CMSC 330: Organization of Programming Languages

Functional Programming with OCaml

Reminders / Announcements

· Project 3 was posted

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More Basics...

```
# let 11 = [1;2;3];;
val 11 : int list = [1; 2; 3]
# let 12 = [1;2;3];;
val 12 : int list = [1; 2; 3]
# 11 == 12;;
- : bool = false (shallow equality)
# 11 = 12;;
- : bool = true (deep equality)

- <> is negation of =
- != is negation of ==
```

More Examples of Recursion

```
• sum 1 (* sum of elts in 1 *)
let rec sum 1 = match 1 with
    [1 -> 0
    | (x::xs) -> x + (sum xs)

• negate 1 (* negate elements in list *)
let rec negate 1 = match 1 with
    [1 -> [1]
    | (x::xs) -> (-x) :: (negate xs)

• last 1 (* last element of 1 *)
let rec last 1 = match 1 with
    [x] -> x
    | (x::xs) -> last xs
```

More Examples (cont'd)

```
(* return a list containing all the elements in the
list 1 followed by all the elements in list m *)
• append (1, m)
let rec append (1, m) = match 1 with
[] -> m
| (x::xs) -> x::(append (xs, m))

• rev 1 (* reverse list; hint: use append *)
let rec rev 1 = match 1 with
[] -> []
| (x::xs) -> append ((rev xs), [x])

• rev takes O(n²) time. Can you do better?
```

A Clever Version of Reverse

More Examples

```
• flattenPairs 1 (* ('a * 'a) list -> 'a list *)
let rec flattenPairs 1 = match 1 with
   [] -> []
   | ((a, b)::t) -> a :: b :: (flattenPairs t)

• take (n, 1) (* return first n elts of 1 *)
let rec take (n, 1) =
   if n = 0 then []
   else match 1 with
      [] -> []
   | (x::xs) -> x :: (take (n-1, xs))
```

Working with Lists

- · Several of these examples have the same flavor
 - Walk through the list and do something to every element
 - Walk through the list and keep track of something
- · Recall the following example code from Ruby:

```
a = [1,2,3,4,5]

b = a.collect { |x| -x }
```

- Here we passed a code block into the collect method
- Wouldn't it be nice to do the same in OCaml?

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Higher-Order Functions

 In OCaml you can pass functions as arguments, and return functions as results

```
let plus_three x = x + 3
let twice (f, z) = f (f z)
twice (plus_three, 5)
twice : ('a->'a) * 'a -> 'a

let plus_four x = x + 4
let pick_fn n =
    if n > 0 then plus_three else plus_four
(pick_fn 5) 0
pick_fn : int -> (int->int)
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```

The map Function

- Let's write the map function (just like Ruby's collect)
 - Takes a function and a list, applies the function to each element of the list, and returns a list of the results

let rec map (f, 1) = match 1 with

```
| [] -> []
| (h::t) -> (f h)::(map (f, t))

let add_one x = x + 1
let negate x = -x
map (add_one, [1; 2; 3])
map (negate, [9; -5; 0])

• Type of map? map: ('a -> 'b) * 'a list -> 'b list
```

Anonymous Functions

- · Passing functions around is very common
 - So often we don't want to bother to give them names
- Use fun to make a function with no name

```
Parameter

Fun x \to x + 3

map ((fun x \to x + 13), [1; 2; 3])

twice ((fun x \to x + 2), 4)
```

Pattern Matching with fun

• match can be used within fun

- For complicated matches, though, use named functions
- Standard pattern matching abbreviation can be used

```
map ((fun (x, y) -> x + y), [(1, 2); (3, 4)])

(* [3; 7] *)
```

All Functions Are Anonymous

· Functions are first-class, so you can bind them to other names as you like

```
- let f x = x + 3
- let g = f
- g 5 (* returns 8 *)
```

· let for functions is just a shorthand

```
- let f x = body stands for
- let f = fun x -> body
```

```
Examples
• let next x = x + 1
   - Short for let next = fun x \rightarrow x + 1
• let plus (x, y) = x + y
   - Short for let plus = fun (x, y) \rightarrow x + y
   - Which is short for
      • let plus = fun z ->
                 (match z with (x, y) \rightarrow x + y)
• let rec fact n =
```

(if n = 0 then 1 else n * fact (n-1))

if n = 0 then 1 else n * fact (n-1)

- Short for let rec fact = $fun n \rightarrow$

The fold Function

· Common pattern: iterate through a list and apply a function to each element, keeping track of the partial results computed so far

```
let rec fold (f, a, 1) = match 1 with
  | (h::t) -> fold (f, f (a, h), t)
```

- a = "accumulator"
- this is usually called "fold left" to remind us that f takes the accumulator as its first argument
- What's the type of fold?

```
fold : ('a * 'b -> 'a) * 'a * 'b list -> 'a
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```

Example

```
let rec fold (f, a, l) = match l with
        [] -> a
| (h::t) -> fold (f, f (a, h), t)
let add (a, x) = a + x
fold (add, 0, [1; 2; 3; 4]) →
fold (add, 1, [2; 3; 4]) \rightarrow
fold (add, 3, [3; 4]) →
fold (add, 6, [4]) →
fold (add, 10, []) \rightarrow
We just built the sum function!
                                                        16
```

Another Example

```
let rec fold (f, a, l) = match l with
            [] -> a
| (h::t) -> fold (f, f (a, h), t)
   let next (a, _) = a + 1
   fold (next, 0, [2; 3; 4; 5]) →
   fold (next, 1, [3; 4; 5]) \rightarrow
   fold (next, 2, [4; 5]) \rightarrow
   fold (next, 3, [5]) \rightarrow
   fold (next, 4, []) \rightarrow
   We just built the length function!
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```

Using fold to Build rev

```
let rec fold (f, a, l) = match l with
  [] -> a
| (h::t) -> fold (f, f (a, h), t)
```

· Can you build the reverse function with fold?

```
let prepend (a, x) = x::a
fold (prepend, [], [1; 2; 3; 4]) →
fold (prepend, [1], [2; 3; 4]) \rightarrow
fold (prepend, [2; 1], [3; 4]) \rightarrow
fold (prepend, [3; 2; 1], [4]) \rightarrow
fold (prepend, [4; 3; 2; 1], []) \rightarrow
[4; 3; 2; 1]
```