Base 10:

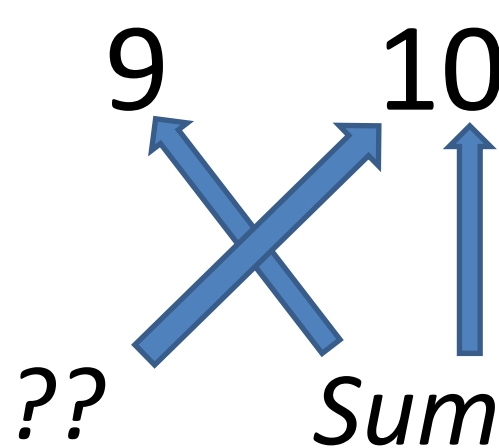
$$\begin{array}{r} 7 \\ + 2 \\ \hline 9 \end{array} \quad \begin{array}{r} 7 \\ + 3 \\ \hline 10 \end{array}$$


Diagram illustrating the relationship between the sums:

- The sum of 7 and 2 is 9.
- The sum of 7 and 3 is 10.
- Blue arrows indicate that the sum of 7 and 2 (9) plus the sum of 7 and 3 (10) equals a common sum (Sum).
- The common sum is represented by the expression $??$.

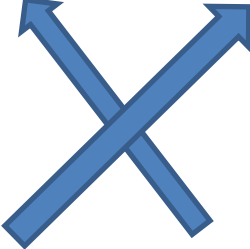
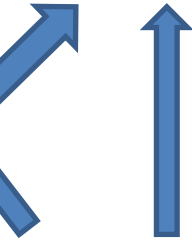
Base 2:

$$\begin{array}{r} 1 \\ + 0 \\ \hline ?? \end{array} \quad \begin{array}{r} 1 \\ + 1 \\ \hline ?? \end{array}$$

Binary arithmetic and Logic

Base 10:

$$\begin{array}{r} 7 \\ + 2 \\ \hline 9 \end{array} \quad \begin{array}{r} 7 \\ + 3 \\ \hline 10 \end{array}$$

Carry   *Sum* 

Base 2:

$$\begin{array}{r} 1 \\ + 0 \\ \hline 01 \end{array} \quad \begin{array}{r} 1 \\ + 1 \\ \hline 10 \end{array}$$

Binary Arithmetic and Logic

A	B	A+B	C	S
0	0	00	0	0
0	1	01	0	1
1	0	01	0	1
1	1	10	1	0

A	B	$A \wedge B$	$A \vee B$	$A \oplus B$
False	False	False	False	False
False	True	False	True	True
True	False	False	True	True
True	True	True	True	False

$C = A \text{ ?? } B$

$S = A \text{ ?? } B$

Binary Arithmetic and Logic

A	B	A+B	C	S
0	0	00	0	0
0	1	01	0	1
1	0	01	0	1
1	1	10	1	0

A	B	$A \wedge B$	$A \vee B$	$A \oplus B$
False	False	False	False	False
False	True	False	True	True
True	False	False	True	True
True	True	True	True	False

$$C = A \wedge B$$

$$S = A \oplus B$$

Beyond Bits

- Byte (8 bits).
 - How many possible values can be represented?
- Word (2-4 bytes)
 - How many possible values can be represented?
- Kilobyte ($2^{10} = 1024$ Bytes)
- Gigabyte ($1000^3 = 10^9$ Bytes)
- Gibabyte ($1024^3 = 2^{30}$ Bytes)
- Megabit (10^6 bits $\approx$ 125 Kilobytes), commonly used for internet speed (Megabits/second)

Main Memory

A huge array of bytes, any of which can be accessed at any time.

"Address"	Byte value
0	00110100
1	10010110
2	10000100

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3999999997	10000001
3999999998	00011000
3999999999	11101111

Machine code

(1st generation programming language)

Instructions encoded as binary numbers:

E.g. Jumping to a new memory address

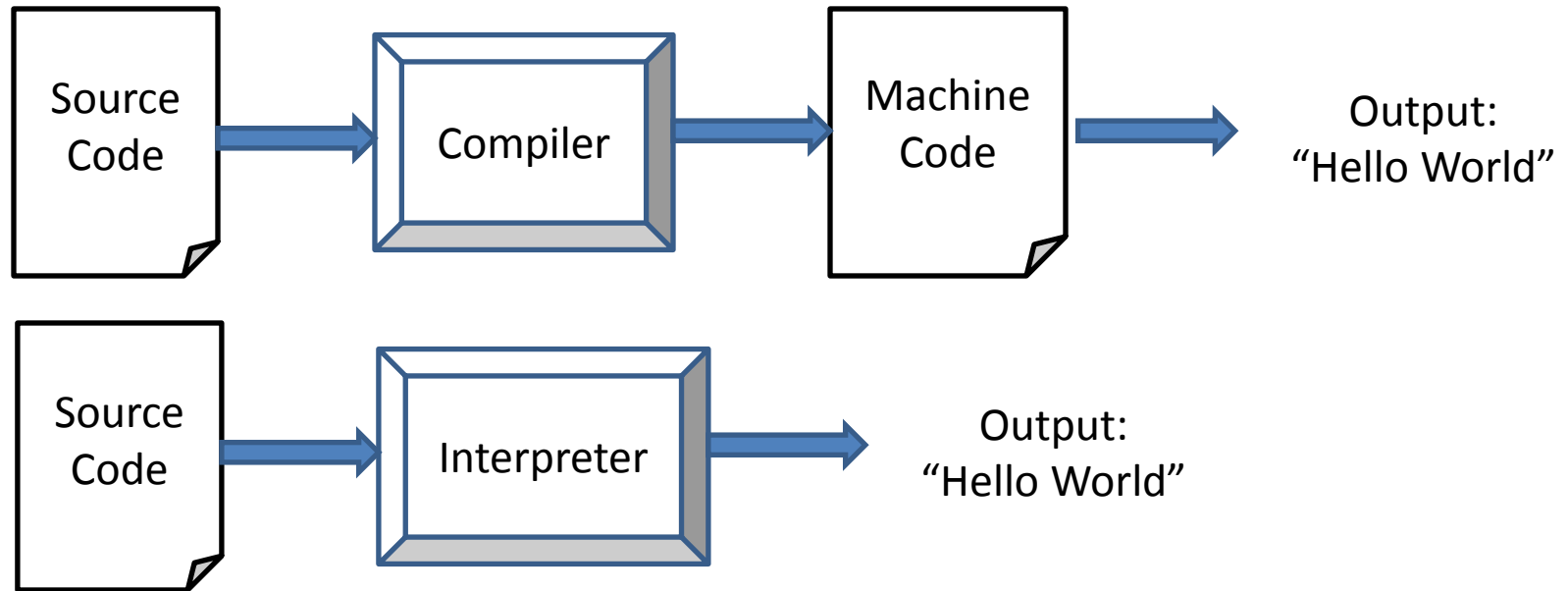
[	op		target address				]
	2		1024				decimal
000010		00000	00000	00000	10000	00000	binary

www.wikipedia.org

Newer generations:

- Assembly code (2nd gen): human-readable mnemonics for machine code. Hardware-dependent.
- C, Java (3rd gen): Higher level languages that understand useful abstractions like for-loops and compound arithmetic expressions
- SQL, Mathematica (4th gen): Domain-specific functionality
- Logic programming (5th gen): User defines the rules, computer determines the solutions

Compilation and interpretation



Compiled code: High Performance

Interpreted code: High flexibility